

# Group meeting

## June 28<sup>th</sup>, 2024



# Instruction responsibilities

- Classes for Fall 2024:
  - PHY 331:
    - Need to make syllabus
  - PHY 361:
    - Need to make syllabus

# Service responsibilities

- Committee:
  - GlueX Compton Analysis Review Committee:
    - Waiting for author response

# Group responsibilities

- Undergrad: Worked with Dylan on Tuesday

# Analysis

Presentations:

- None

KKpi analysis:

- Polarization setup in progress (almost finished!)

$E^*$  analysis:

- Vertex analysis now includes pathlength significance as given on page 13 of <https://halldweb.jlab.org/DocDB/0046/004607/004/DSelectorDoc.pdf>
- Rerun pathlength study to include pathlength significance
- Ran MC to find mass[ $\Xi\pi$ ] resolution over mass range 1.46-1.75 GeV

# $KK\pi$ Polarization Setup

# Coherent peak

- Ran PWA over coherent edge with polarization set to zero

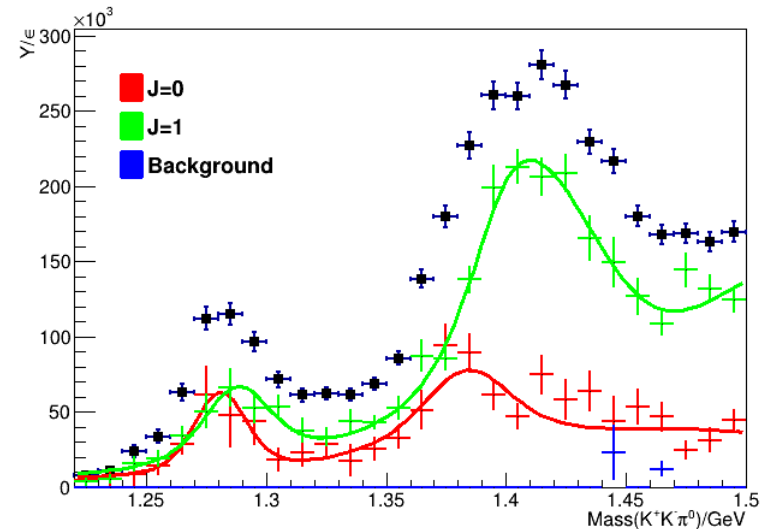
# Coherent peak

- Ran PWA over coherent edge with polarization set to zero
- Used unique reactions for each polarization orientation and constrained each orientation to one another



