

$$K^+K^-\pi^0$$

Increased mass range

Using states of definite reflectivity

Including K^* isobars

Change in construction of intensity plots

- In recent presentations, I've been using intensity contributions from individual waves to build up intensities of a subsets of waves. For example, I would add the $m=-1$, $m=0$ and $m=+1$ intensities to represent the $J=1$ intensity.
- As Justin pointed out in an email, adding subsets of wave intensities can cause issues when interferences are strong.
- We are seeing strong interferences for $\text{mass}[\text{KK}\pi] > 1.35 \text{ GeV}$ (2nd bump region)
- I am now building intensities that represent a subset of waves by adding the amplitudes within the plotGenerator and then having the plotGenerator produce the intensity histograms

Included in the fit at each mass $[KK\pi]$ bin

Three coherent sums:

- **Background**

Included in the fit at each mass [$KK\pi$] bin

- Uniform background

Three coherent sums:

- **Background**

Included in the fit at each mass[$KK\pi$] bin

- Uniform background
- $J=0, m=0, L=0, S=0, r=(-)$, Isobar = a_0
- $J=0, m=0, L=1, S=1, r=(-)$, $KK\pi$
- $J=0, m=0, L=1, S=1, r=(-)$, Isobar = K^{*+}
- $J=0, m=0, L=1, S=1, r=(-)$, Isobar = K^{*-}
- $J=1, m=-1,0,1, L=1, S=0, r=(-)$, Isobar = a_0
- $J=1, m=-1,0,1, L=1, S=0, r=(-)$, Isobar = K^{*+}
- $J=1, m=-1,0,1, L=1, S=0, r=(-)$, Isobar = K^{*-}
- $J=1, m=-1,0,1, L=1, S=1, r=(-)$, Isobar = K^{*+}
- $J=1, m=-1,0,1, L=1, S=1, r=(-)$, Isobar = K^{*-}

Three coherent sums:

- **Background**
- **$r=(-)$**

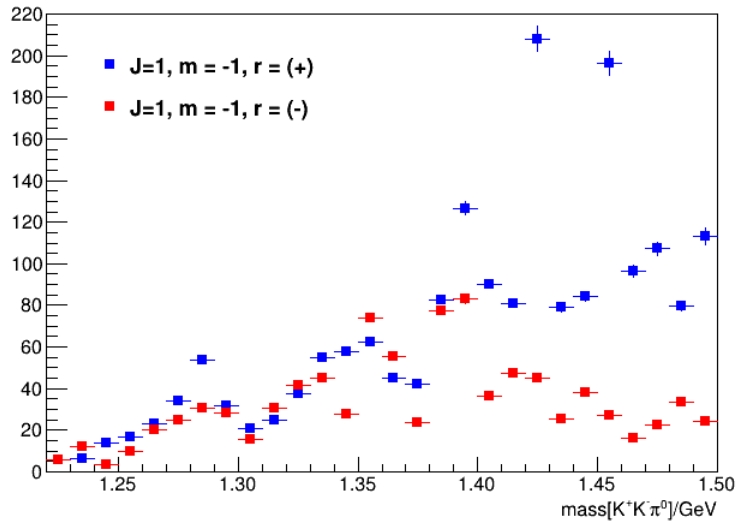
Included in the fit at each mass[$KK\pi$] bin

- Uniform background
- $J=0, m=0, L=0, S=0, r=(-)$, Isobar = a_0
- $J=0, m=0, L=1, S=1, r=(-)$, $KK\pi$
- $J=0, m=0, L=1, S=1, r=(-)$, Isobar = K^{*+}
- $J=0, m=0, L=1, S=1, r=(-)$, Isobar = K^{*-}
- $J=1, m=-1,0,1, L=1, S=0, r=(-)$, Isobar = a_0
- $J=1, m=-1, 1, L=1, S=0, r=(+)$, Isobar = a_0
- $J=1, m=-1,0,1, L=1, S=0, r=(-)$, Isobar = K^{*+}
- $J=1, m=-1, 1, L=1, S=0, r=(+)$, Isobar = K^{*+}
- $J=1, m=-1,0,1, L=1, S=0, r=(-)$, Isobar = K^{*-}
- $J=1, m=-1, 1, L=1, S=1, r=(+)$, Isobar = K^{*-}
- $J=1, m=-1,0,1, L=1, S=1, r=(-)$, Isobar = K^{*+}
- $J=1, m=-1, 1, L=1, S=1, r=(+)$, Isobar = K^{*+}
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- $J=1, m=-1, 1, L=1, S=1, r=(+)$, Isobar = K^{*-}

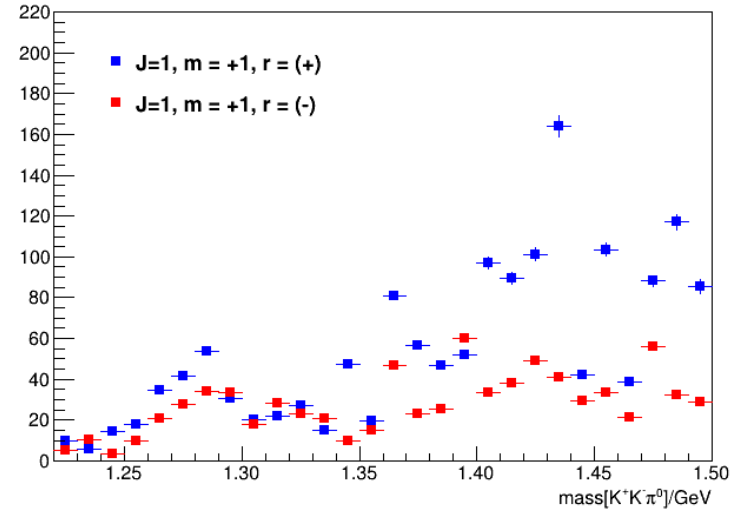
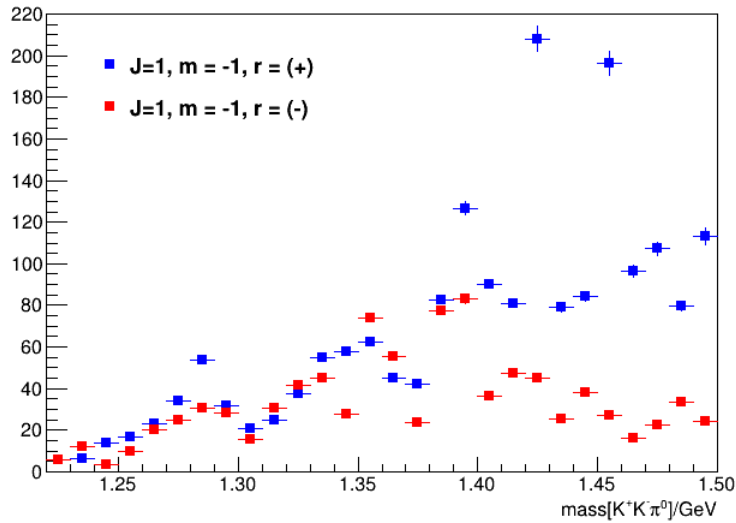
Three coherent sums:

- **Background**
- $r=(-)$
- $r=(+)$

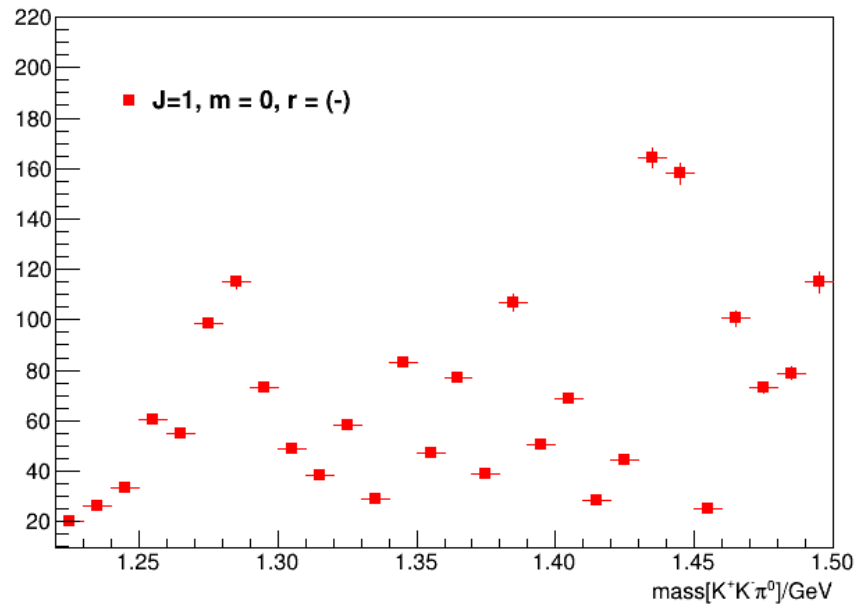
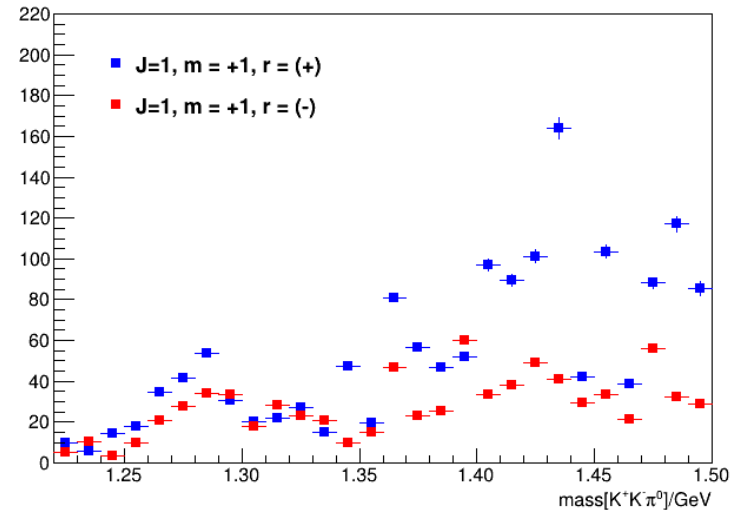
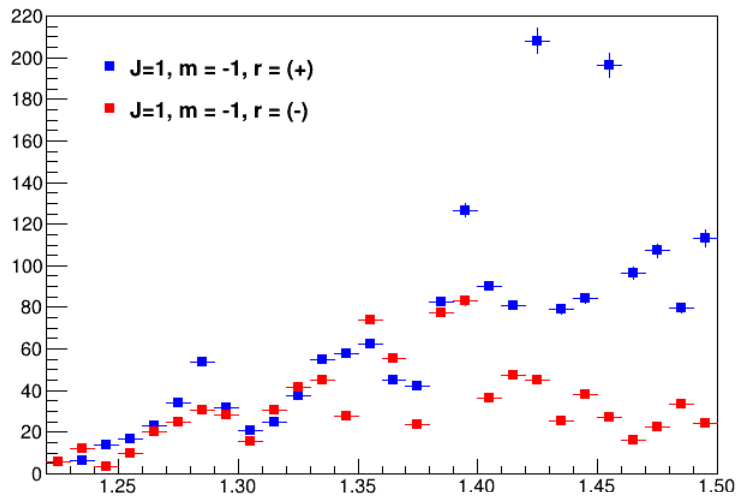
$J = 1$ reflectivities for each value of m



