

# Preliminary Cross Section for $E(1530)$

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Preliminary  $E^{*-}(1530) \rightarrow E^{-}\pi^0$  cross  
section

# Decay chain

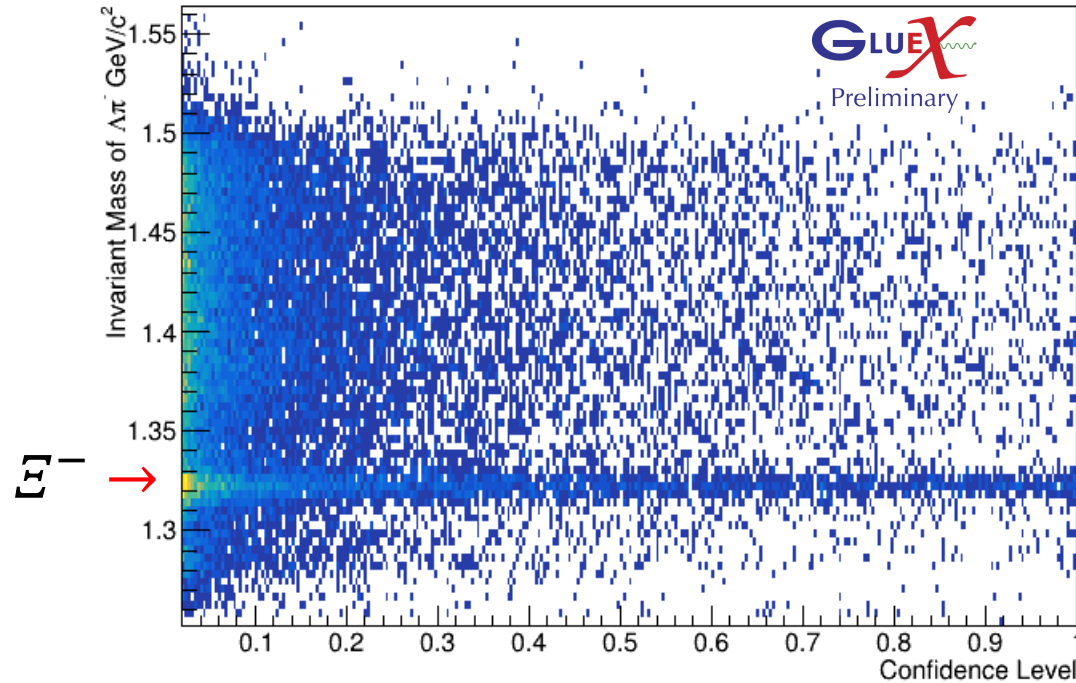
$$\gamma p \rightarrow K^+ K^+ \Xi^{-*}$$

$$\Xi^{-*} \rightarrow \Xi^- \pi^0$$

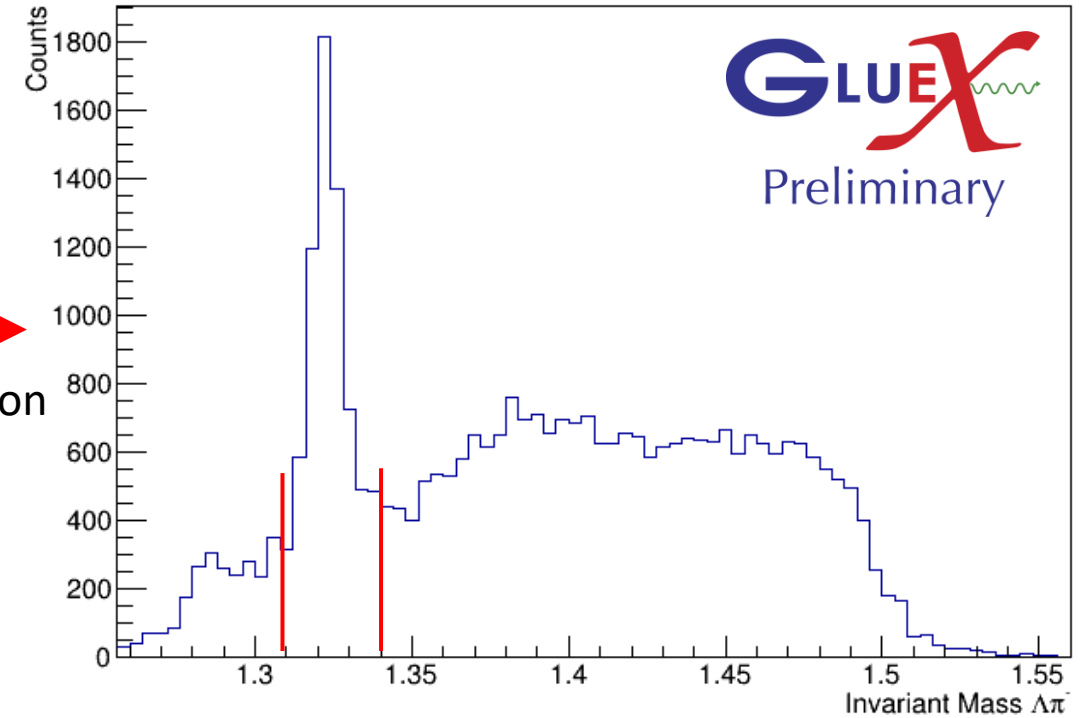
$$\Xi^- \rightarrow \Lambda \pi^-$$

Note:  $\pi^0 \rightarrow \gamma\gamma$  and  $\Lambda \rightarrow p\pi$

# $E^-$ Invariant mass selection



→  
Y-Projection



- Cut around the signal of the ground state cascade

# Background contamination from $K^*$

- From the combinatorics of all final state particles, there can be an incorrectly linked  $K^*$  meson associated with the reaction