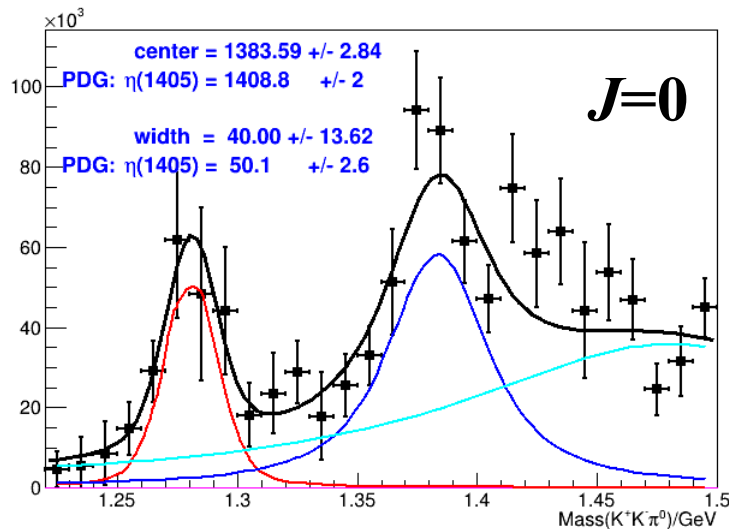
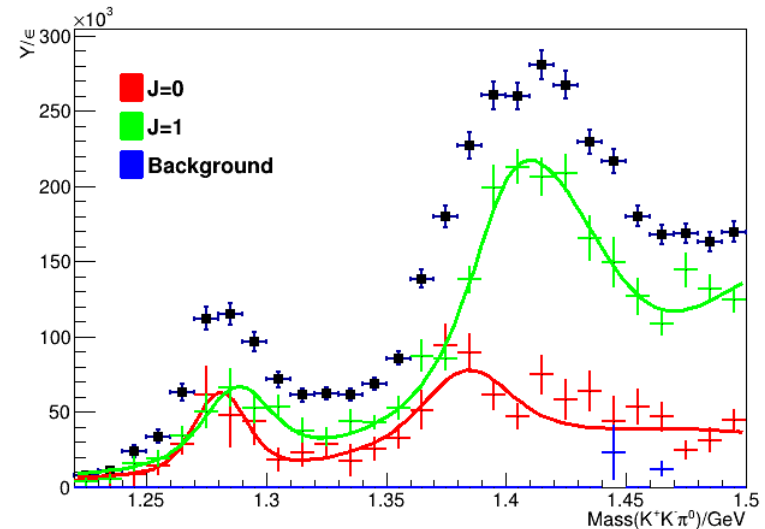
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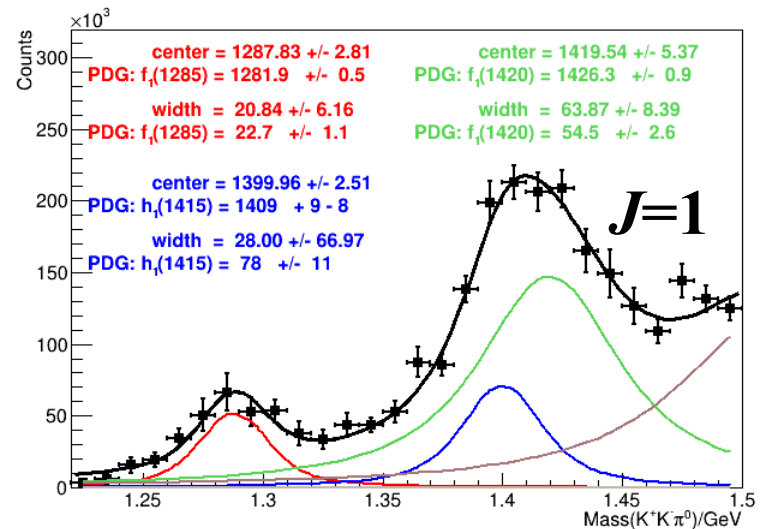
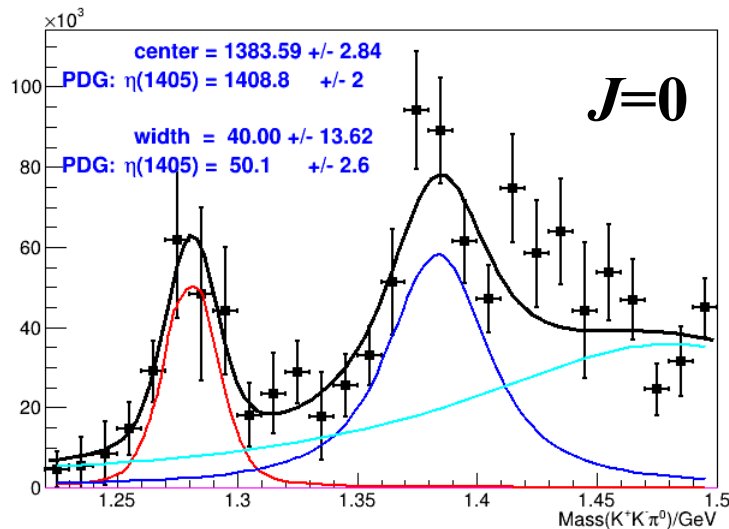
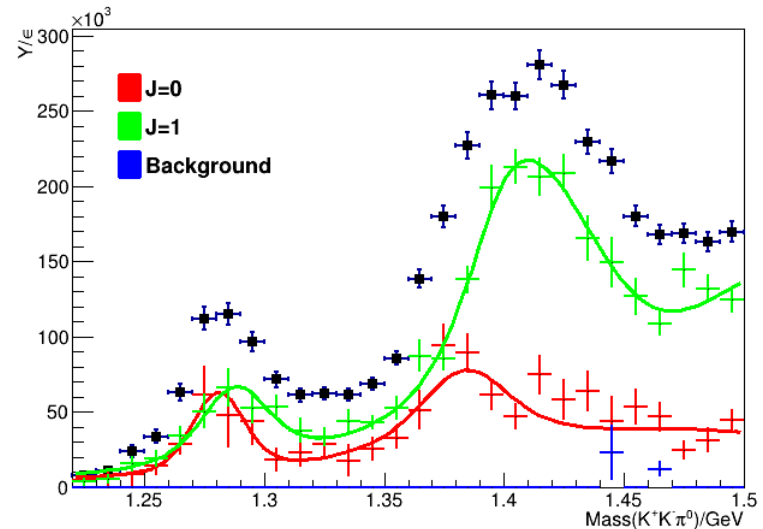
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# Coherent peak

