

$E^* \rightarrow E\pi^0$  update

# Reaction

$$\gamma p \rightarrow K^+ K^+ \Xi^- \pi^0$$

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$$\gamma p \rightarrow K^+ K^+ \bar{E}^- \pi^0,$$
$$\bar{E}^- \rightarrow \Lambda \pi$$

where

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$$\Xi^- \rightarrow \Lambda \pi$$

$$\Lambda \rightarrow p \pi^-$$

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Requires 2 steps to obtain  $\Xi^*$  :

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Requires 2 steps to obtain  $\Xi^*$  :

- Step 1:  $\gamma p \rightarrow K Y^*$

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and

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Requires 2 steps to obtain  $\Xi^*$  :

- Step 1:  $\gamma p \rightarrow K Y^*$
- Step 2:  $Y^* K \rightarrow \Xi^*$



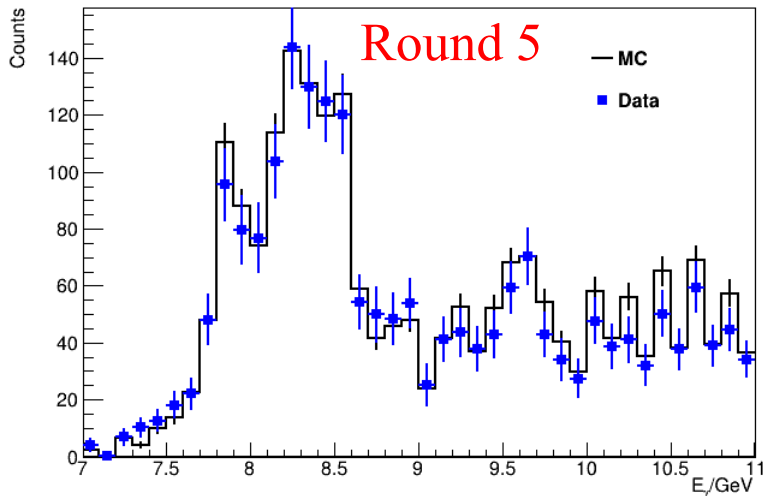
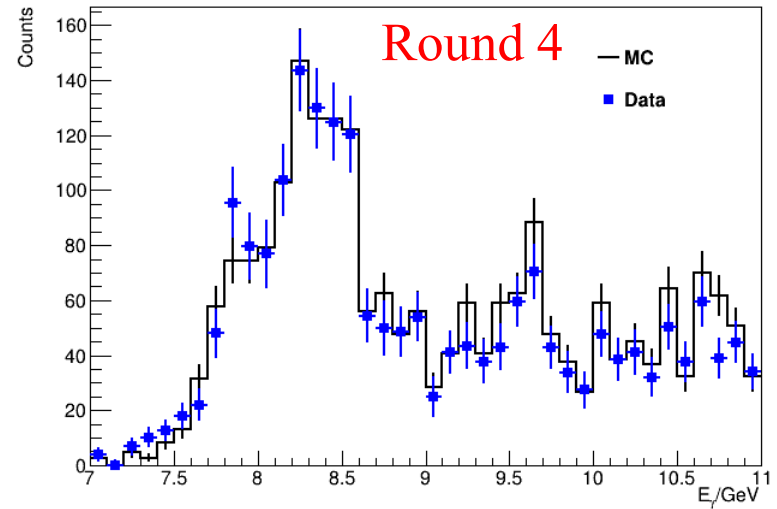
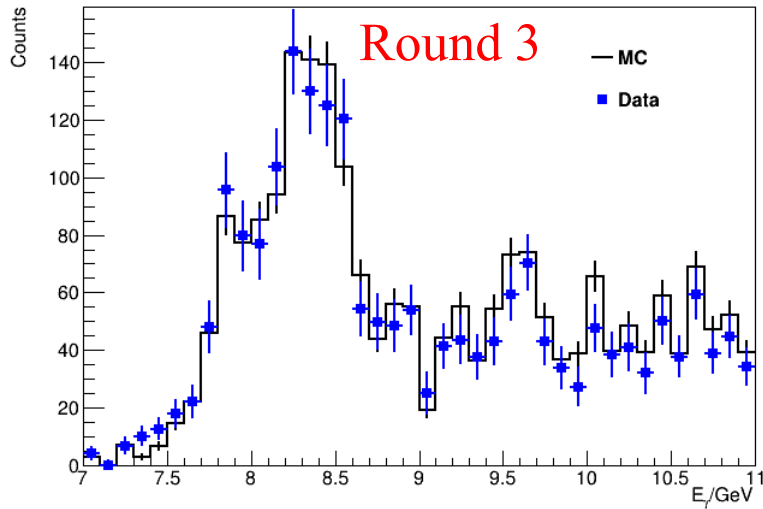
# $E^*$ Generator Refinement