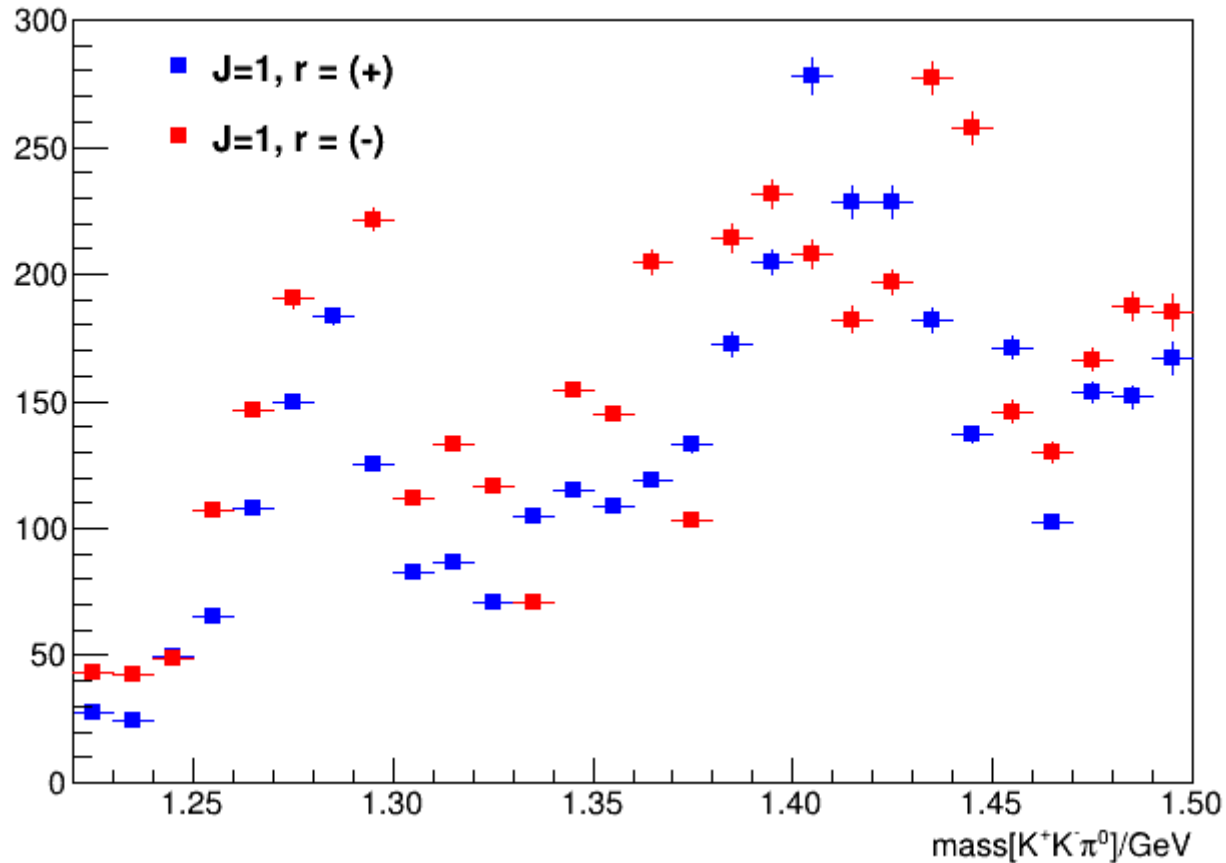
$J = 1$ reflectivities for each value of m



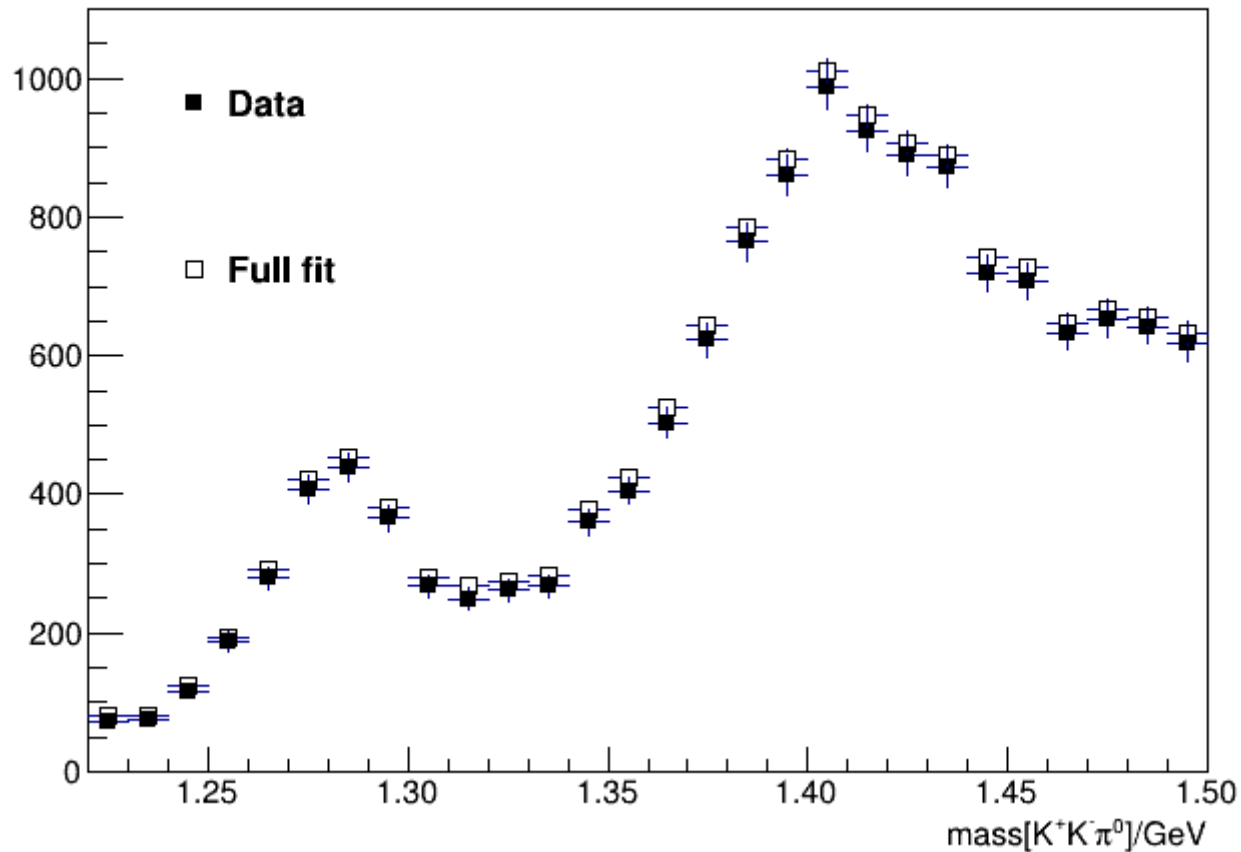
$J = 1$ reflectivities for each value of m