- Next step completed was to include all of the intensity terms

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**Unnecessary**



# Intensity

$$I(\Phi, \Omega, \Omega_H) = 2\kappa \sum_k \left\{ (1 - P_\gamma) \left[ \left| \sum_{i_N, m} [J_i^N]_{m, k}^{(+)} \text{Im}(Z) + \sum_{i_U, m} [J_i^U]_{m, k}^{(-)} \text{Im}(Z) \right|^2 + \left| \sum_{i_N, m} [J_i^N]_{m, k}^{(-)} \text{Re}(Z) + \sum_{i_U, m} [J_i^U]_{m, k}^{(+)} \text{Re}(Z) \right|^2 \right] + (1 + P_\gamma) \left[ \left| \sum_{i_N, m} [J_i^N]_{m, k}^{(-)} \text{Im}(Z) + \sum_{i_U, m} [J_i^U]_{m, k}^{(+)} \text{Im}(Z) \right|^2 + \left| \sum_{i_N, m} [J_i^N]_{m, k}^{(+)} \text{Re}(Z) + \sum_{i_U, m} [J_i^U]_{m, k}^{(-)} \text{Re}(Z) \right|^2 \right] \right\}$$

The  $[J_i^{N,U}]_{m,k}^{(\epsilon)}$  are the free complex parameters in the fit for a given reflectivity amplitude.

where  $Z_m^i(\Omega, \Omega_H) = e^{-i\Phi} X_m^i(\Omega, \Omega_H)$  is the phase-rotated decay amplitude and  $\Phi$  is the angle between the production plane and the photon polarization

# Intensity

$$I(\Phi, \Omega, \Omega_H) = 2\kappa \sum_k$$

Same

$$\left\{ (1 - P_\gamma) \left[ \left| \sum_{i_{N,m}} [J_i^N]_{m,k}^{(+)} \text{Im}(Z) + \sum_{i_{U,m}} \overset{\text{A2}}{\boxed{[J_i^U]_{m,k}^{(-)}}} \text{Im}(Z) \right|^2 + \left| \sum_{i_{N,m}} [J_i^N]_{m,k}^{(-)} \text{Re}(Z) + \sum_{i_{U,m}} [J_i^U]_{m,k}^{(+)} \text{Re}(Z) \right|^2 \right] + (1 + P_\gamma) \left[ \left| \sum_{i_{N,m}} [J_i^N]_{m,k}^{(-)} \text{Im}(Z) + \sum_{i_{U,m}} [J_i^U]_{m,k}^{(+)} \text{Im}(Z) \right|^2 + \left| \sum_{i_{N,m}} [J_i^N]_{m,k}^{(+)} \text{Re}(Z) + \sum_{i_{U,m}} \overset{\text{D2}}{\boxed{[J_i^U]_{m,k}^{(-)}}} \text{Re}(Z) \right|^2 \right] \right\}$$

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# Intensity

$$I(\Phi, \Omega, \Omega_H) = 2\kappa \sum_k \left\{ (1 - P_\gamma) \left[ \left| \sum_{i_N, m} [J_i^N]_{m, k}^{(+)} \text{Im}(Z) + \sum_{i_U, m} [J_i^U]_{m, k}^{(-)} \text{Im}(Z) \right|^2 + \left| \sum_{i_N, m} [J_i^N]_{m, k}^{(-)} \text{Re}(Z) + \sum_{i_U, m} [J_i^U]_{m, k}^{(+)} \text{Re}(Z) \right|^2 \right] + (1 + P_\gamma) \left[ \left| \sum_{i_N, m} [J_i^N]_{m, k}^{(-)} \text{Im}(Z) + \sum_{i_U, m} [J_i^U]_{m, k}^{(+)} \text{Im}(Z) \right|^2 + \left| \sum_{i_N, m} [J_i^N]_{m, k}^{(+)} \text{Re}(Z) + \sum_{i_U, m} [J_i^U]_{m, k}^{(-)} \text{Re}(Z) \right|^2 \right] \right\}$$