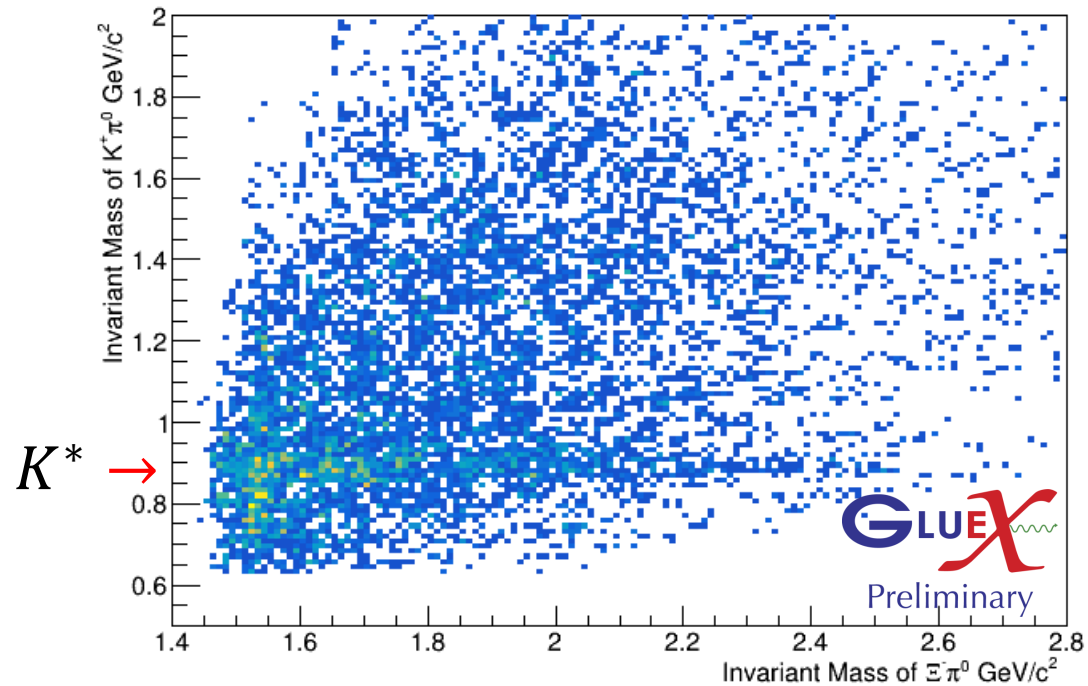
$$\gamma p \rightarrow K^+ K^+ \Xi^{-*}$$

$$\Xi^{-*} \rightarrow \Xi^- \pi^0$$

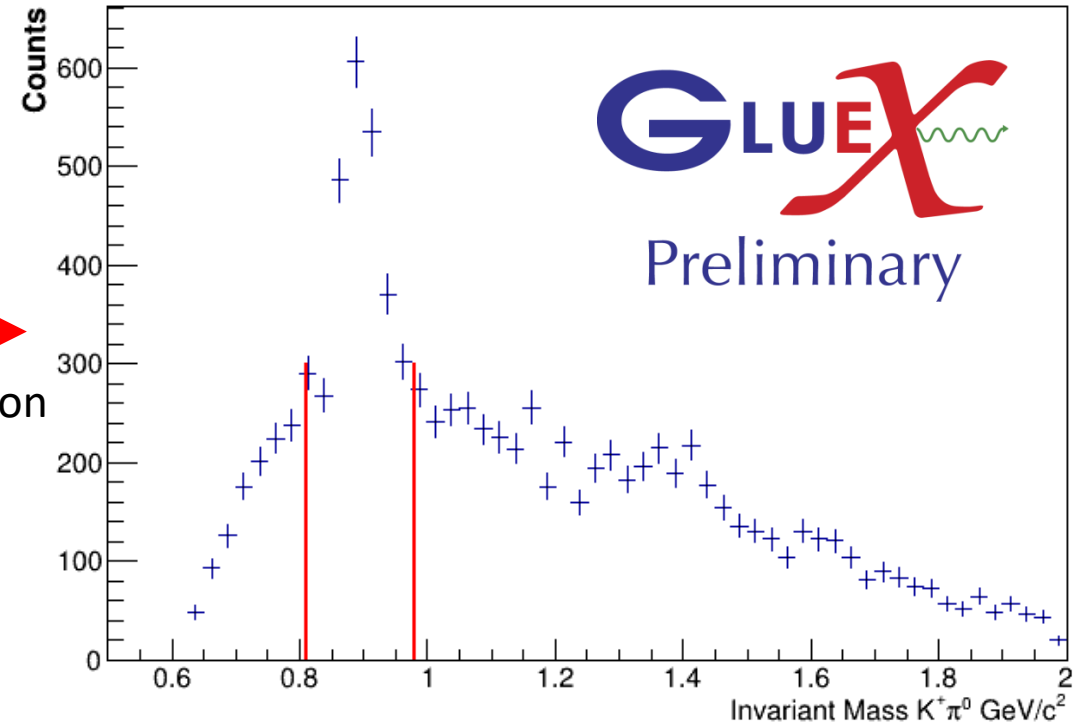
$$\gamma p \rightarrow K^+ (K^+ \pi^0) \Xi^-$$