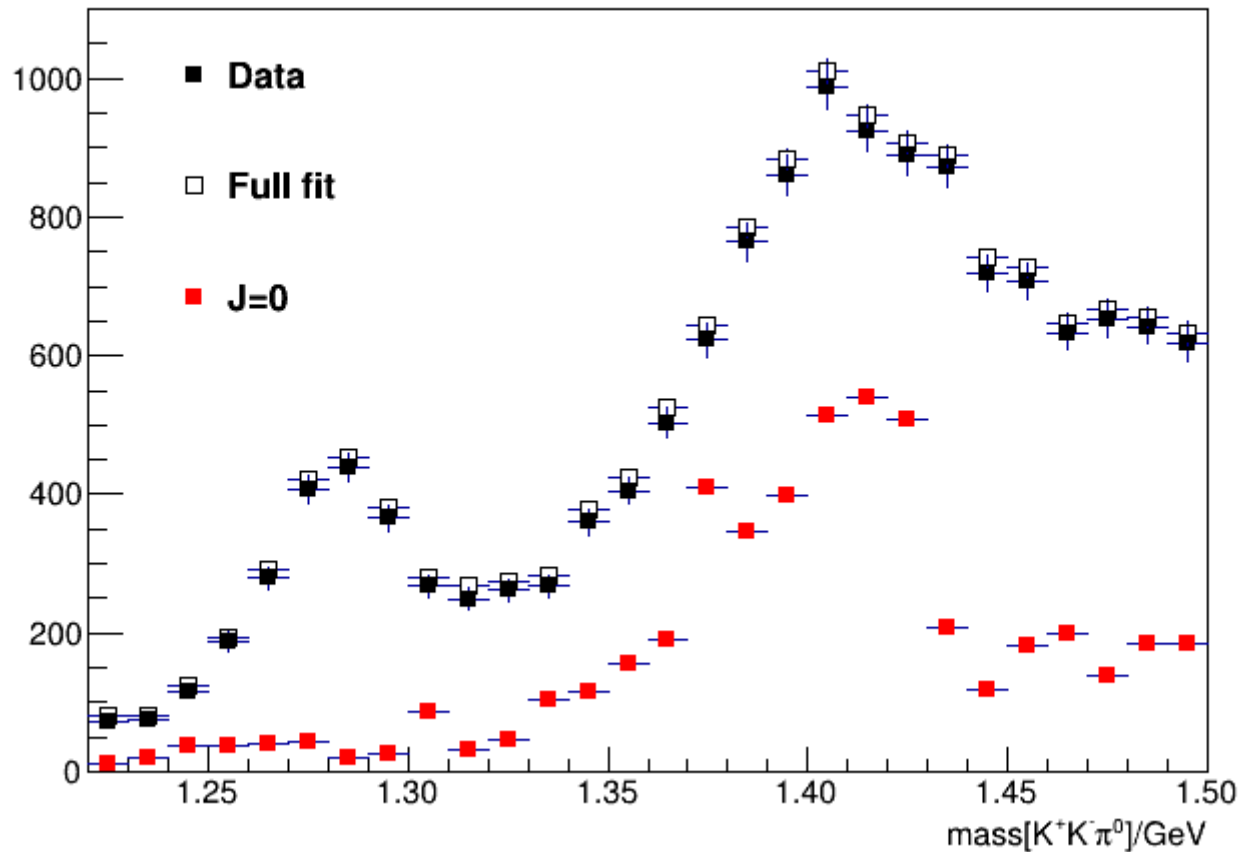
$J = 1$ reflectivities



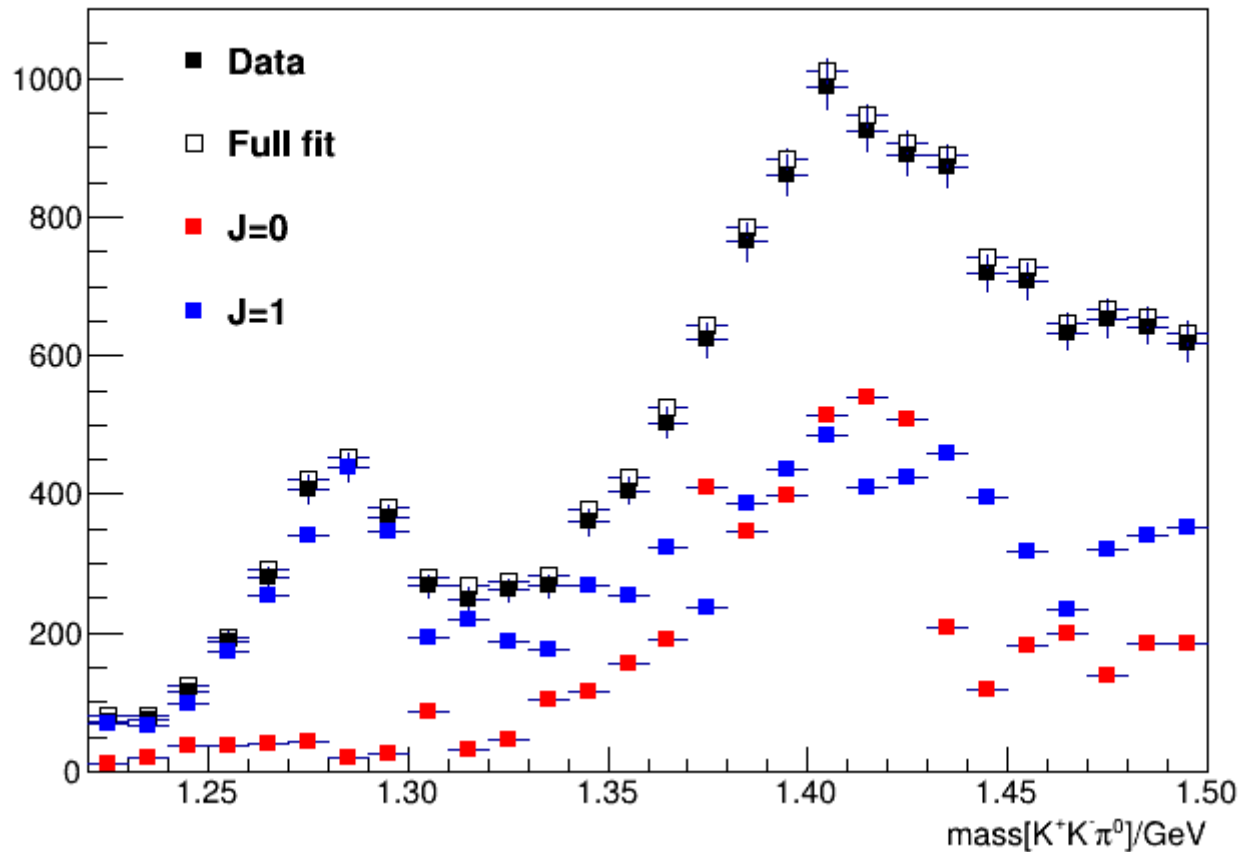
Fit compared to the data



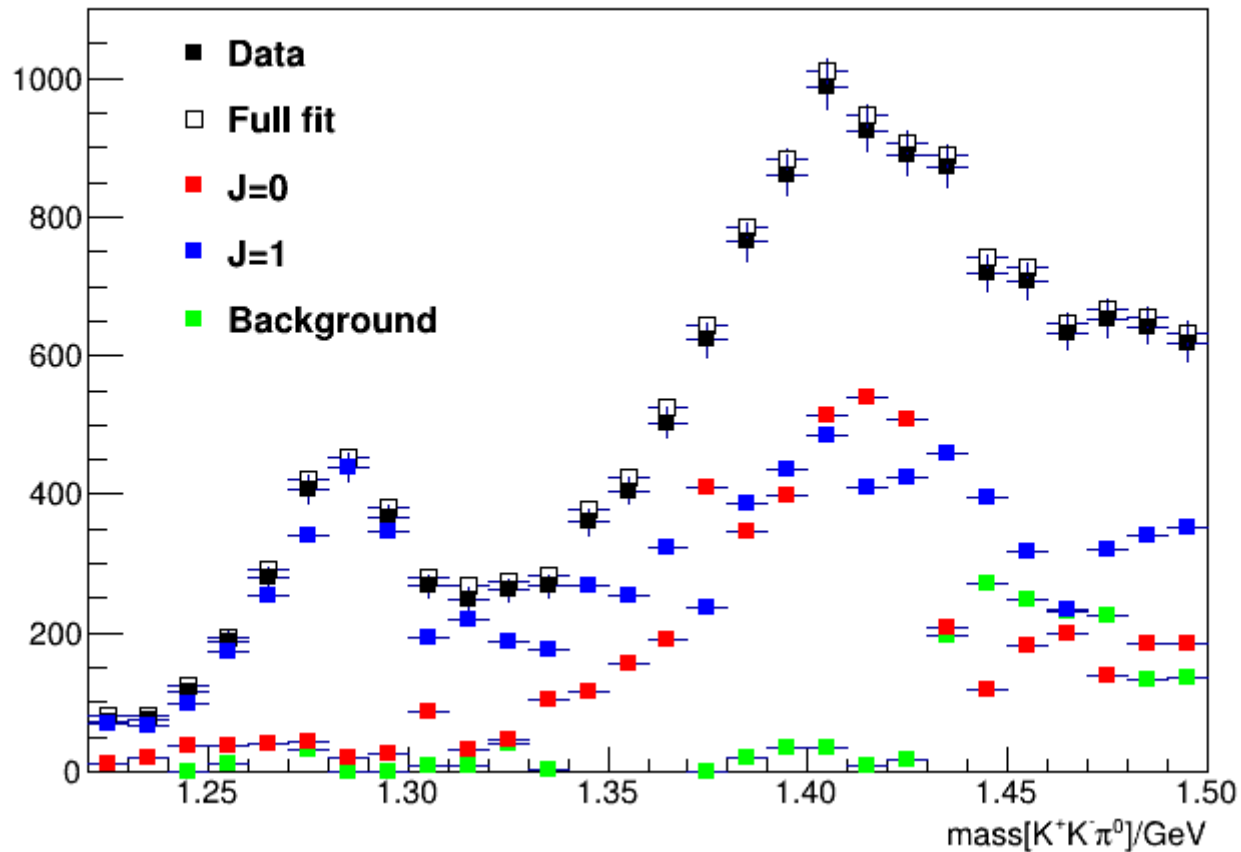
Fit compared to the data



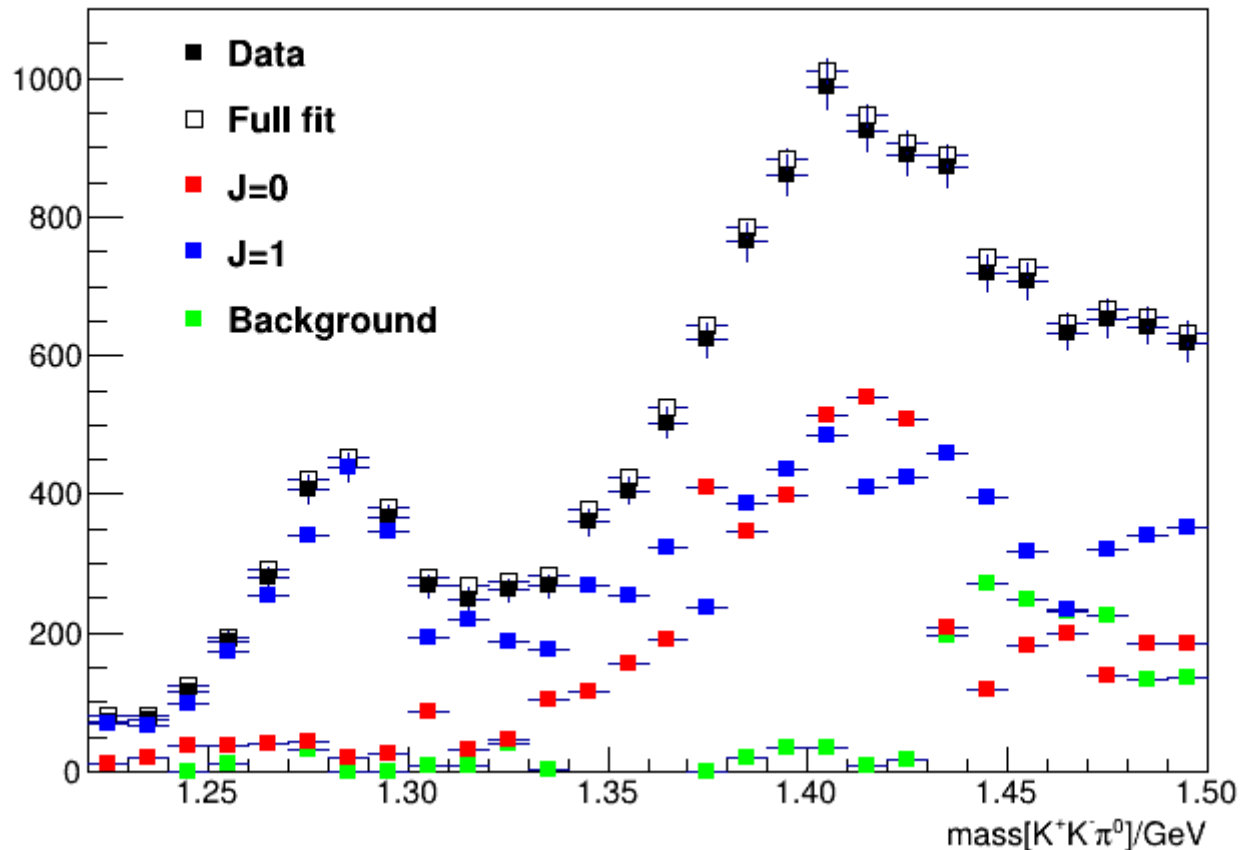
Fit compared to the data



Fit compared to the data

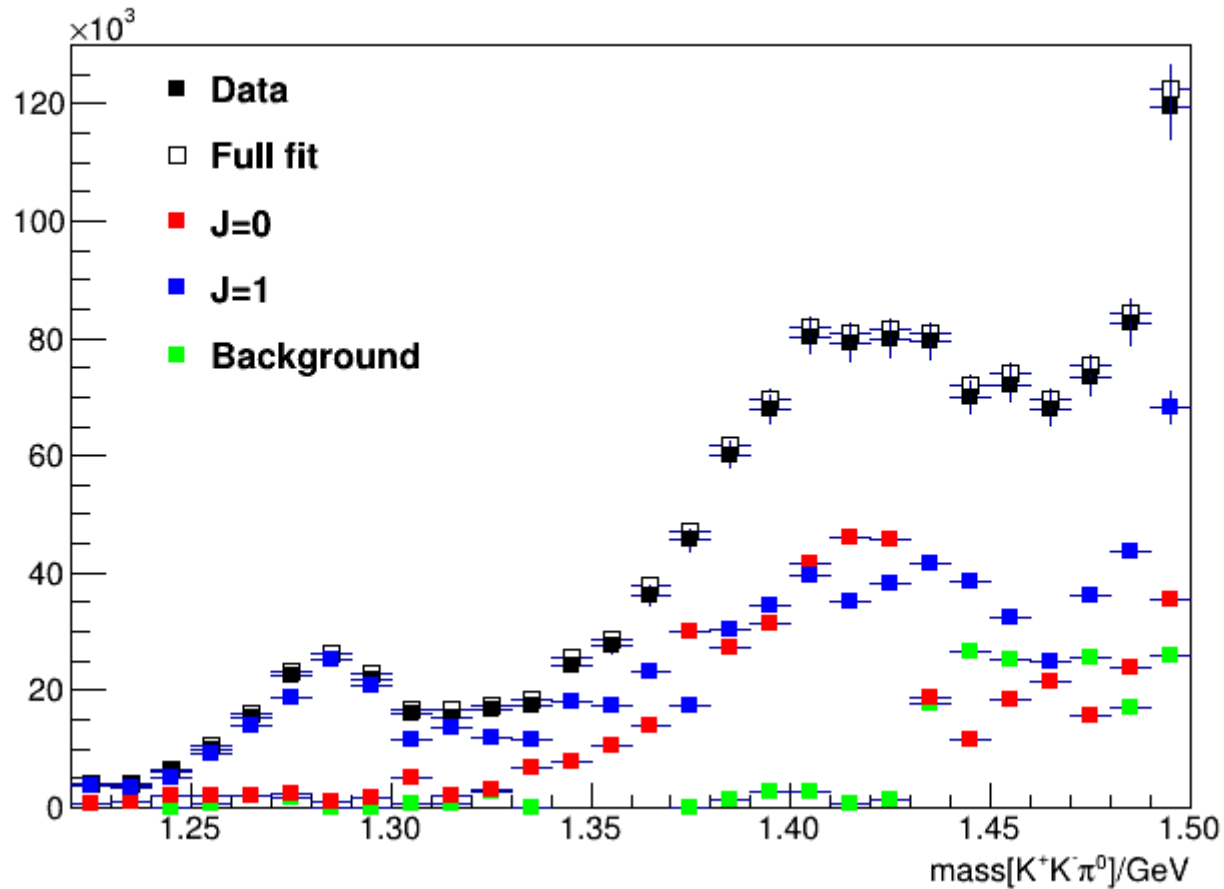


Fit compared to the data

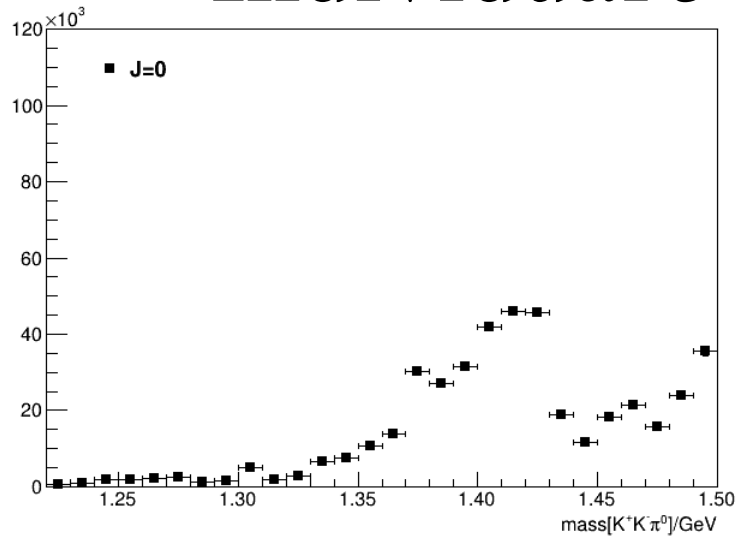


- **Need efficiency correction**

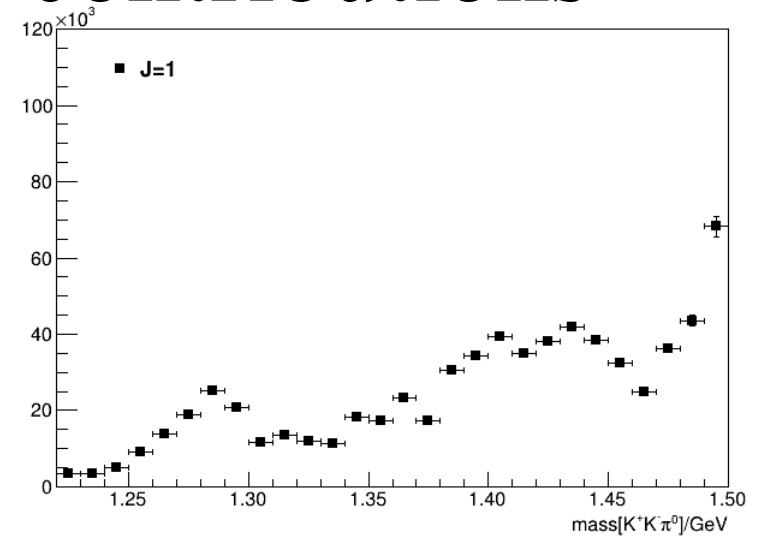