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# Intensity

$$I(\Phi, \Omega, \Omega_H) = 2\kappa \sum_k \left\{ (1 - P_\gamma) \left[ \left| \sum_{i_N, m} [J_i^N]_{m, k}^{(+)} \text{Im}(Z) + \sum_{i_U, m} [J_i^U]_{m, k}^{(-)} \text{Im}(Z) \right|^2 + \left| \sum_{i_N, m} [J_i^N]_{m, k}^{(-)} \text{Re}(Z) + \sum_{i_U, m} [J_i^U]_{m, k}^{(+)} \text{Re}(Z) \right|^2 \right] + (1 + P_\gamma) \left[ \left| \sum_{i_N, m} [J_i^N]_{m, k}^{(-)} \text{Im}(Z) + \sum_{i_U, m} [J_i^U]_{m, k}^{(+)} \text{Im}(Z) \right|^2 + \left| \sum_{i_N, m} [J_i^N]_{m, k}^{(+)} \text{Re}(Z) + \sum_{i_U, m} [J_i^U]_{m, k}^{(-)} \text{Re}(Z) \right|^2 \right] \right\}$$

The  $[J_i^{N,U}]_{m,k}^{(\epsilon)}$  are the free complex parameters in the fit for a given reflectivity amplitude.

# Intensity

$$I(\Phi, \Omega, \Omega_H) = 2\kappa \sum_k \left\{ (1 - P_\gamma) \left[ \left| \sum_{i_N, m} \boxed{A1} [J_i^N]_{m,k}^{(+)} \text{Im}(Z) + \sum_{i_U, m} \boxed{A2} [J_i^U]_{m,k}^{(-)} \text{Im}(Z) \right|^2 + \left| \sum_{i_N, m} \boxed{B1} [J_i^N]_{m,k}^{(-)} \text{Re}(Z) + \sum_{i_U, m} \boxed{B2} [J_i^U]_{m,k}^{(+)} \text{Re}(Z) \right|^2 \right] + (1 + P_\gamma) \left[ \left| \sum_{i_N, m} \boxed{C1} [J_i^N]_{m,k}^{(-)} \text{Im}(Z) + \sum_{i_U, m} \boxed{C2} [J_i^U]_{m,k}^{(+)} \text{Im}(Z) \right|^2 + \left| \sum_{i_N, m} \boxed{D1} [J_i^N]_{m,k}^{(+)} \text{Re}(Z) + \sum_{i_U, m} \boxed{D2} [J_i^U]_{m,k}^{(-)} \text{Re}(Z) \right|^2 \right] \right\}$$

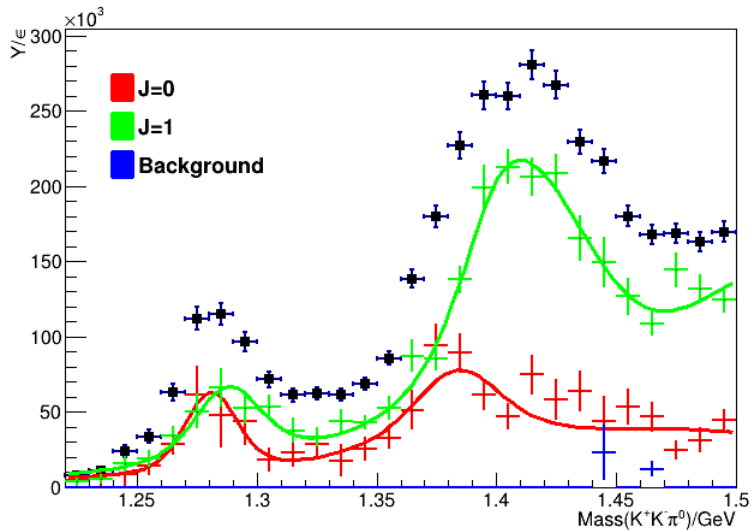
The  $[J_i^{N,U}]_{m,k}^{(\epsilon)}$  are the free complex parameters in the fit for a given reflectivity amplitude.