- Starting with code from Brandon build for  $E(1530)$  and modifying for general  $E^*$
- Taking the initial reaction as  $\gamma p \rightarrow K Y^*$
- Mandelstam variables have relationship:
  - $s+t+u = m_\gamma^2 + m_p^2 + m_K^2 + m_{Y^*}^2$
- We can lock down the kinematics of the initial reaction by specifying  $s$ ,  $t$  and  $m_{Y^*}$
- Started with Mandelstam  $s$  and  $t$

# $E^*$ Comparison of Reconstructed MC to Actual Data

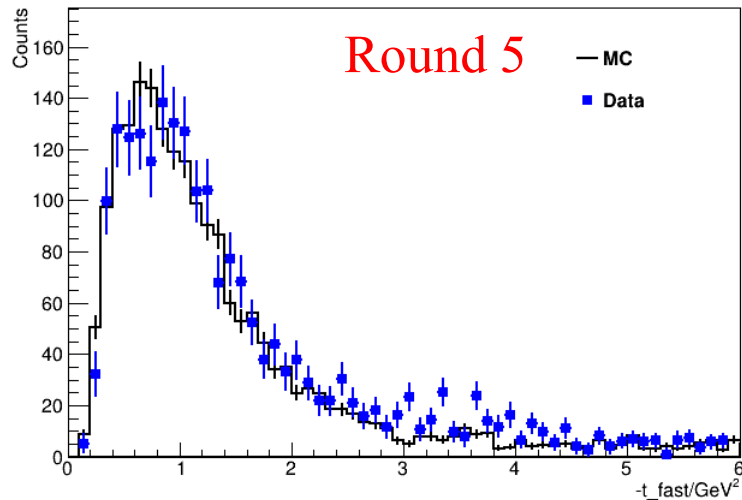
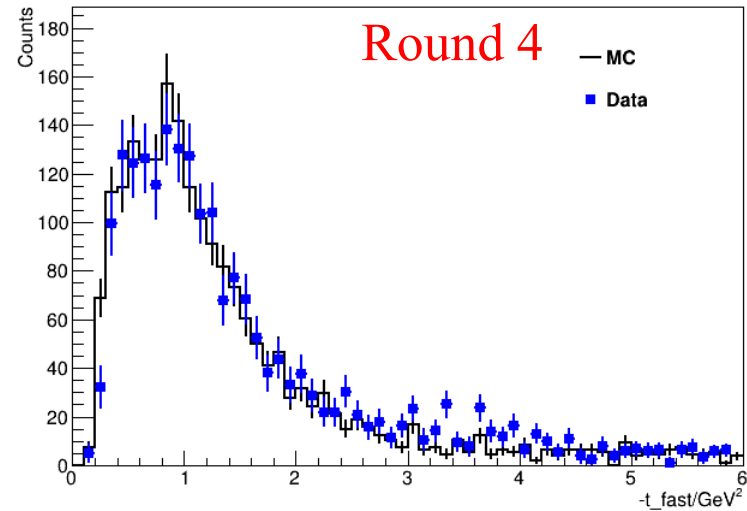
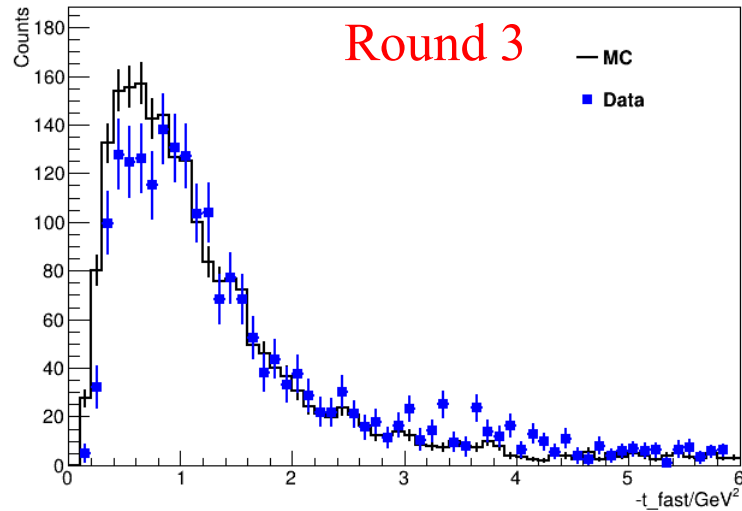
- Three rounds of MC to set  $t$ -slope (parameter  $b$  in  $Ae^{-b|t|}$ ) to  $1.138/\text{GeV}^2$
- Fourth round: First pass at shaping mass[ $Y^*$ ]
- Fifth round: Second pass at shaping mass[ $Y^*$ ]