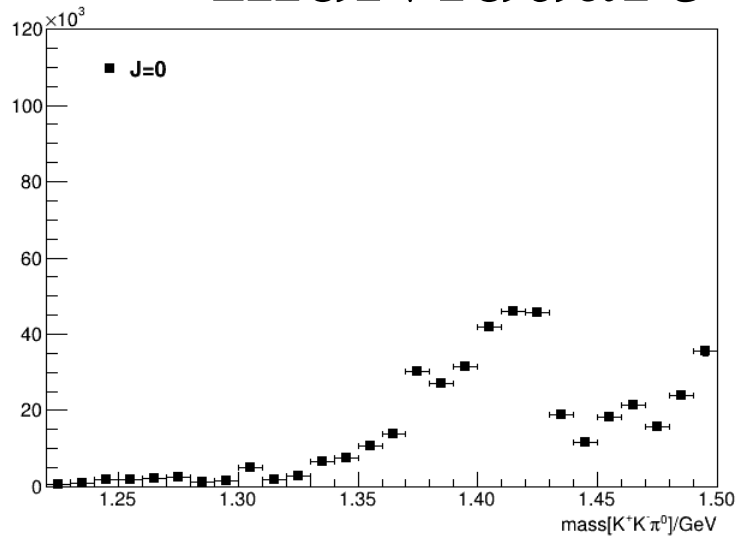
Efficiency corrected



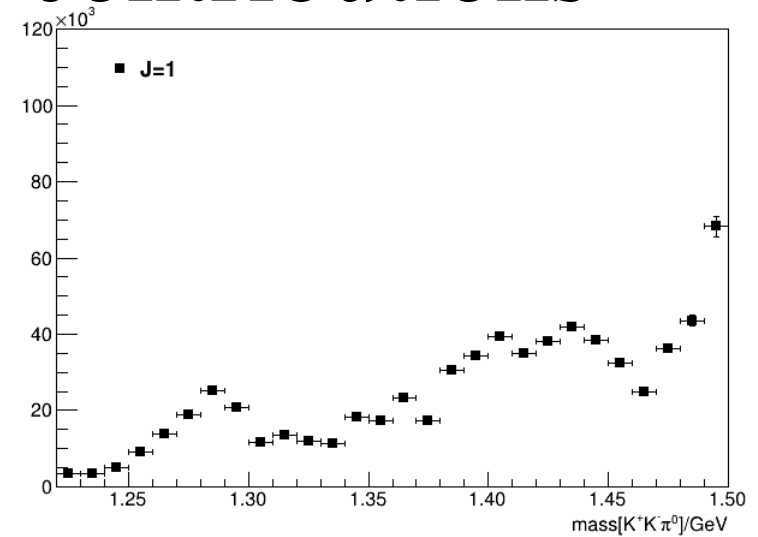
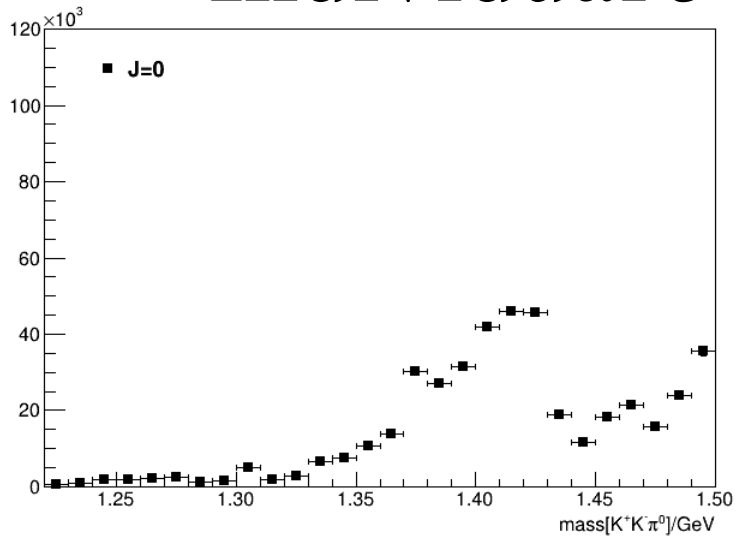
Individual $J=0,1$ contributions



Individual $J=0, 1$ contributions

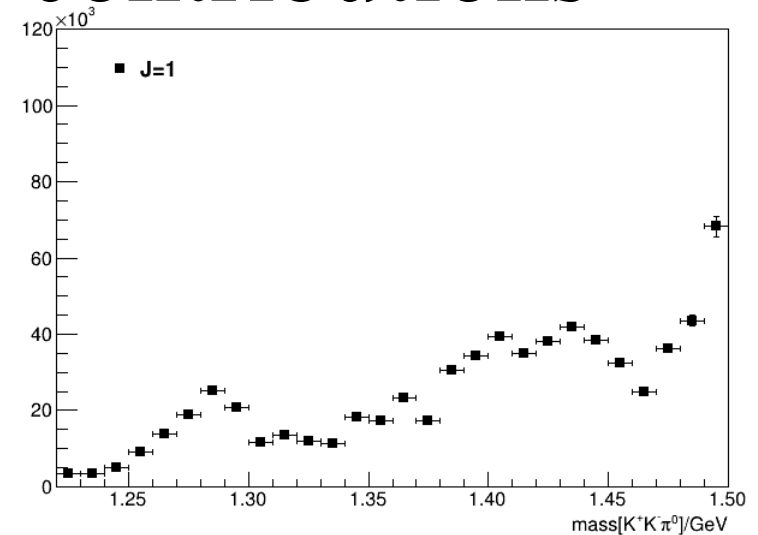
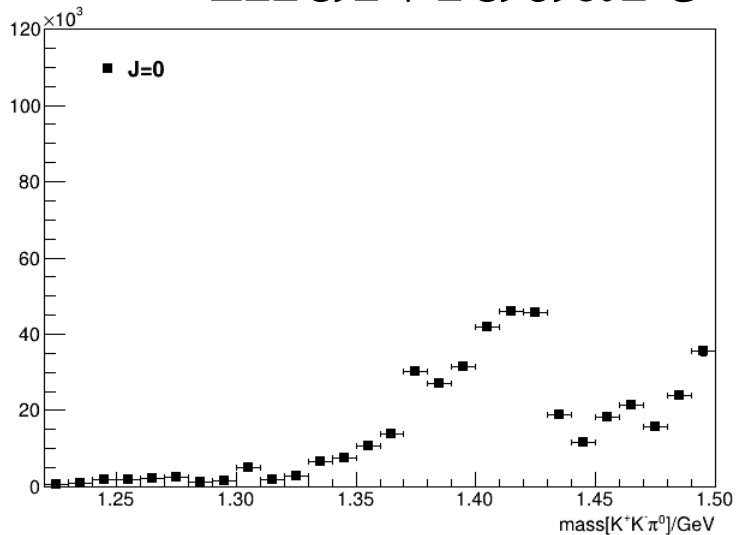


Individual $J=0, 1$ contributions



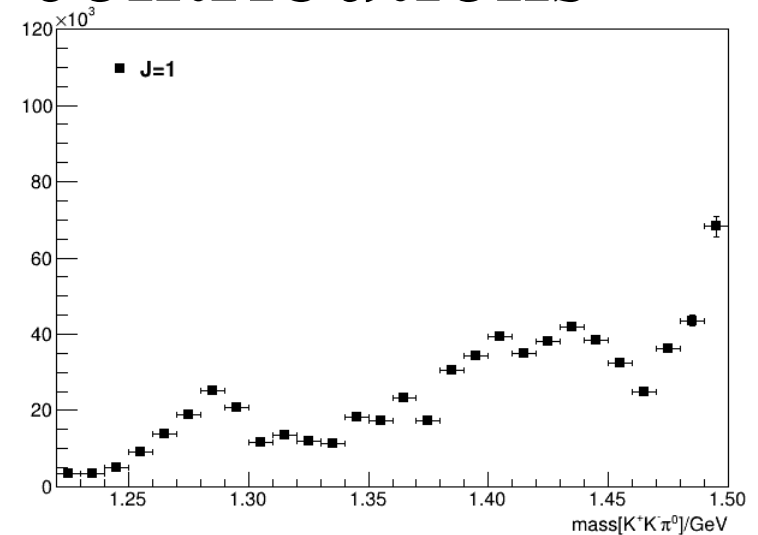
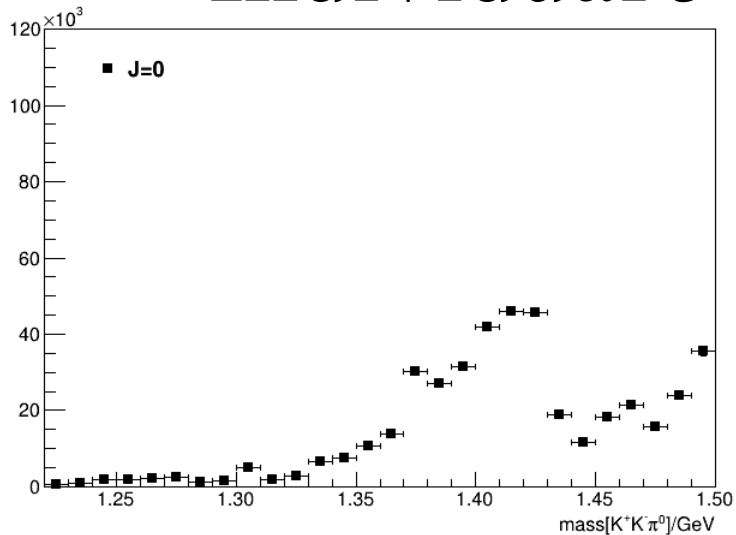
- Error bars look too small ☹️