Constrained:

- A1 to D1
- A2 to D2
- B1 to C1
- B2 to C2

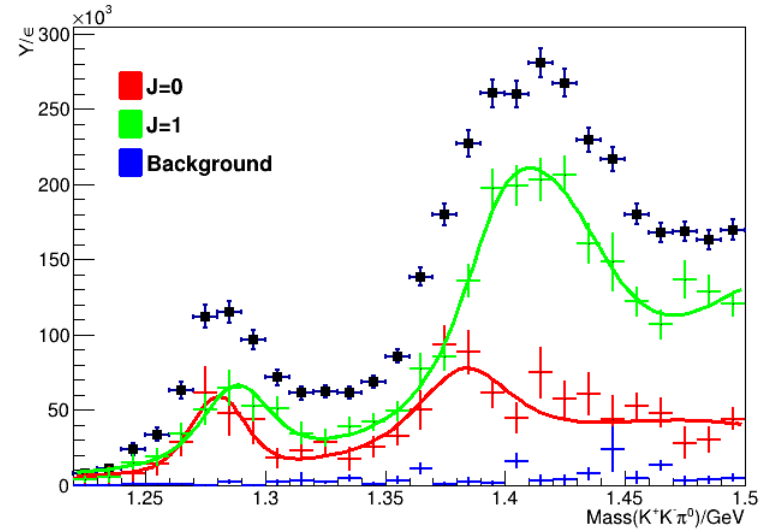
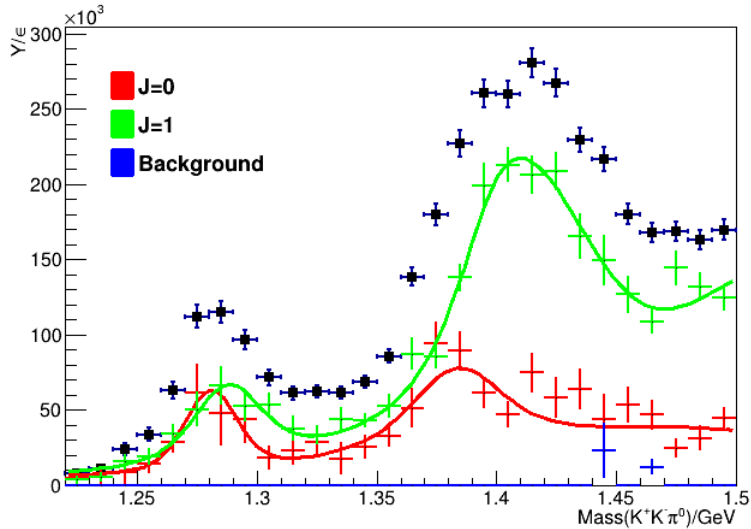