$$K^{*+} \rightarrow K^+ \pi^0$$

# Background contamination from $K^*$



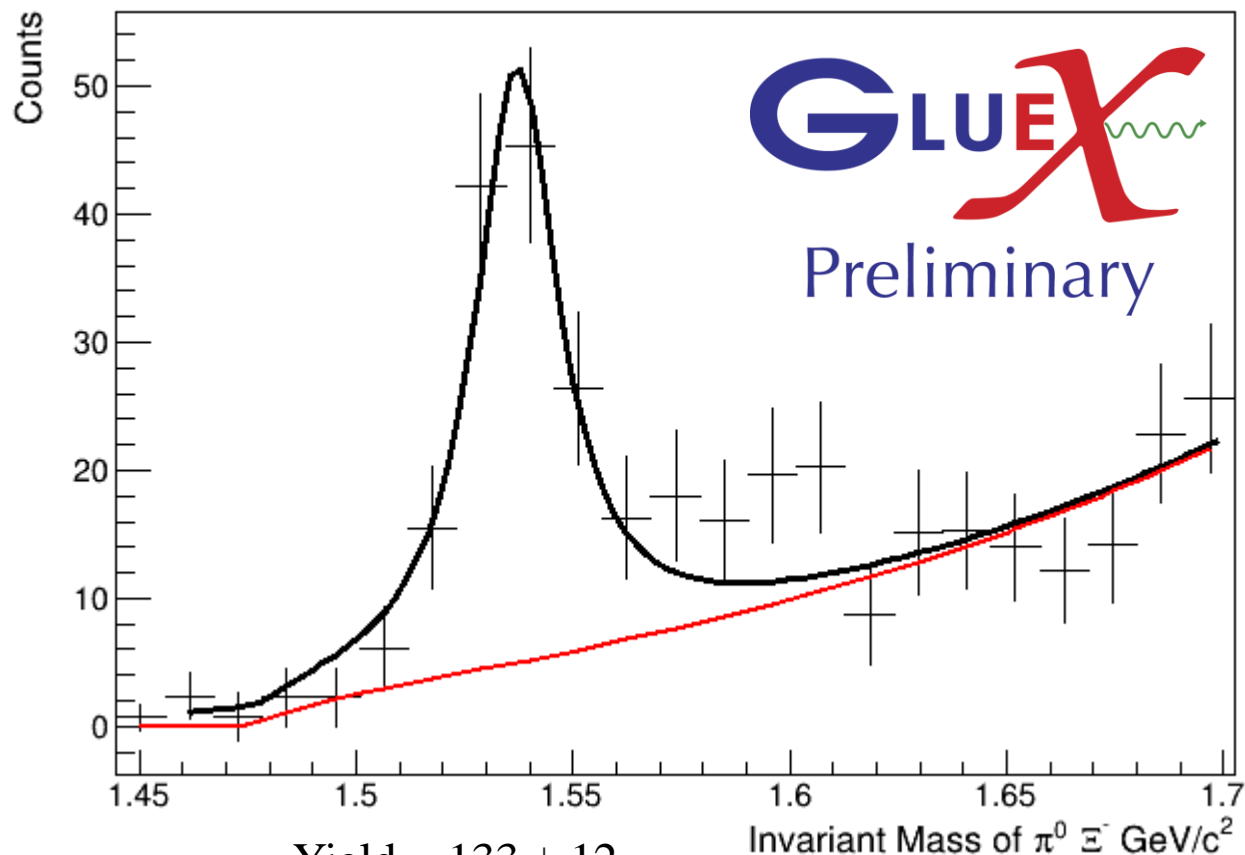
Y-Projection



- Reject events associated with  $K^* \rightarrow K^+\pi^0$  contamination

# Excited Cascade 1530 Reconstruction

~1/2 GlueX Phase 1 Dataset



Yield =  $133 \pm 12$

Center =  $1.537(2) \text{ GeV}/c^2$

Width =  $12(3) \text{ MeV}/c^2$

$\Xi(1530) 3/2^+$

$$I(J^P) = \frac{1}{2}(\frac{3}{2}^+)$$

$\Xi(1530)^0$  mass  $m = 1531.80 \pm 0.32 \text{ MeV}$  ( $S = 1.3$ )

$\Xi(1530)^-$  mass  $m = 1535.0 \pm 0.6 \text{ MeV}$

$\Xi(1530)^0$  full width  $\Gamma = 9.1 \pm 0.5 \text{ MeV}$

$\Xi(1530)^-$  full width  $\Gamma = 9.9^{+1.7}_{-1.9} \text{ MeV}$

$\Xi(1530)$ DECAY MODES	Fraction ( $\Gamma_i/\Gamma$ )	Confidence level	$P$ (MeV/c)
$\Xi \pi$	100 %		158
$\Xi \gamma$	<4 %	90%	202



# Modeling the cascade production in signal MC

- Theoretical Calculations done by Nakayama, Oh and Haberzettl proposed the cascade/excited cascade are produced by a two-step process:

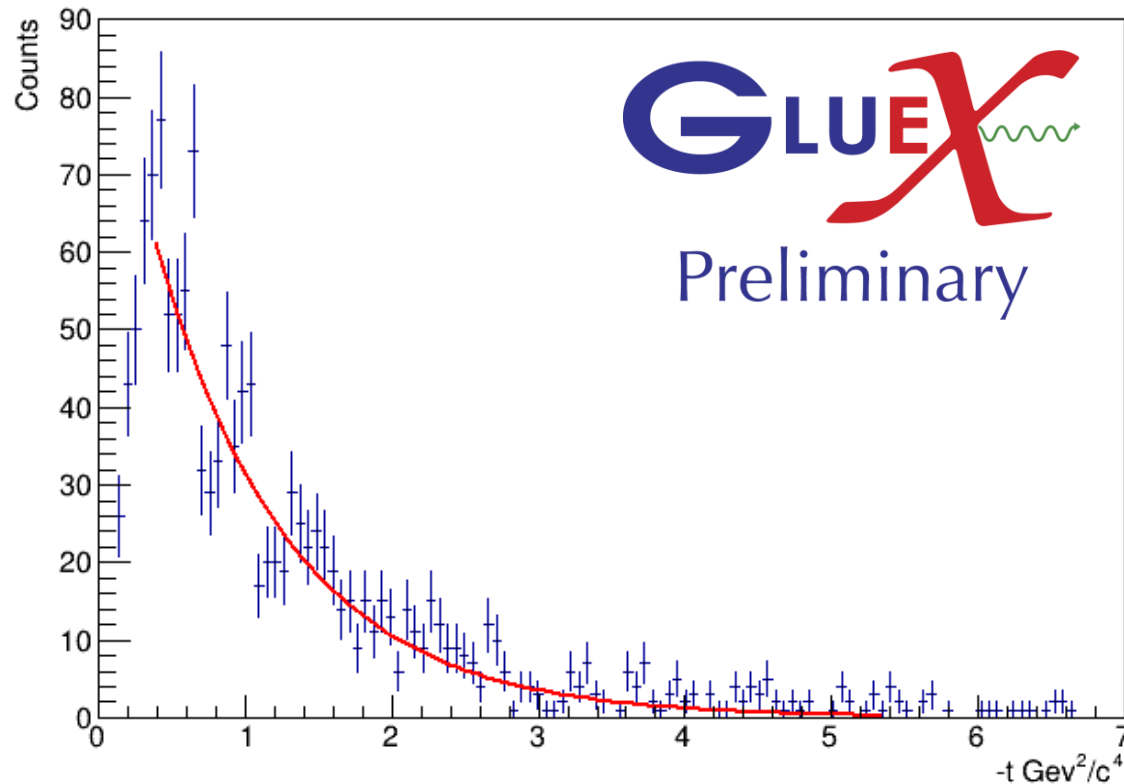
$$\gamma p \rightarrow K^+ Y^*$$

$$Y^* \rightarrow K^+ \Xi^{-*}$$

- Direct production of the  $\Xi^{-*}$  would be OZI suppressed with two strange- antistrange pairs at the production vertex. Therefore, I defined  $t$  as  $t = (P_\gamma - P_{K^+})^2$