# $E^*$ Comparison of Reconstructed MC to Actual Data

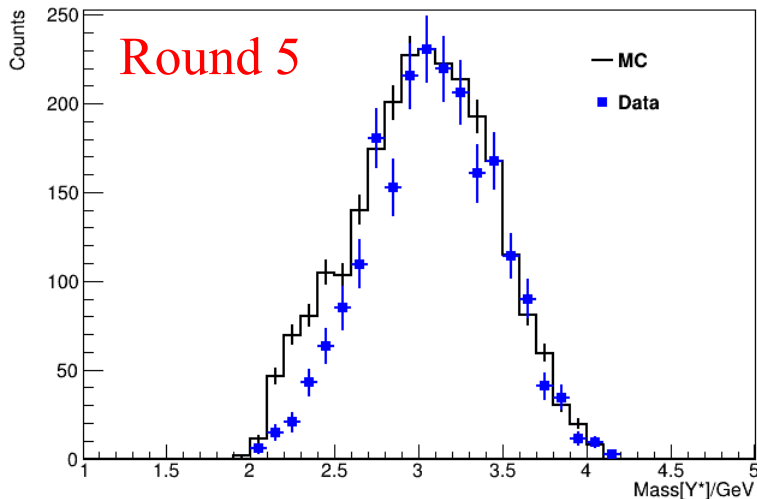
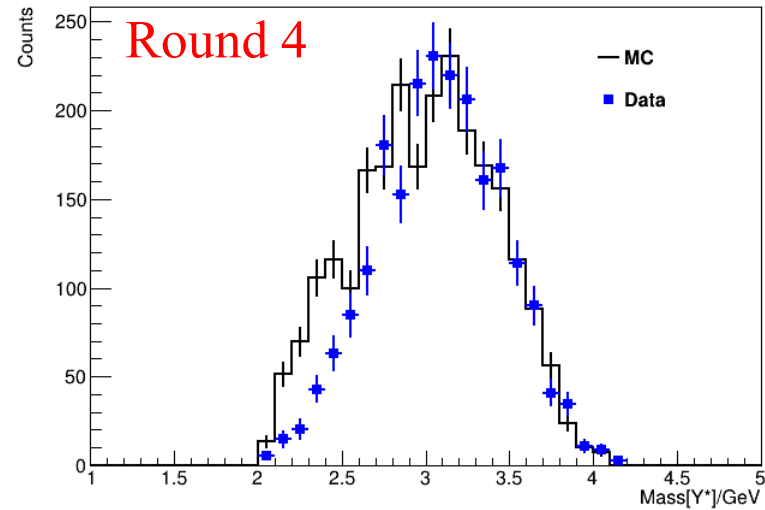
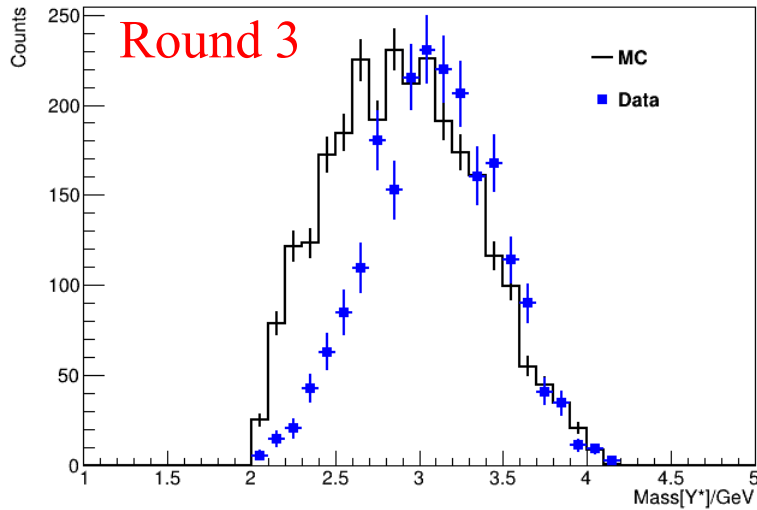


- Distribution in  $E_\gamma$  distribution is good for each round  $\rightarrow s$  is good