# PWA Test

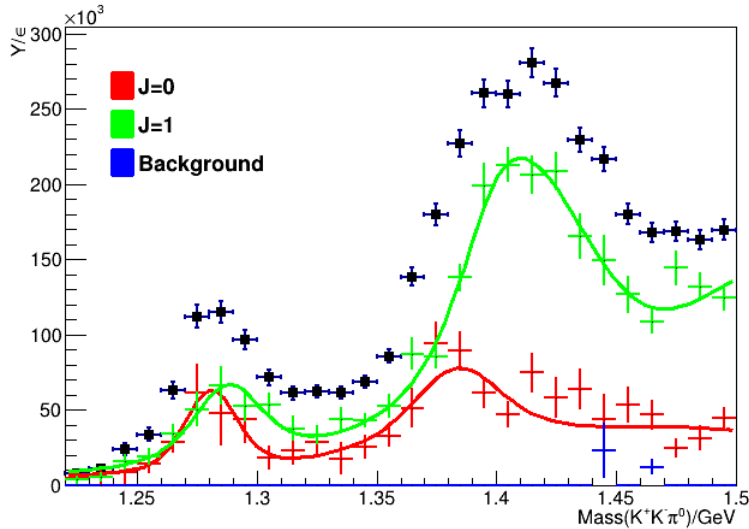


Original version:  
 $\frac{1}{2}$  of the intensity terms

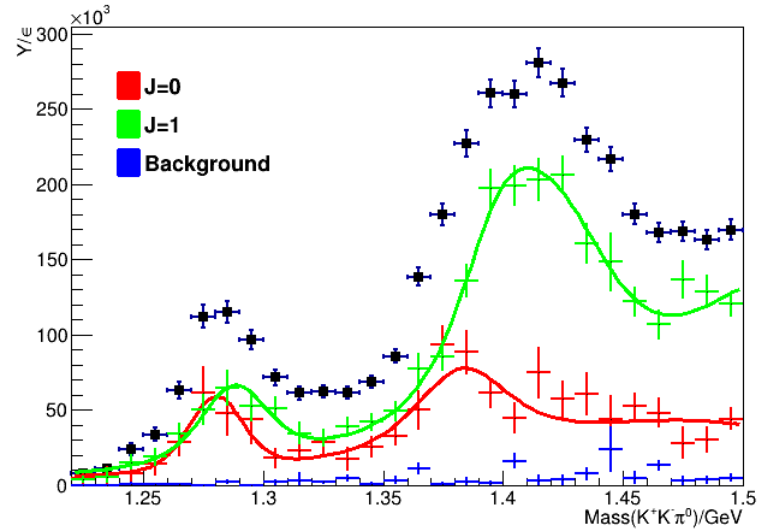
# PWA Test



# PWA Test



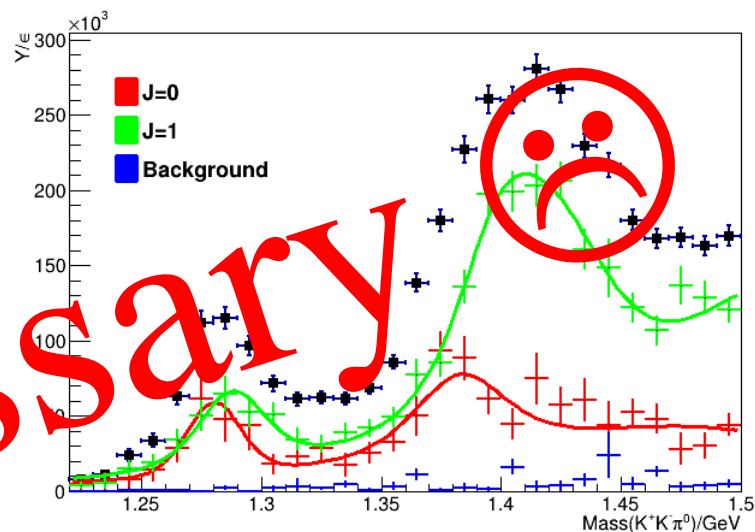
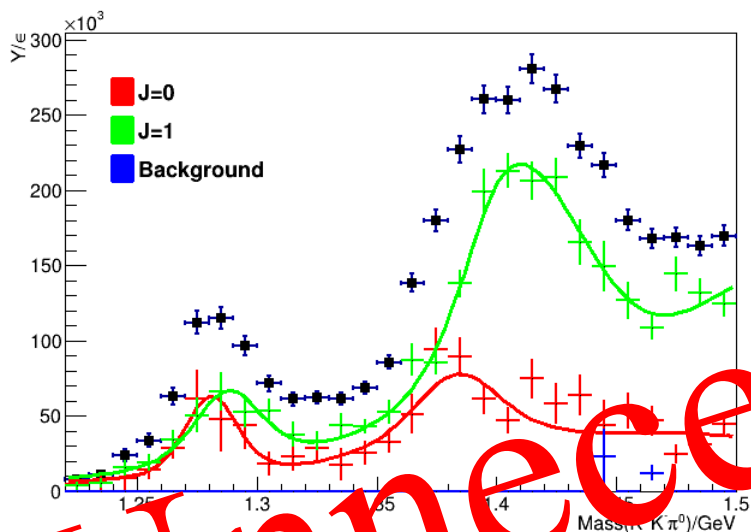
Original version:  
½ of the intensity terms