# $t$ -Slope extraction



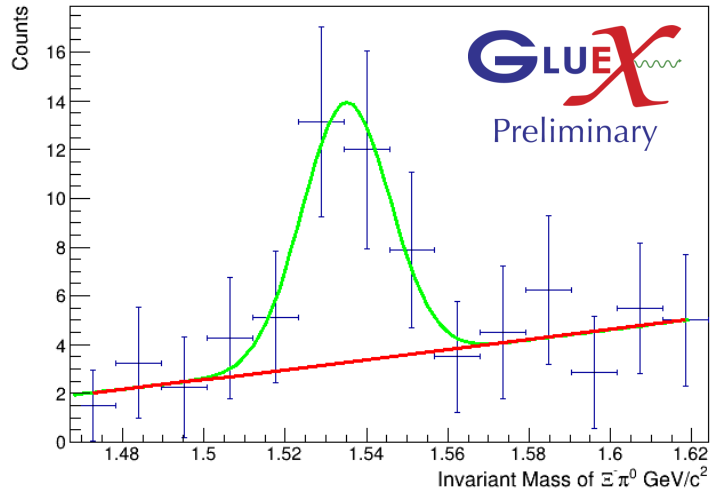
- Selecting events within the excited cascade 1530 peak

- Assuming :  $\frac{d\sigma}{dt} \propto e^{-bt}$

$$b = 1.08(4)/\text{GeV}^2$$

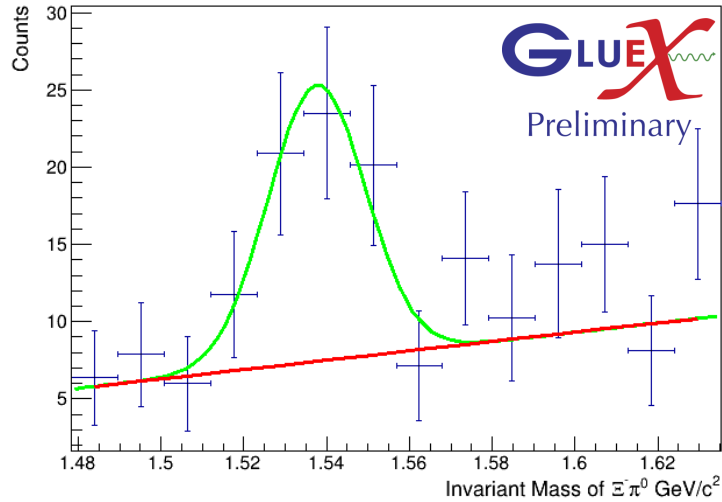
# Energy-dependent $\Xi(1530)$ Yield Extraction