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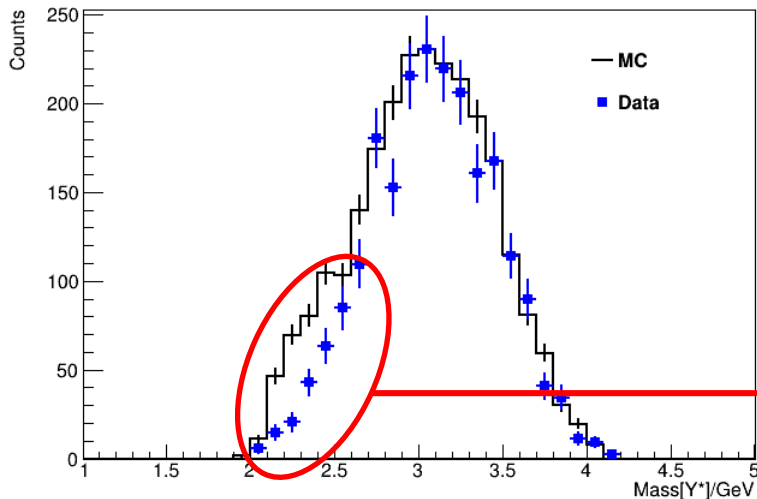
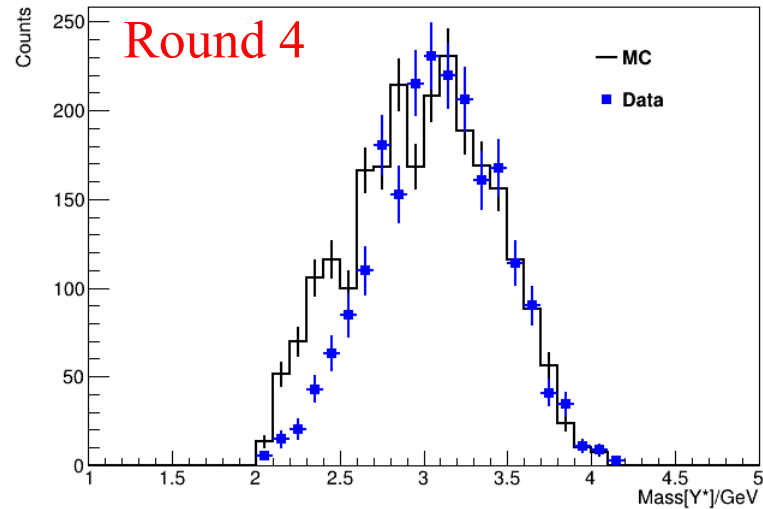
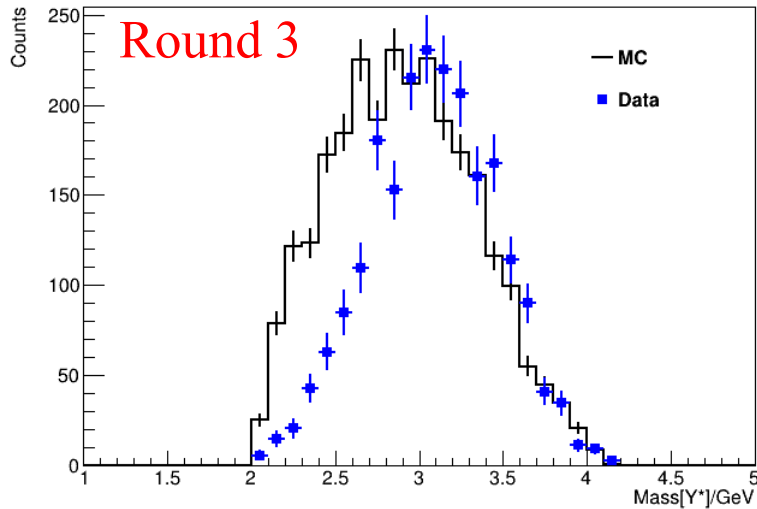


# $E^*$ Comparison of Reconstructed MC to Actual Data



- Mass[ $Y^*$ ] is not getting much better!

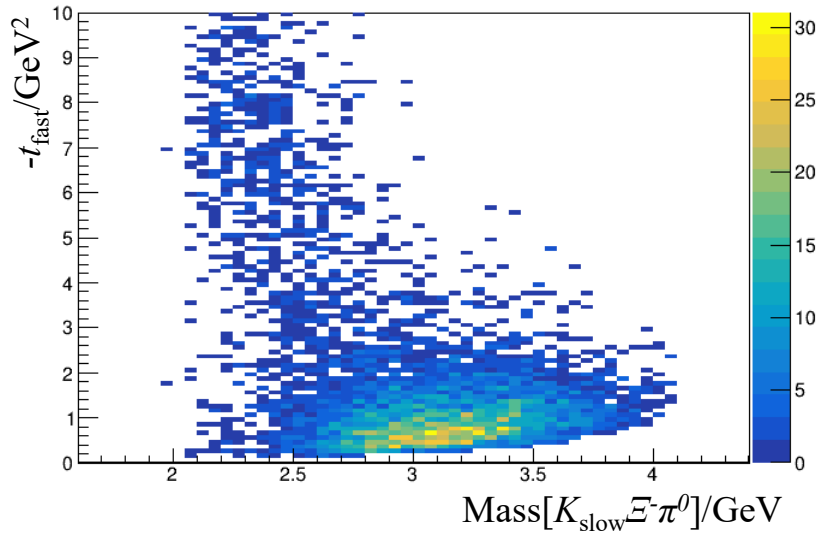
# $E^*$ Comparison of Reconstructed MC to Actual Data



- Mass[ $Y^*$ ] is not much getting better!