Individual $J=0, 1$ contributions



- Error bars look too small ☹️
- Will bootstrap errors later

Individual $J=0, 1$ contributions



- Error bars look too small ☹
- Will bootstrap errors later
- Will use quick temporary error estimates for now

Error estimate

- Breaking AmpTools results into parts that COULD add together to form the full fit IF no interference between the parts

Error estimate

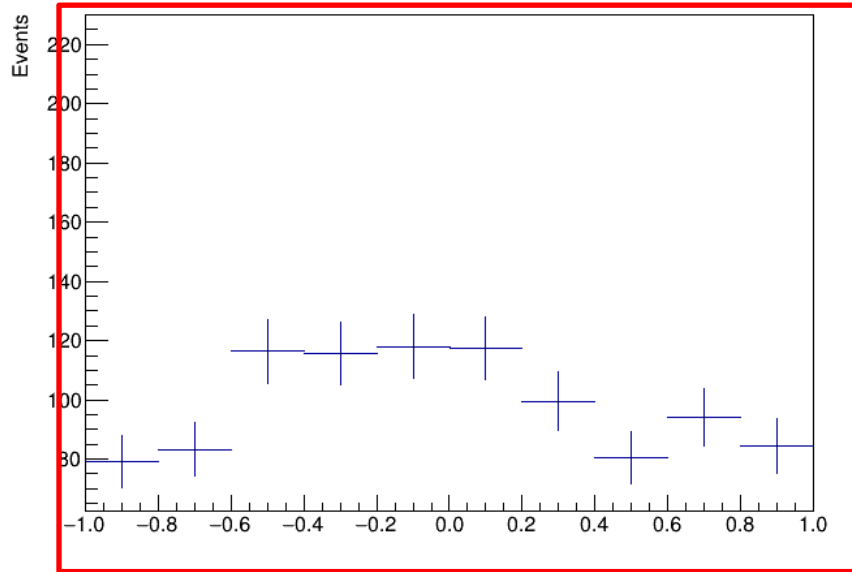
- Breaking AmpTools results into parts that COULD add together to form the full fit IF no interference between the parts
- Fit the AmpTools parts described above to the data

Error estimate

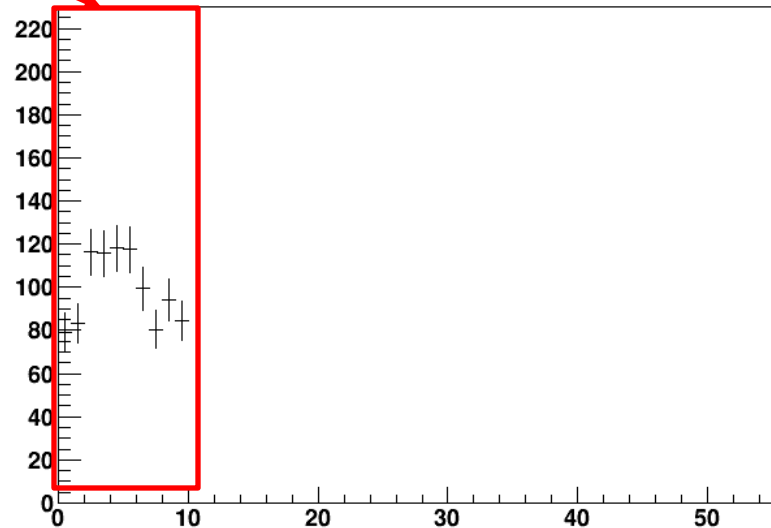
- Breaking AmpTools results into parts that COULD add together to form the full fit IF no interference between the parts
- Fit the AmpTools parts described above to the data
- Extract the uncertainty

Error estimate data construction

cos(θ_{GJ})

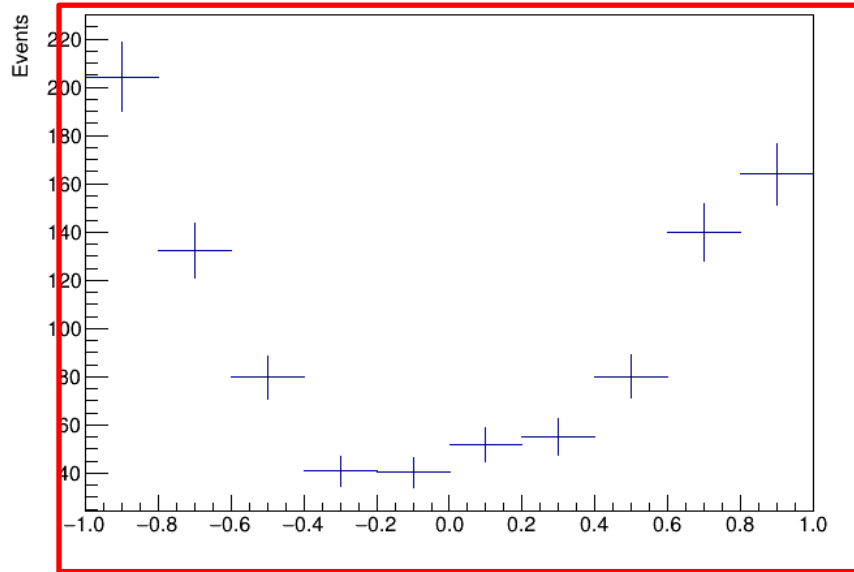


$$\text{Mass}[K^+K^-\pi^0] = 1405 \text{ MeV}$$

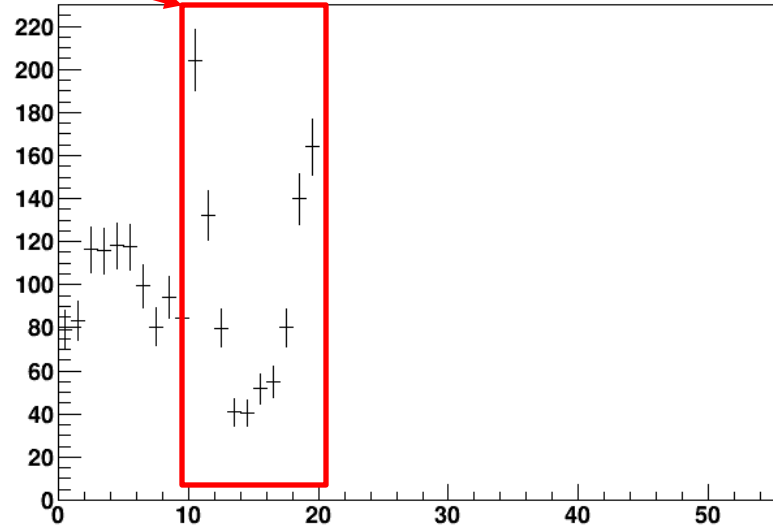


Error estimate data construction

$\cos(\theta_H)$

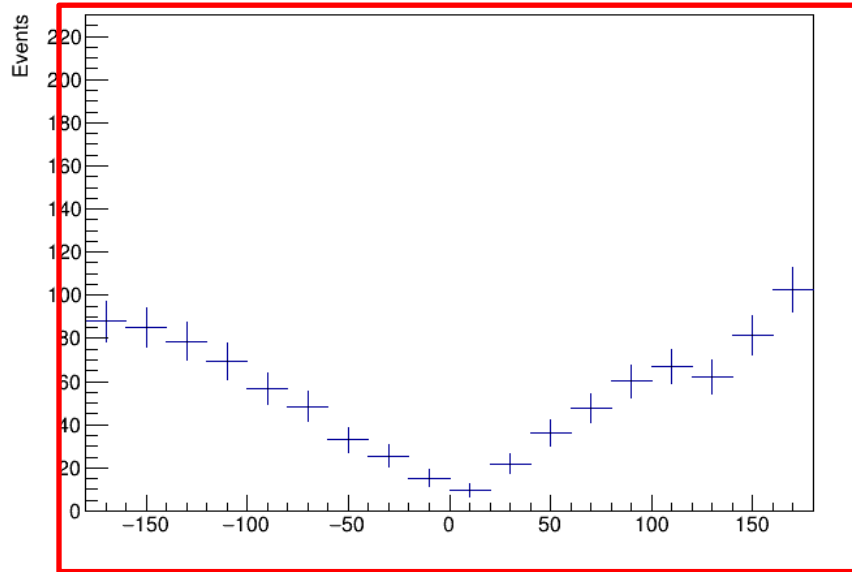


$$\text{Mass}[K^+K^-\pi^0] = 1405 \text{ MeV}$$

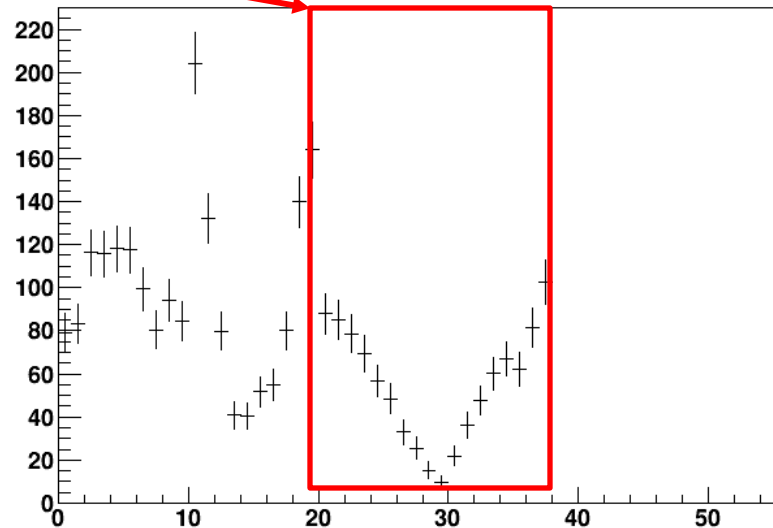


Error estimate data construction

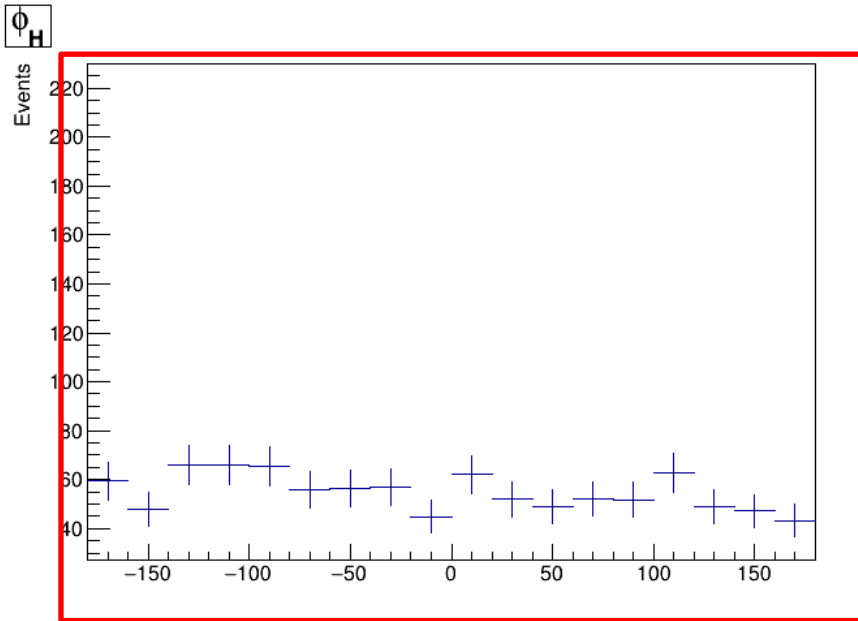
ϕ GJ



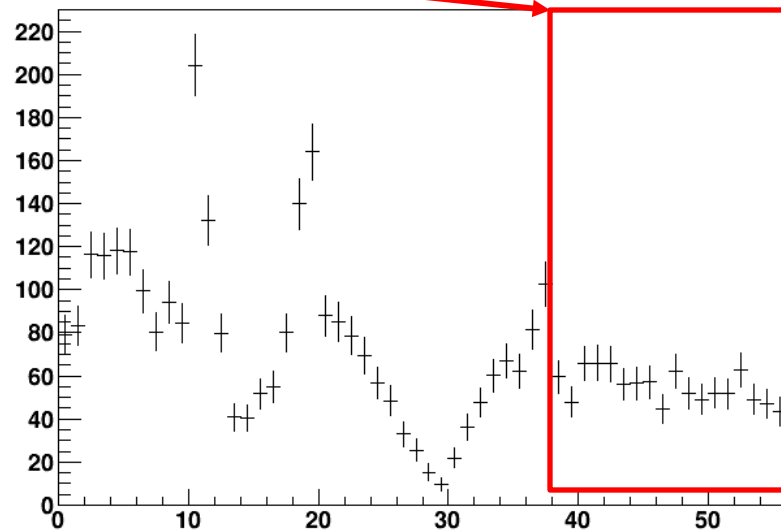
$$\text{Mass}[K^+K^-\pi^0] = 1405 \text{ MeV}$$