Spring 18 Dataset w/Beam Energy 7400MeV



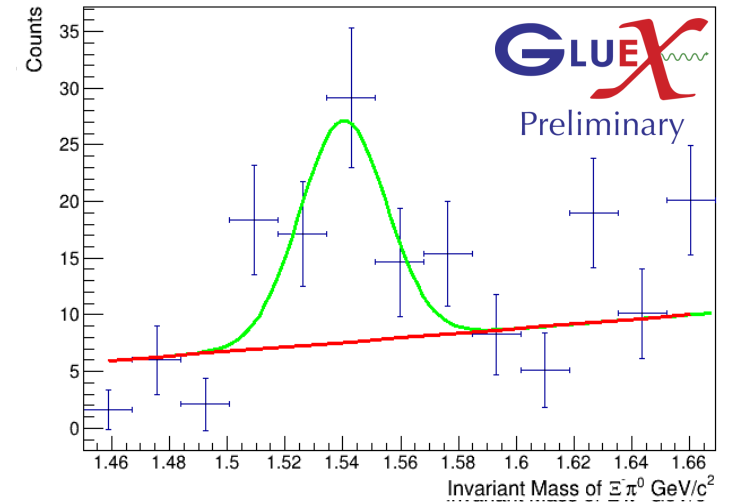
Yield =  $25 \pm 5$

Spring 18 Dataset w/Beam Energy 8200MeV



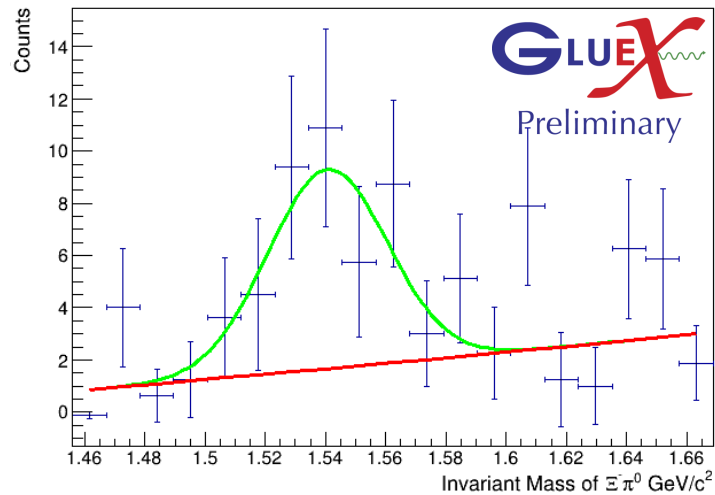
Yield =  $51 \pm 7$

Spring 18 Dataset w/Beam Energy 9000MeV



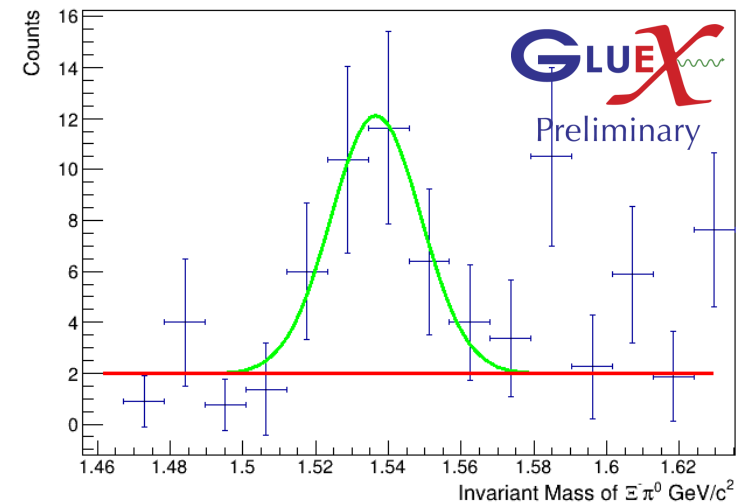
Yield =  $52 \pm 7$

Spring 18 Dataset w/Beam Energy 9800MeV



Yield =  $37 \pm 6$

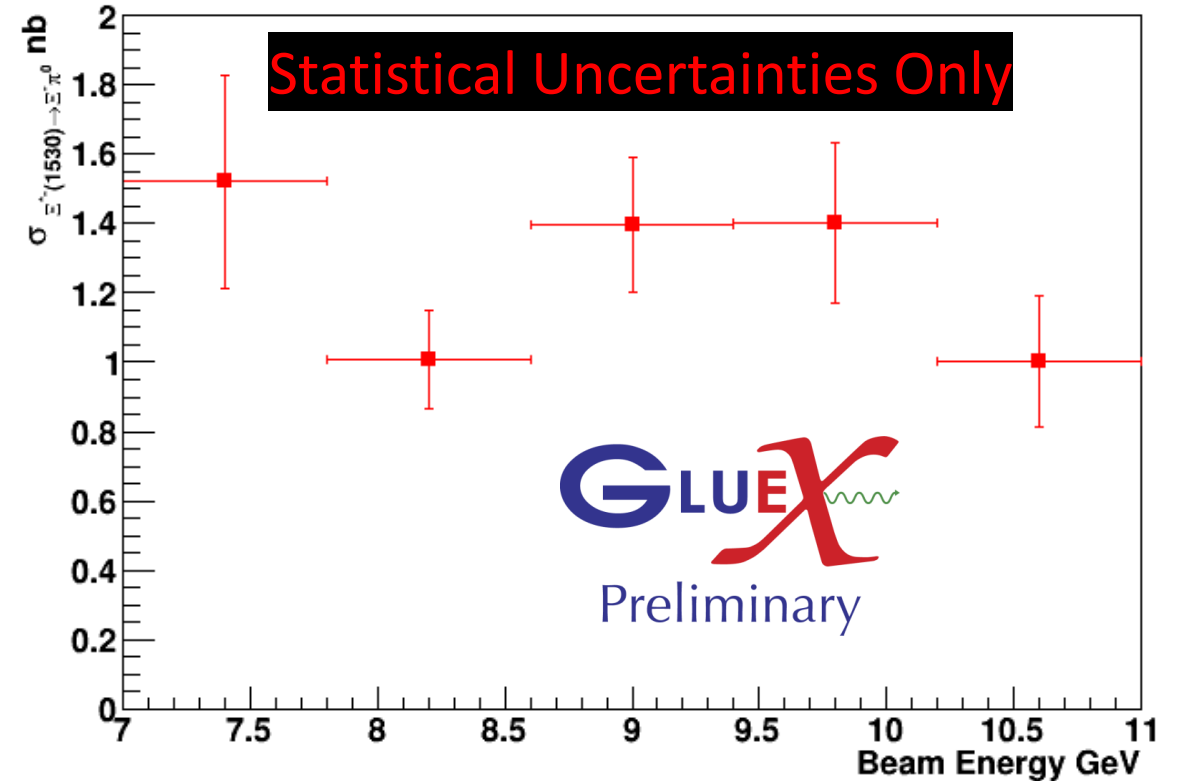
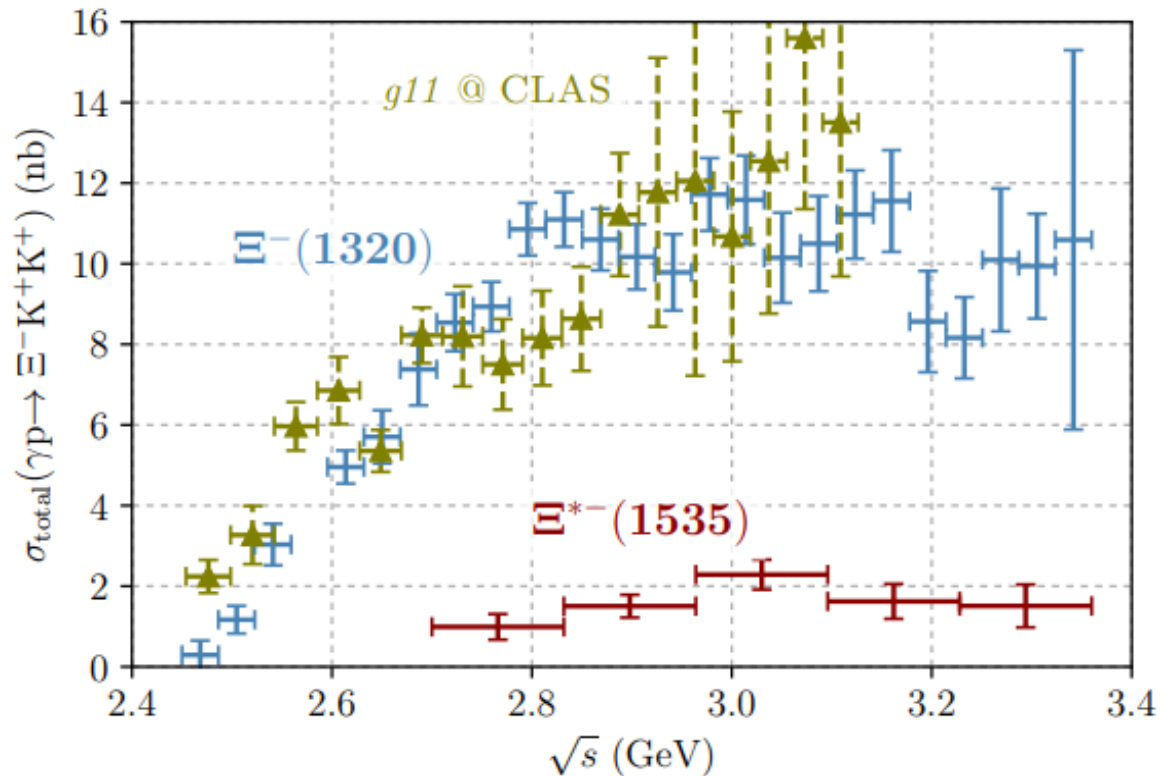
Spring 18 Dataset w/Beam Energy 10600MeV