What is going on here?

# $|t_{\text{fast}}|$ vs Mass $Y^*$

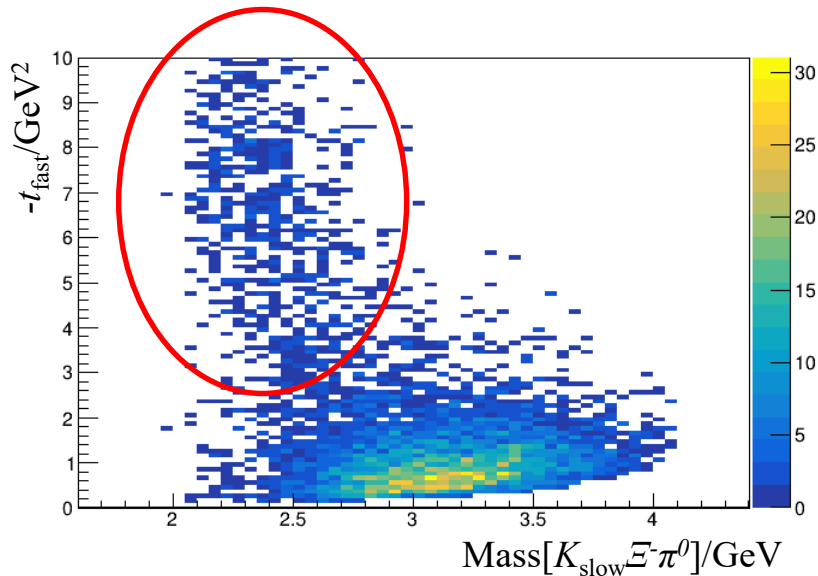


I assume

- $\gamma p \rightarrow K_{\text{fast}} Y^*$
- $Y^* \rightarrow K_{\text{slow}} \Xi^*$
- $\Xi^* \rightarrow \Xi \pi$

I take  $t_{\text{fast}}$  from exchange  
between  $\gamma$  and  $K_{\text{fast}}$

# $|t_{\text{fast}}|$ vs Mass $Y^*$



I assume

- $\gamma p \rightarrow K_{\text{fast}} Y^*$
- $Y^* \rightarrow K_{\text{slow}} \Xi^*$
- $\Xi^* \rightarrow \Xi \pi$

I take  $t_{\text{fast}}$  from exchange between  $\gamma$  and  $K_{\text{fast}}$

- Looks like  $\gamma p \rightarrow K_{\text{fast}} Y^*$  is probably the wrong assumption for region in **red circle**. Perhaps not even  $t$ -channel process. Can cut out **red circle** events with simple cut on  $|t|$