Error estimate data construction

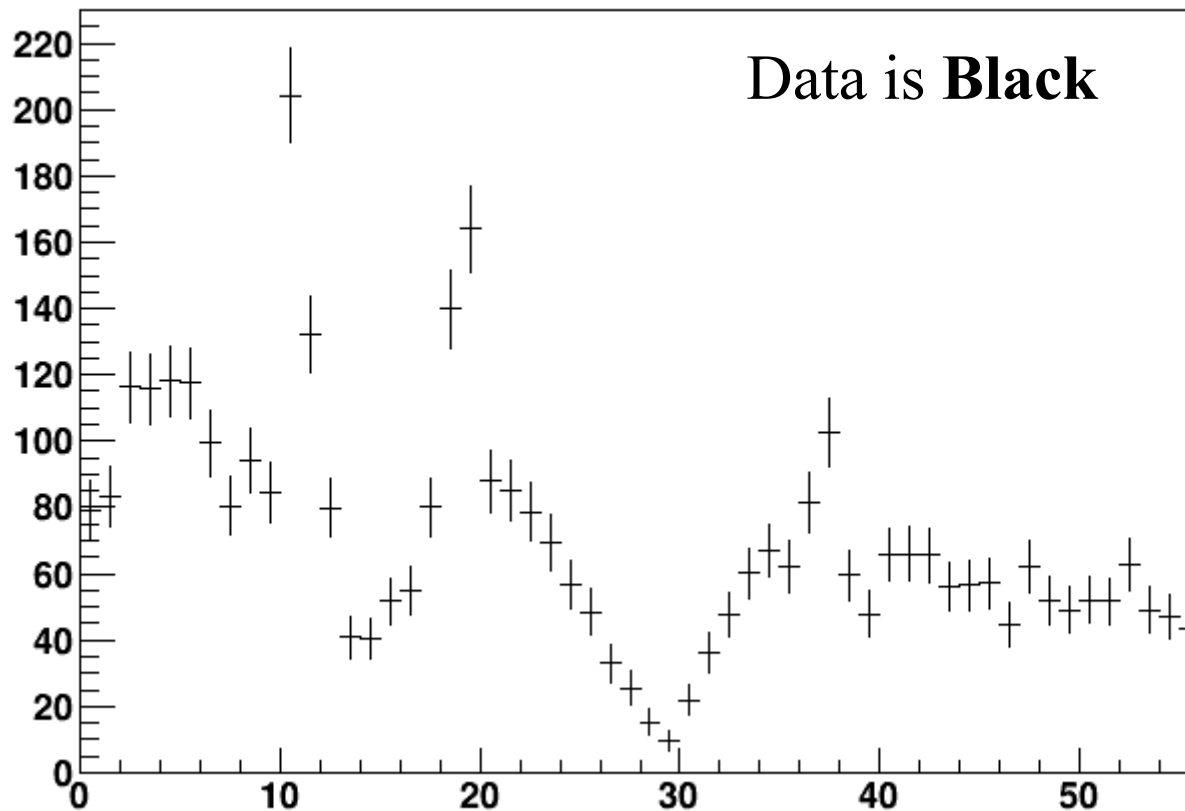


$$\text{Mass}[K^+K^-\pi^0] = 1405 \text{ MeV}$$



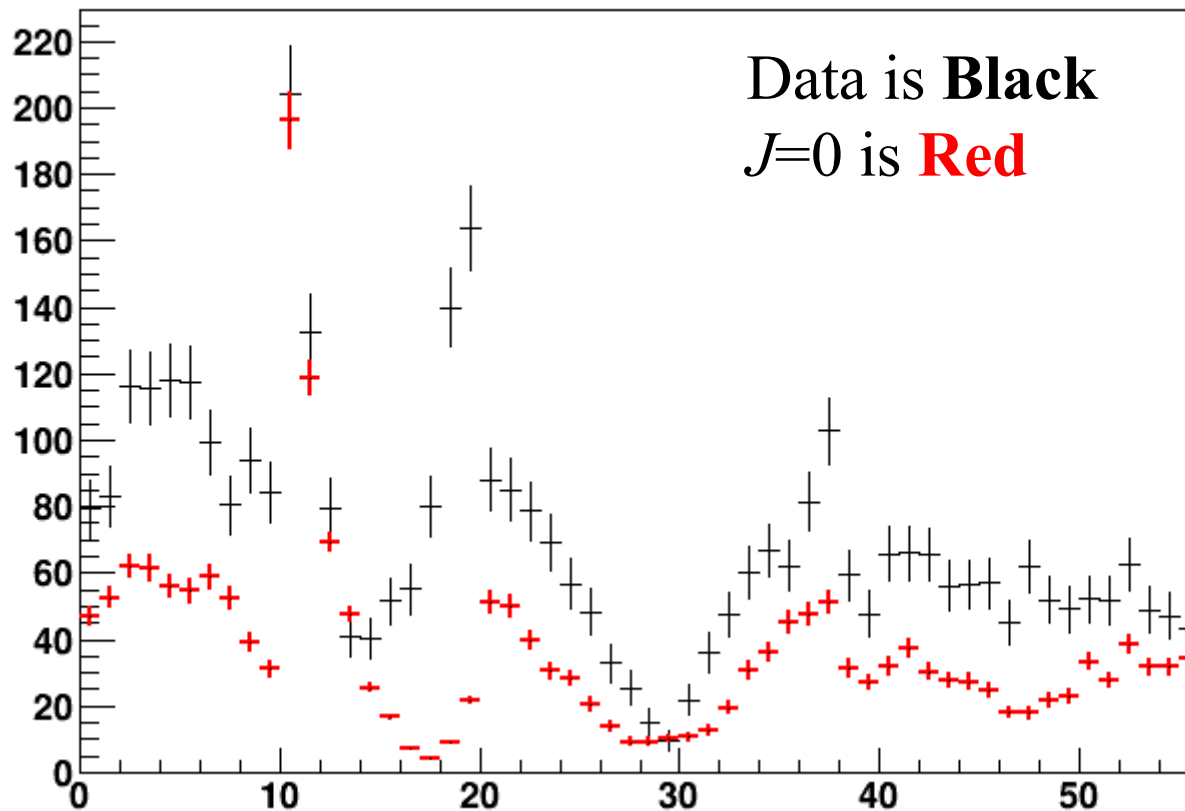
Error estimate data construction

$$\text{Mass}[K^+K^-\pi^0] = 1405 \text{ MeV}$$



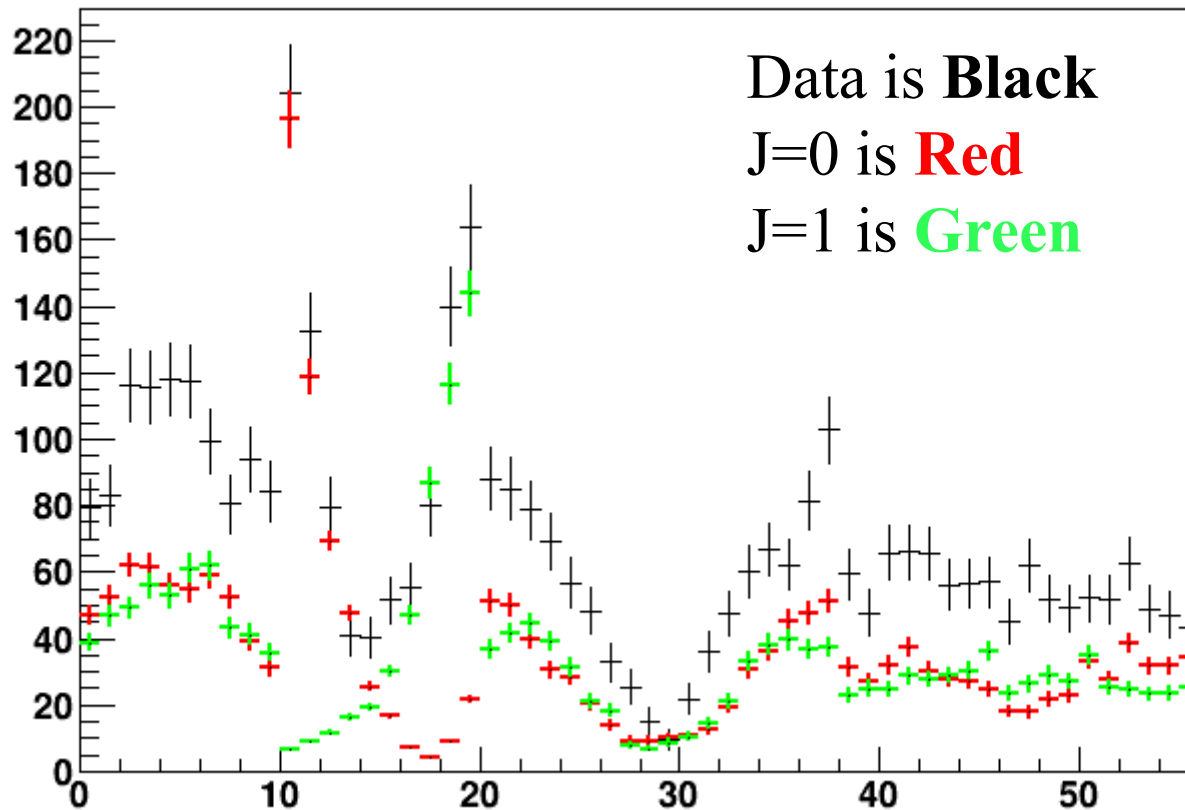
Error estimate data construction

$$\text{Mass}[K^+K^-\pi^0] = 1405 \text{ MeV}$$



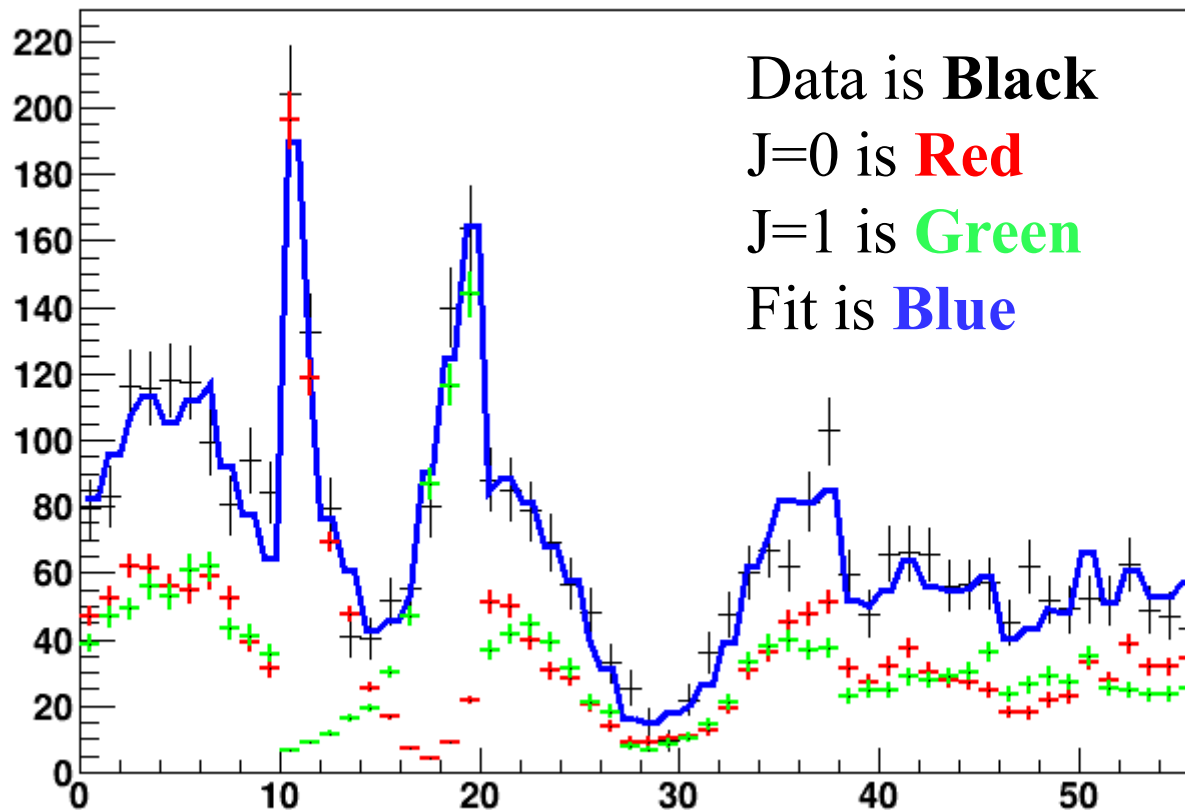