Yield =  $28 \pm 5$



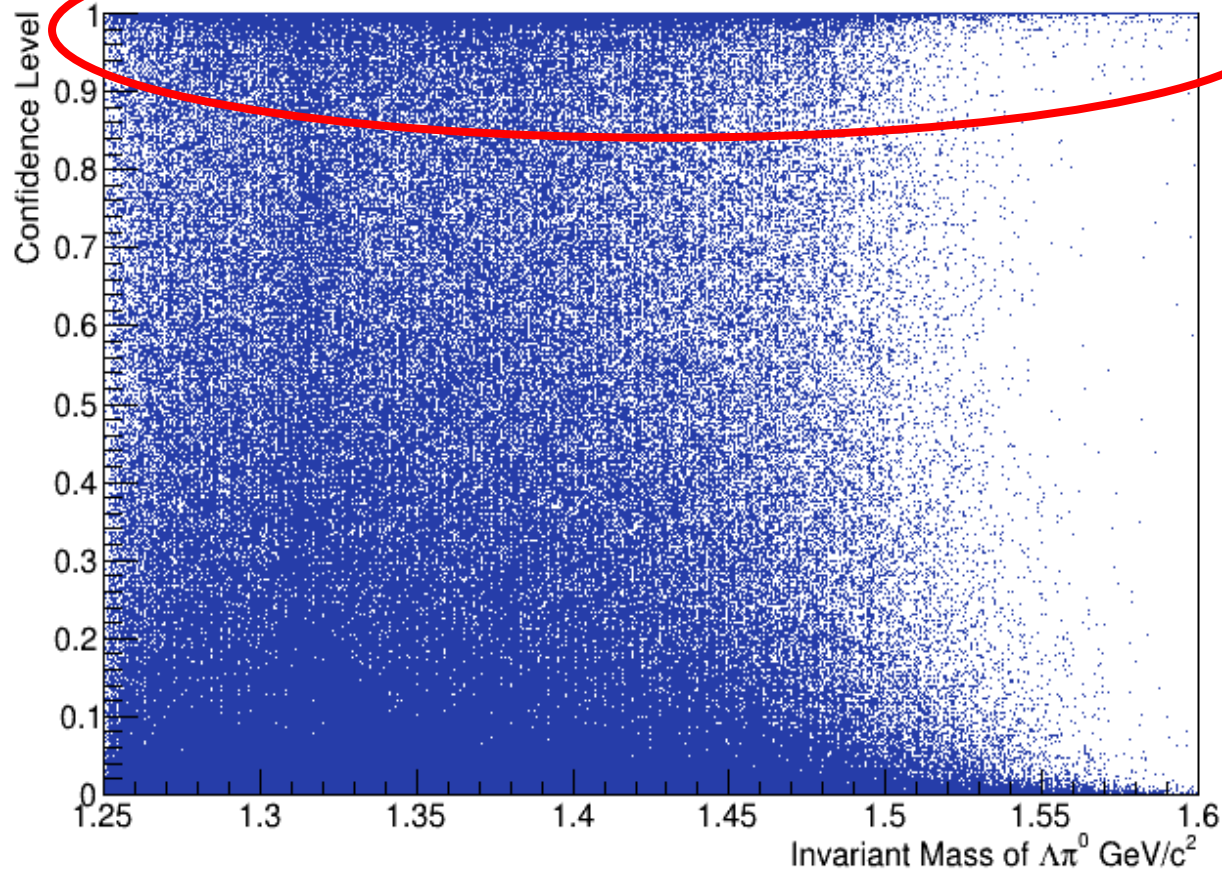
# Cross sections for cascade baryons



“Upper limits were calculated on the production total cross sections of the three best-known excited states: the  $E(1690)$ , the  $E(1820)$  and the  $E(1950)$  [7] at 0.75 nb, 1.01 nb, and 1.58 nb, respectively”  
 -Study of  $E$  Photoproduction from threshold to  $W = 3.3$  GeV via CLAS collaboration



# Issues w/Vertex fitting



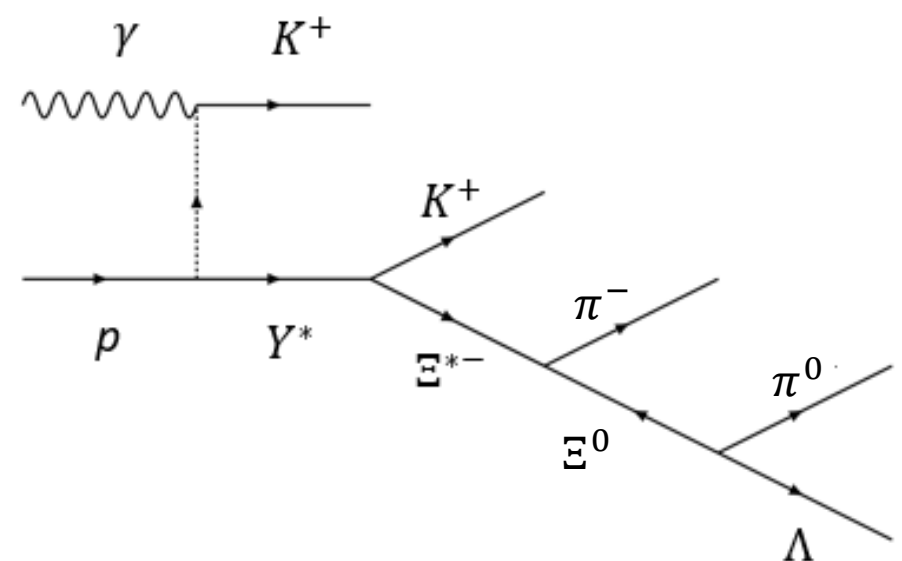
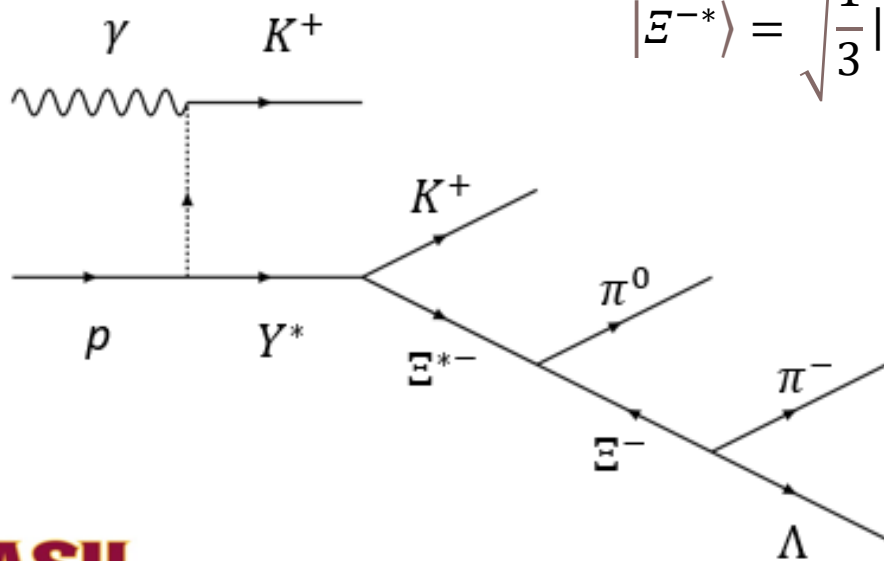
- Large contamination of misidentified particles at high confidence level
- The issues originates from the two neutrals come from the same vertex