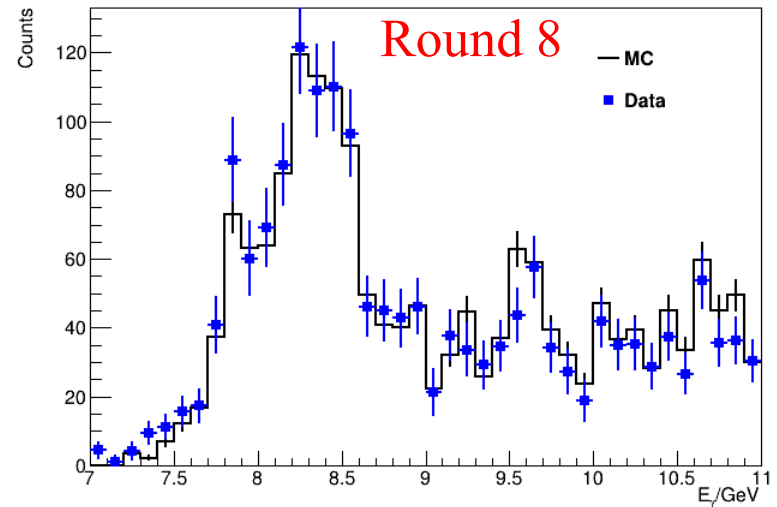
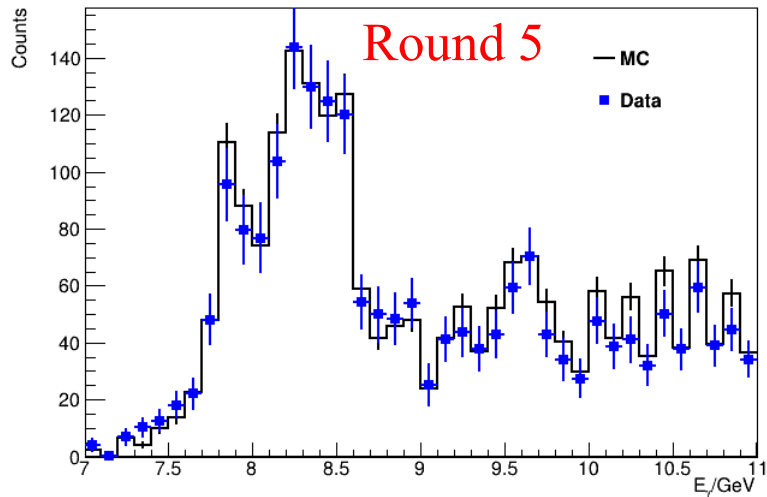
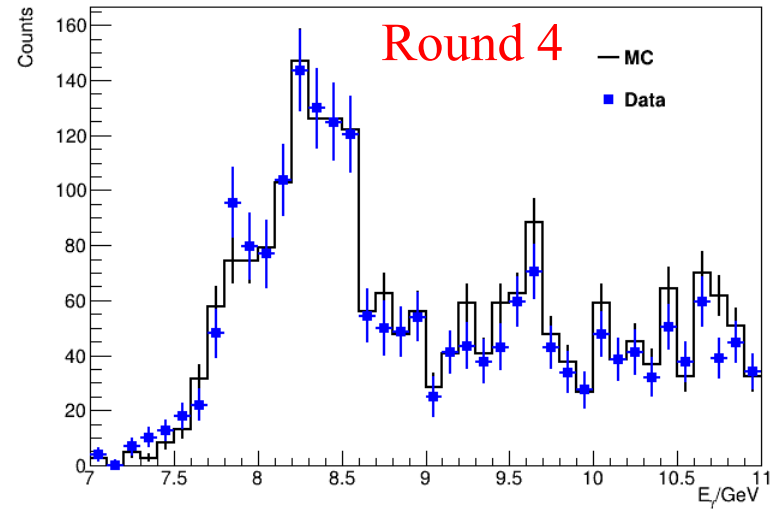
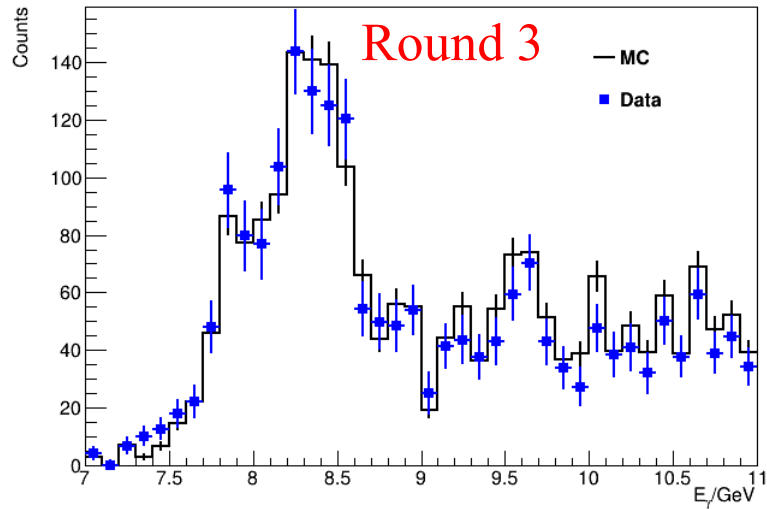