Error estimate data construction

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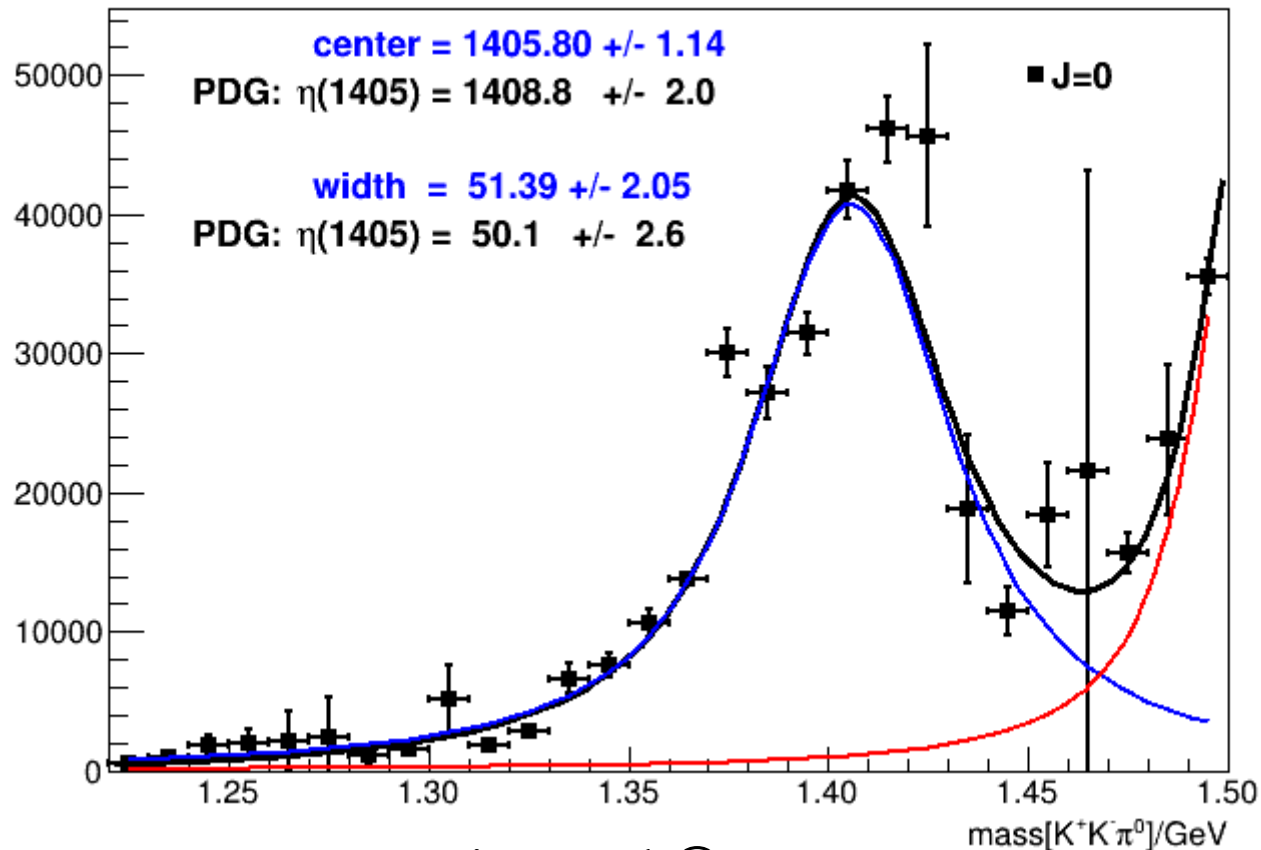
Error estimate data construction

$$\text{Mass}[K^+K^-\pi^0] = 1405 \text{ MeV}$$



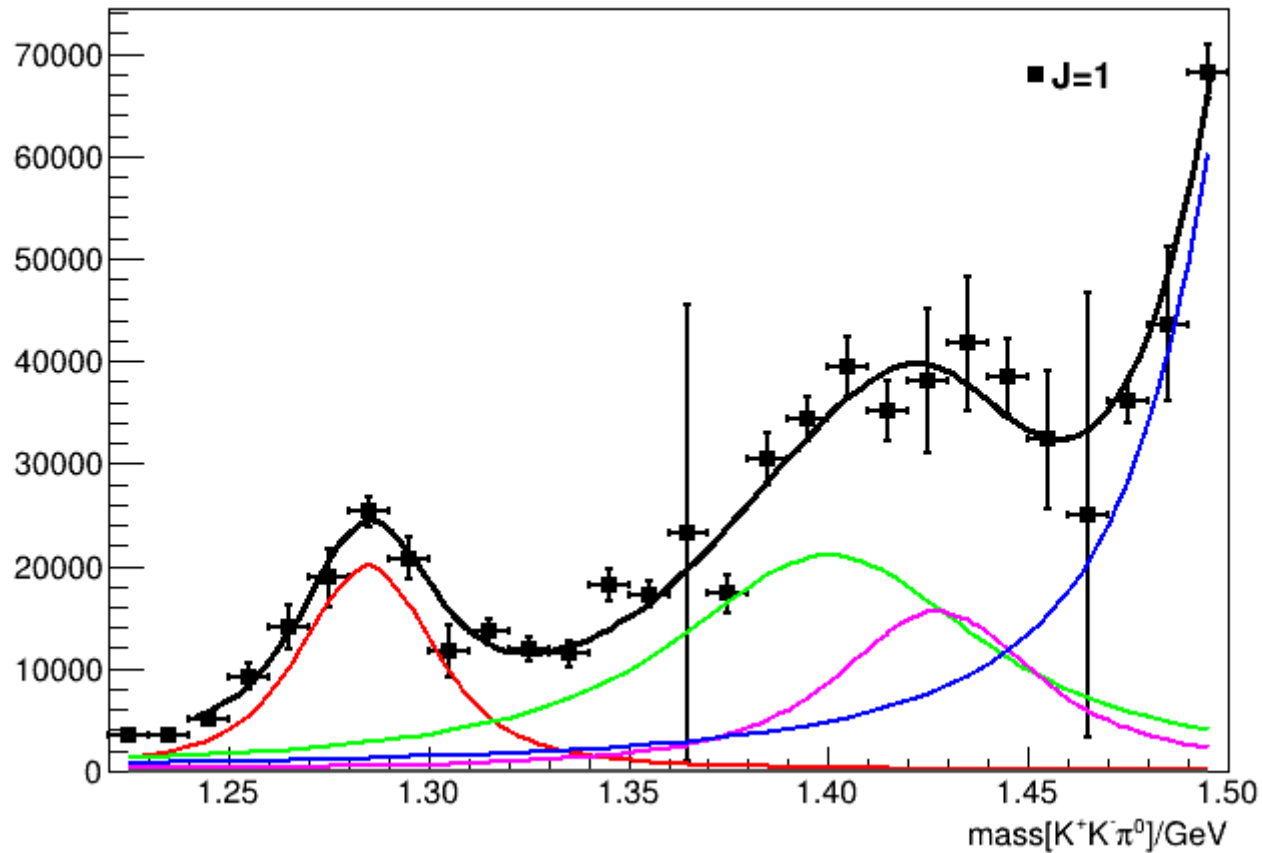
- Fit data to $aJ_0 + bJ_1$, where a and b are parameters of the fit
- The errors on a and b are then used in estimating the error for the $J=0$ and $J=1$ terms, respectively, for this mass bin