# Clebsch Gordan study motivation

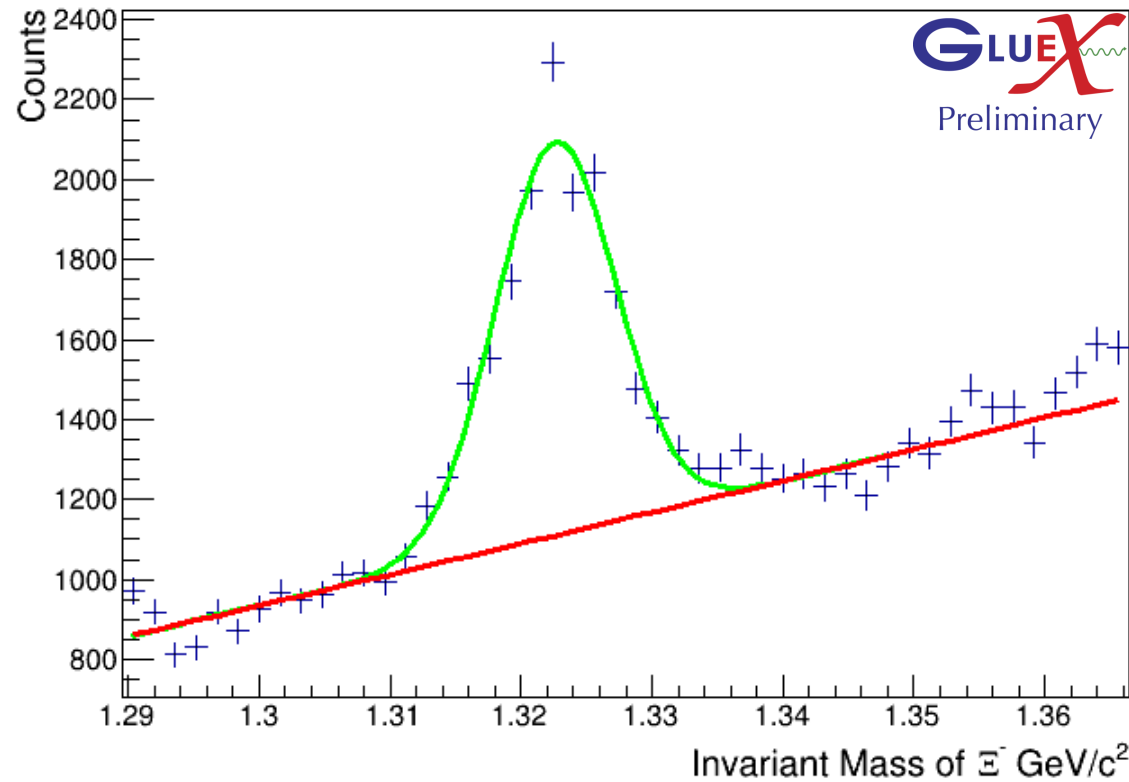
- This reaction  $\Xi^* \rightarrow \Xi \pi$  should conserve isospin. Using Clebsch-Gordan coefficients we can determine that the neutral cascade channel should occur twice as often.

$$\left| \frac{1}{2}, -\frac{1}{2} \right\rangle = \sqrt{\frac{1}{3}} \left[ |1, 0\rangle \left| \frac{1}{2}, -\frac{1}{2} \right\rangle \right] - \sqrt{\frac{2}{3}} \left[ |1, -1\rangle \left| \frac{1}{2}, \frac{1}{2} \right\rangle \right],$$