# $\Xi^* \rightarrow \Xi\pi^0$ update

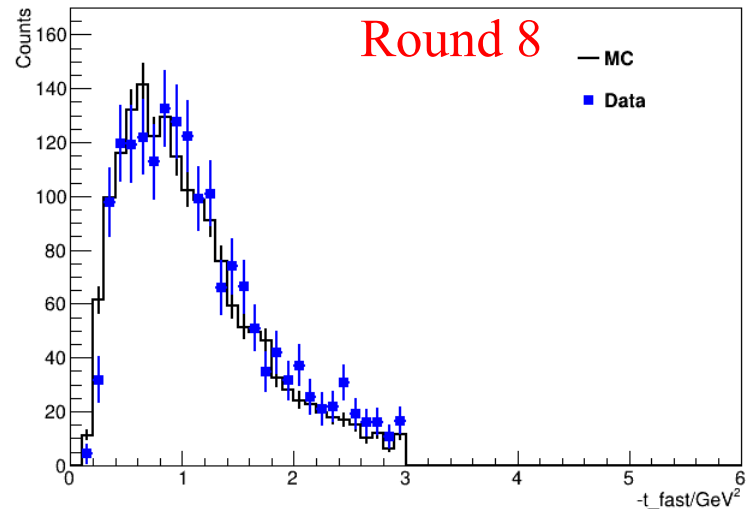
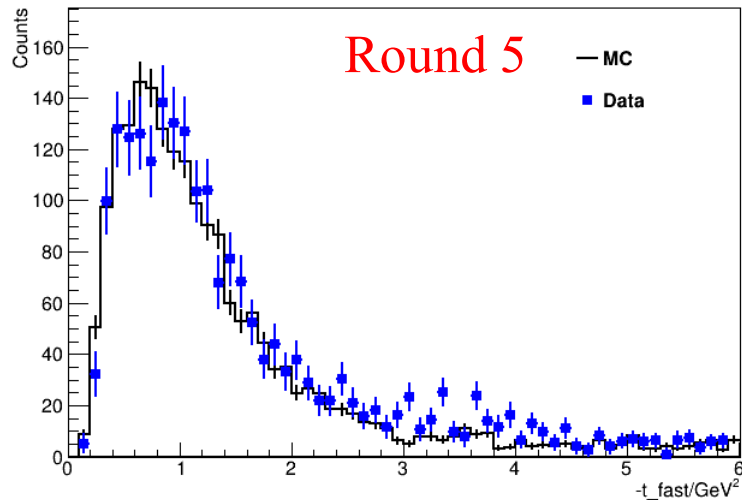
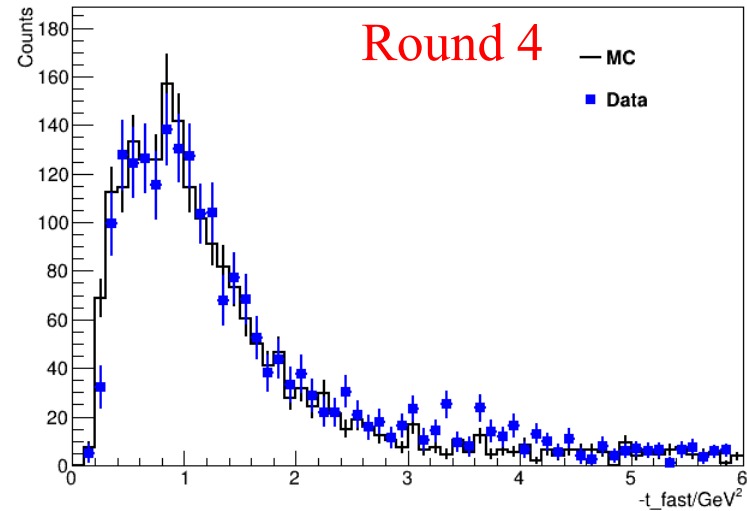
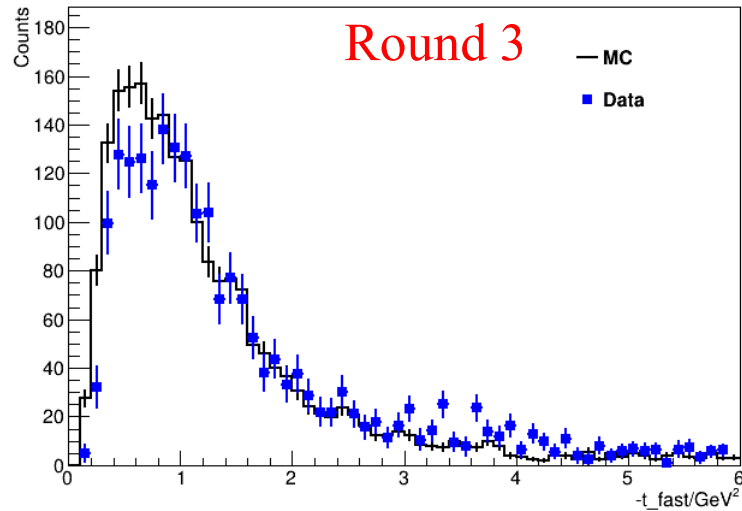
**NEW:** I went back to round 4 and cut out events with  $|t_{\text{fast}}| > 3$  GeV<sup>2</sup>

The above is what I am now calling round 8 (rounds 6 and 7 had various errors)