$J = 0$ fit results compared to $\eta(1405)$

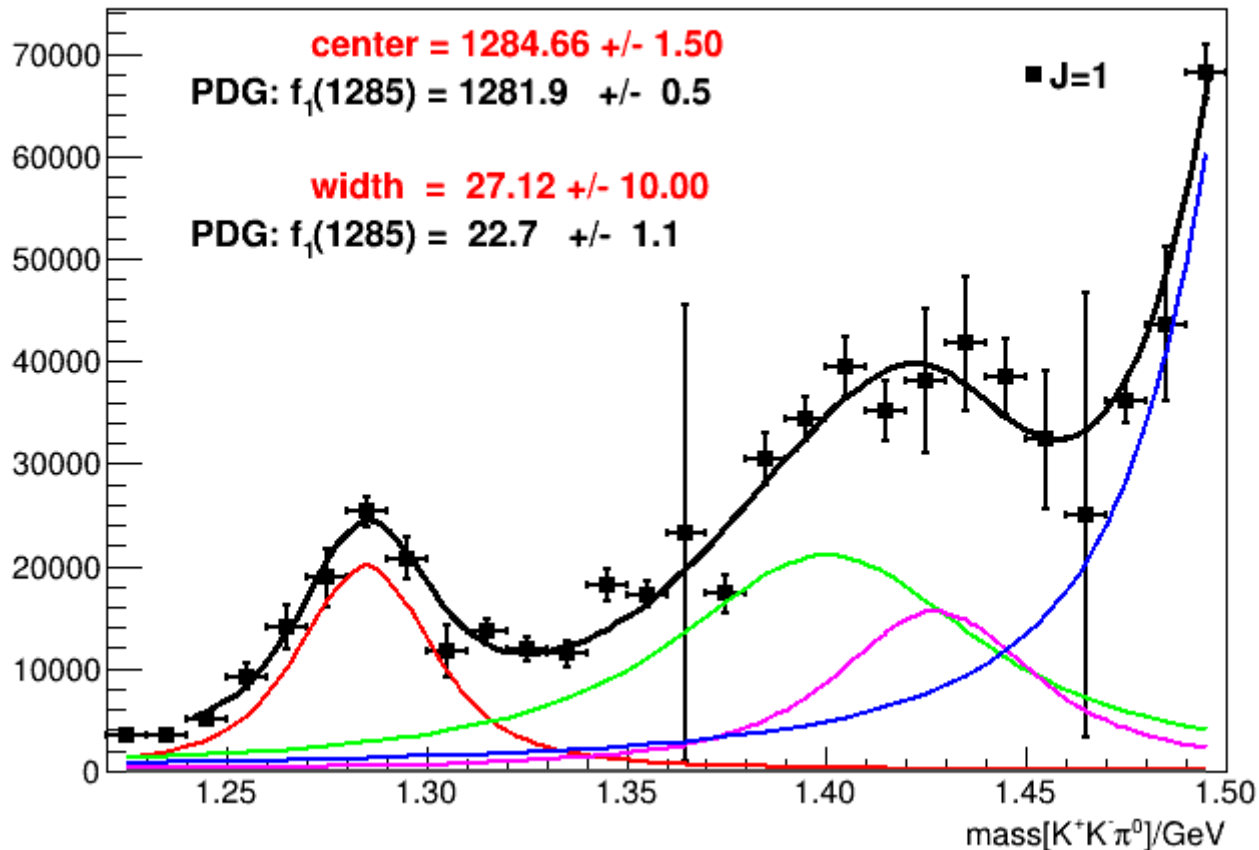


- Mass center is good 😊
- Width is good 😊
- Background (red) is ? 😞

$J = 1$ fit results

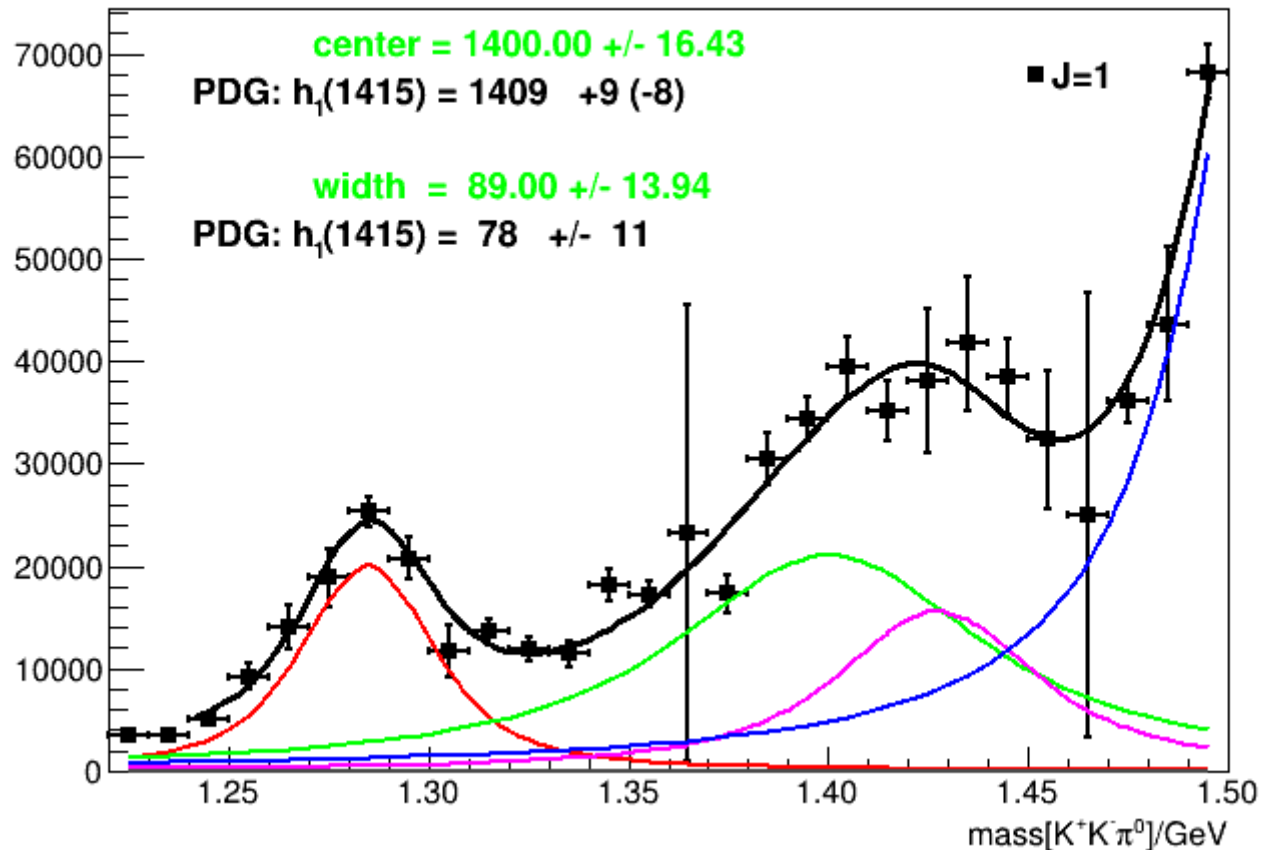


$J = 1$ fit results compared to $f_1(1285)$



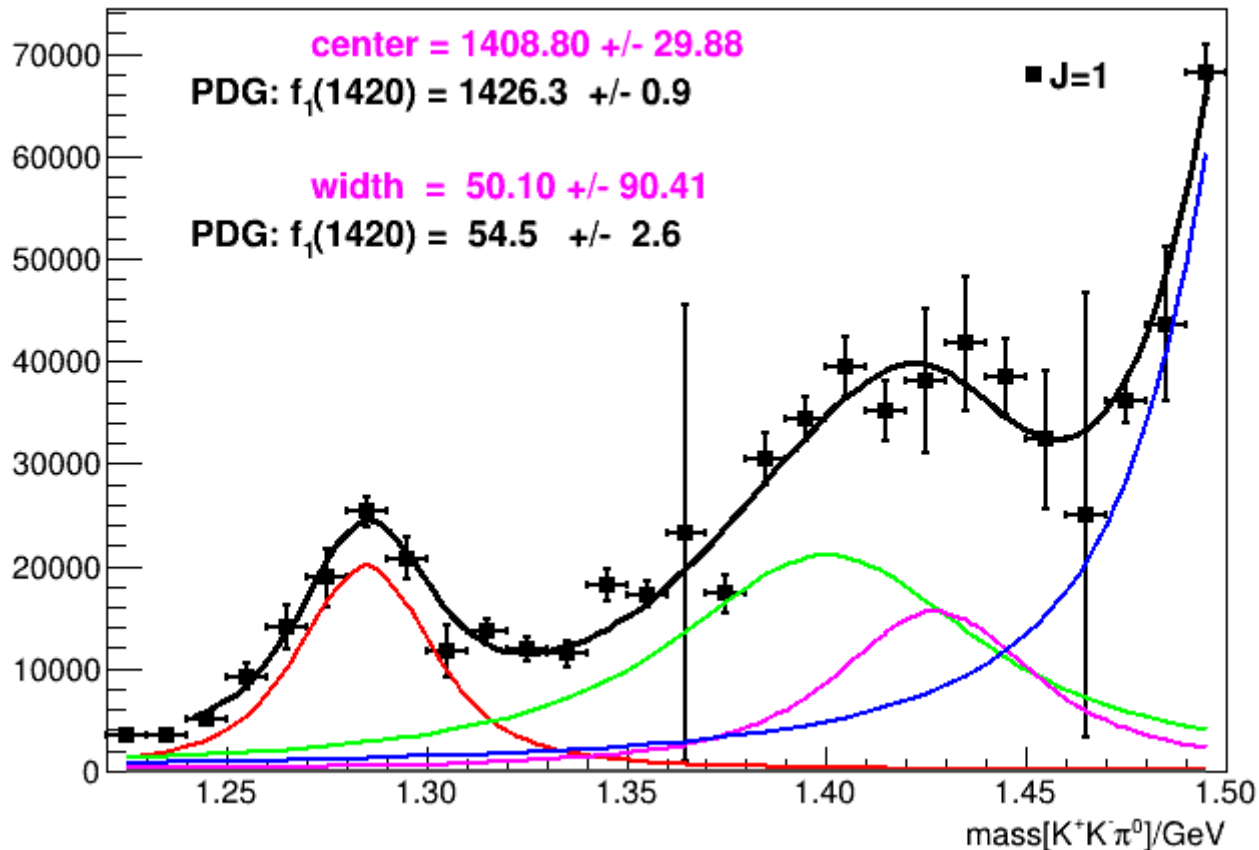
- Mass center is too slightly off ☹️
- Width is good 😊

$J = 1$ fit results compared to $h_1(1415)$



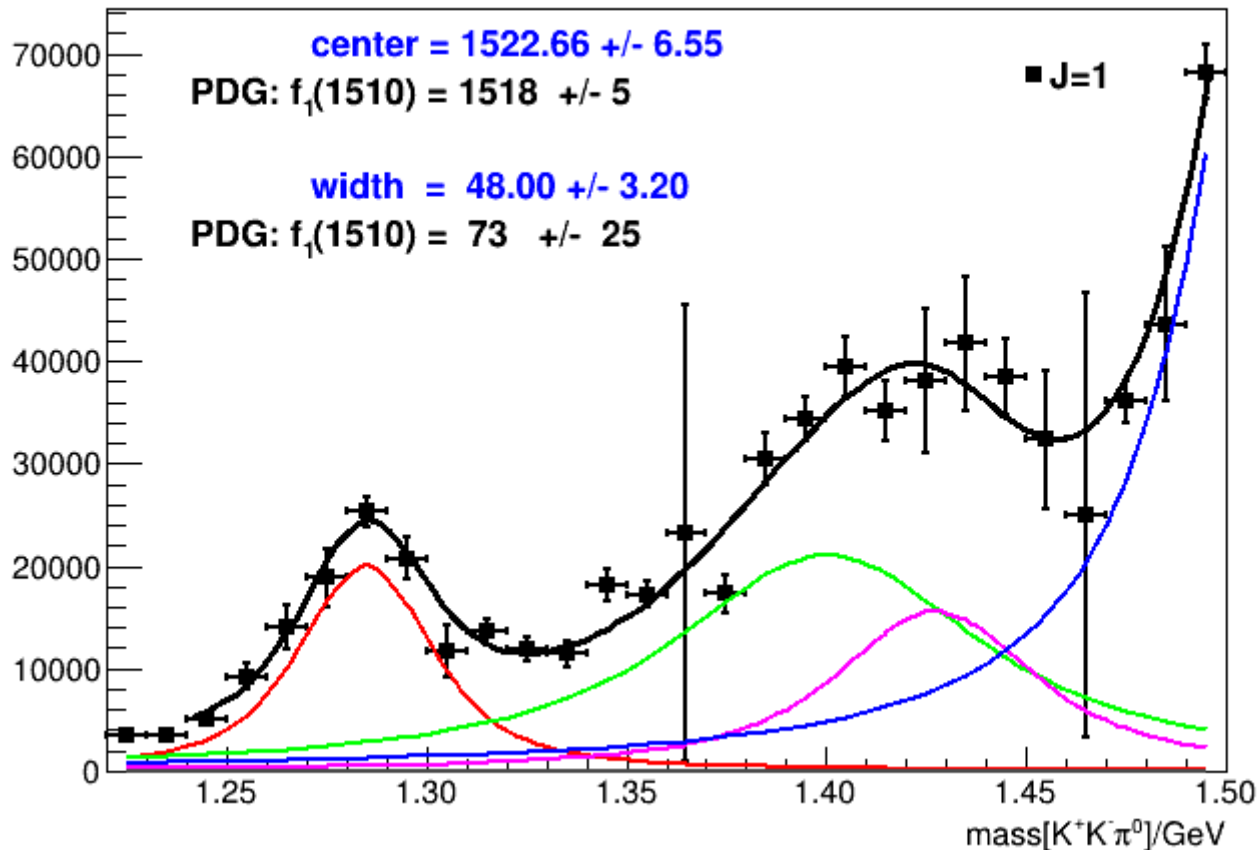
- Mass center hit limit ☹
- Width hit limit ☹

$J = 1$ fit results compared to $f_1(1420)$



- Mass center is good, but huge uncertainty ☹
- Width is good, but huge uncertainty ☹

$J = 1$ fit results compared to $f_1(1520)$



- Mass center is too good but off the figure ☹
- Width hit the limit ☹

Title