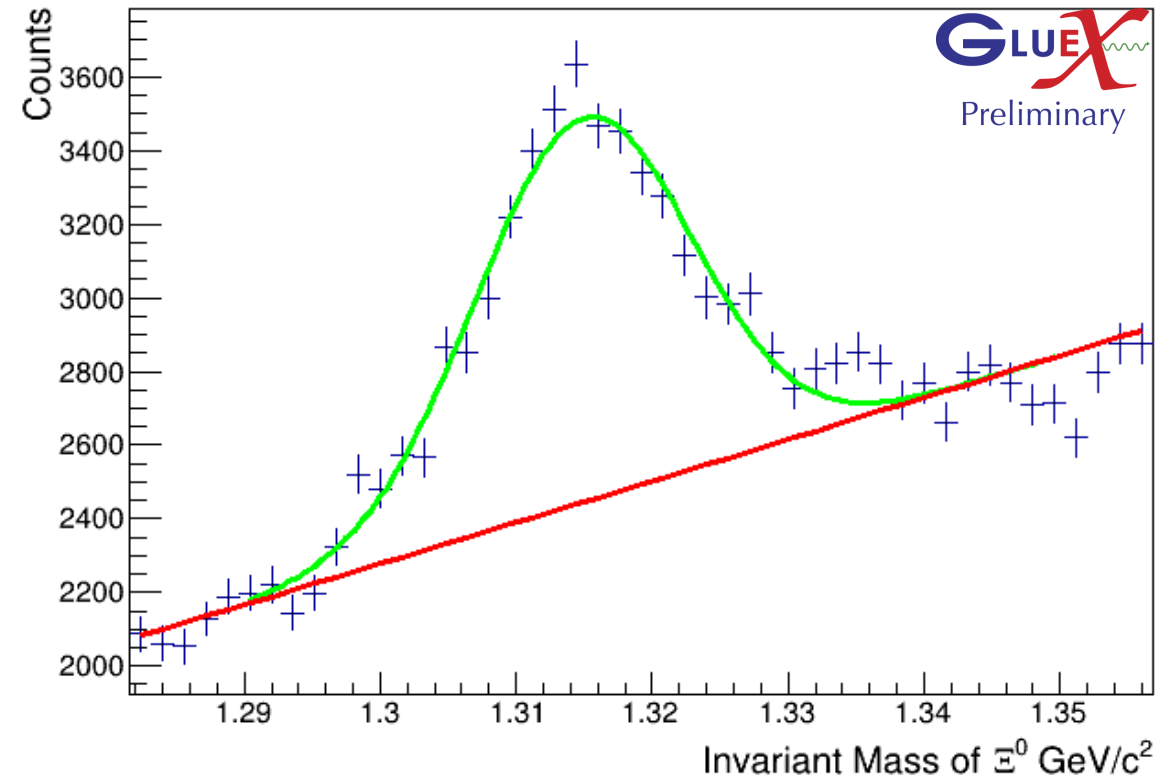
$$|\Xi^{*-}\rangle = \sqrt{\frac{1}{3}} |\pi^0 \Xi^-\rangle - \sqrt{\frac{2}{3}} |\pi^- \Xi^0\rangle$$



# Yields from $\Xi^0$ and $\Xi^-$ w/o vertex fitting w/CL above $10^{-3}$



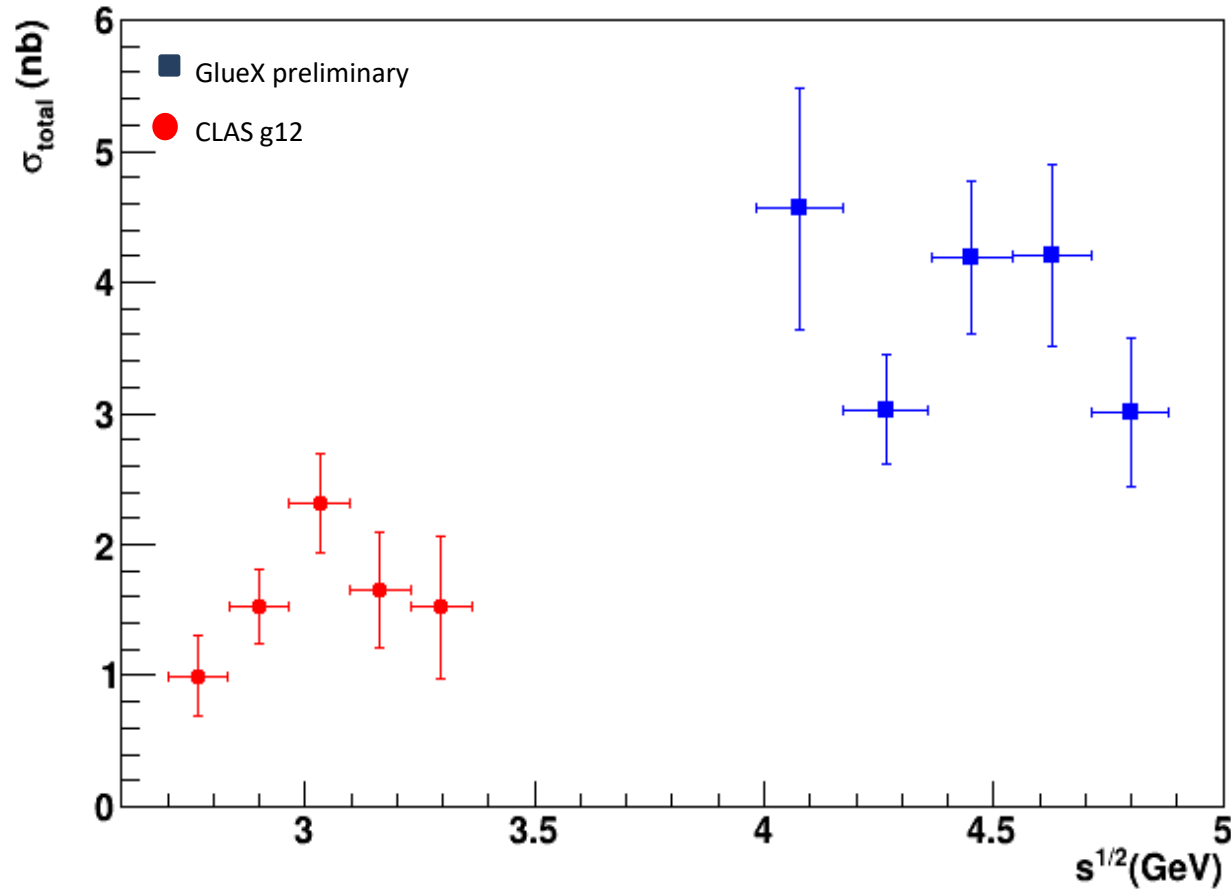
Yield( $\Xi^-$ ) =  $7270 \pm 85$



Yield( $\Xi^0$ ) =  $13351 \pm 116$

$$\frac{N[\Xi^-(1320)]}{N[\Xi^0(1320)]} = 0.54(2)$$

# Preliminary total cross section for $\Xi^{*-}(1530) \rightarrow \Xi\pi$



$$\sigma_T = \sigma_{\Xi^-\pi^0} + \sigma_{\Xi^0\pi^-}$$

$$\sigma_{\Xi^0\pi^-} = 2.0 \sigma_{\Xi^-\pi^0},$$

$$\sigma_T = 3.0 \sigma_{\Xi^-\pi^0}.$$

# End