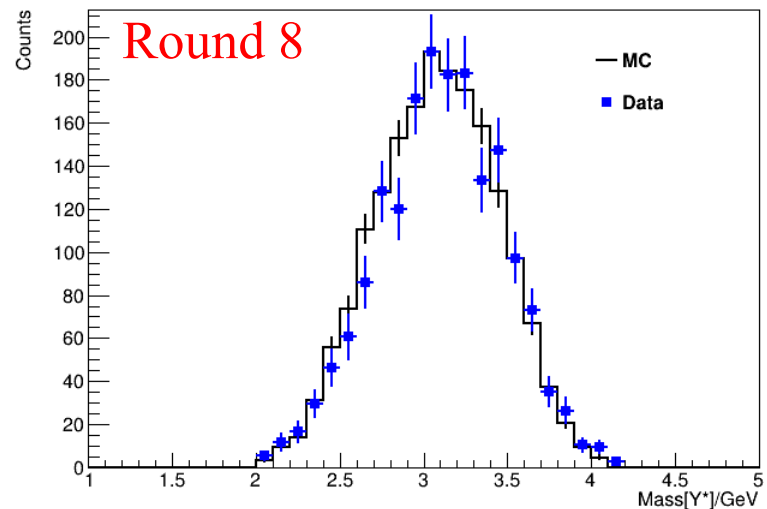
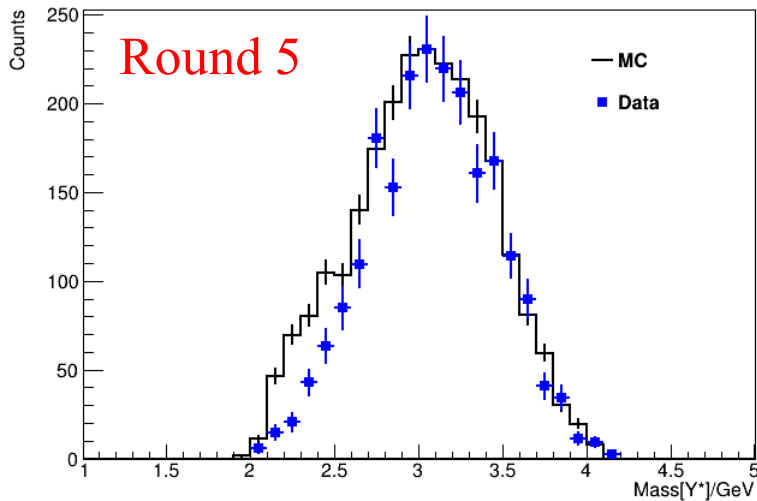
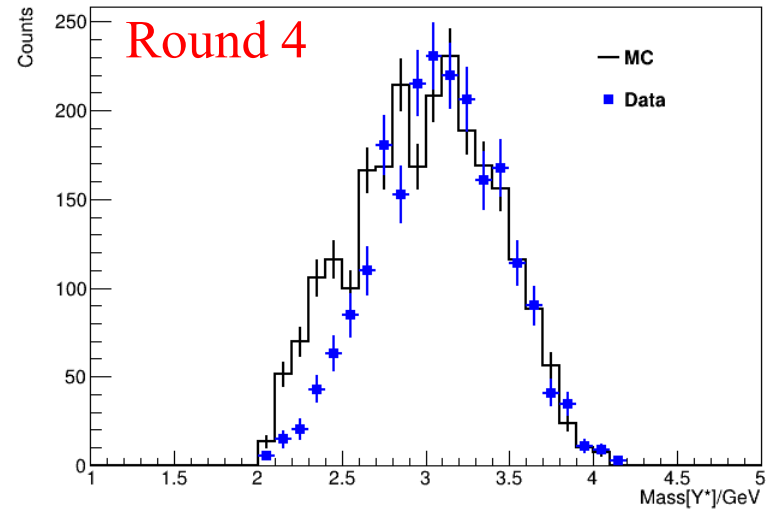
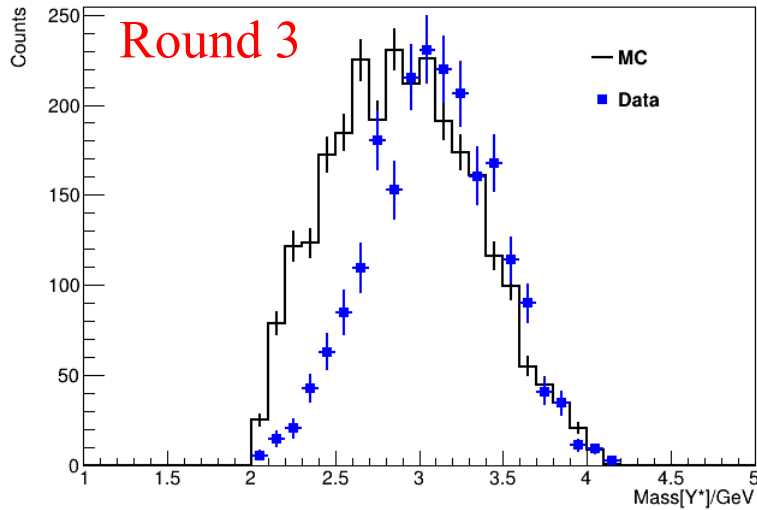
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# Next step

- Momentum comparisons are the next thing I will look at