Full version:  
all intensity terms

Good to see the agreement, but otherwise: A waste of time ☹

# PWA Test



Good to see the agreement, but otherwise: A waste of time ☹️

# Intensity

$$I(\Phi, \Omega, \Omega_H) = 2\kappa \sum_k \left\{ (1 - P_\gamma) \left[ \left| \sum_{i_N, m} \overset{\text{A1}}{\boxed{[J_i^N]_{m,k}^{(+)}}} \text{Im}(Z) + \sum_{i_U, m} \overset{\text{A2}}{\boxed{[J_i^U]_{m,k}^{(-)}}} \text{Im}(Z) \right|^2 + \left| \sum_{i_N, m} \overset{\text{B1}}{\boxed{[J_i^N]_{m,k}^{(-)}}} \text{Re}(Z) + \sum_{i_U, m} \overset{\text{B2}}{\boxed{[J_i^U]_{m,k}^{(+)}}} \text{Re}(Z) \right|^2 \right] + (1 + P_\gamma) \left[ \left| \sum_{i_N, m} \overset{\text{C1}}{\boxed{[J_i^N]_{m,k}^{(-)}}} \text{Im}(Z) + \sum_{i_U, m} \overset{\text{C2}}{\boxed{[J_i^U]_{m,k}^{(+)}}} \text{Im}(Z) \right|^2 + \left| \sum_{i_N, m} \overset{\text{D1}}{\boxed{[J_i^N]_{m,k}^{(+)}}} \text{Re}(Z) + \sum_{i_U, m} \overset{\text{D2}}{\boxed{[J_i^U]_{m,k}^{(-)}}} \text{Re}(Z) \right|^2 \right] \right\}$$

The  $[J_i^{N,U}]_{m,k}^{(\epsilon)}$  are the free complex parameters in the fit for a given reflectivity amplitude.

Constrained:

- A1 to D1
- A2 to D2
- B1 to C1
- B2 to C2

Problem: Even with the polarization information, there is no way to distinguish  $N$  (natural exchange) from  $U$  (unnatural exchange) → Can continue to lump together coefficients into A, B, C and D terms with the constraints:

- A to D
- B to C

# PWA

- Next step: Turn on polarization!



# $E^*$ bump hunt

# Reaction

$$\gamma p \rightarrow K^+ K^+ \bar{E}^- \pi^0,$$

$$\bar{E}^- \rightarrow \Lambda \pi$$

where

# Reaction

$$\gamma p \rightarrow K^+ K^+ \bar{E}^- \pi^0,$$

$$\bar{E}^- \rightarrow \Lambda \pi$$

$$\Lambda \rightarrow p \pi^-$$

where  
and

# Reaction

$$\gamma p \rightarrow K^+ K^+ \Xi^- \pi^0,$$

$$\Xi^- \rightarrow \Lambda \pi$$

$$\Lambda \rightarrow p \pi^-$$

where

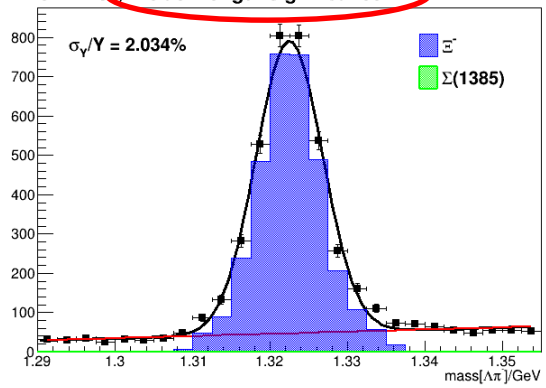
and

- Mass of  $\Xi^-$  not constrained

# Pathlength study

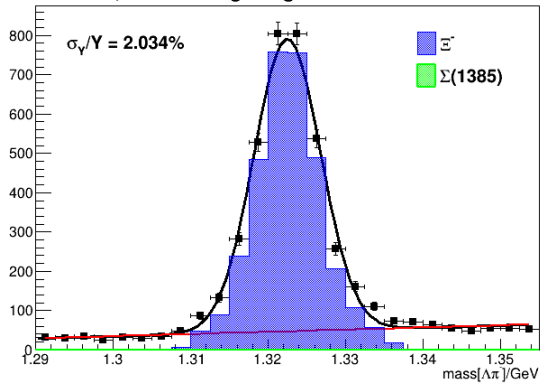
- Vertex analysis now uses pathlength significance as given on page 13 of <https://halldweb.jlab.org/DocDB/0046/004607/004/DSelectorDoc.pdf>
- As was suggested, I made sure that the end of the  $\Xi^-$  path was downstream of the origin

CL > 10<sup>-1</sup>,  $\Xi^-$  track-length significance > 1

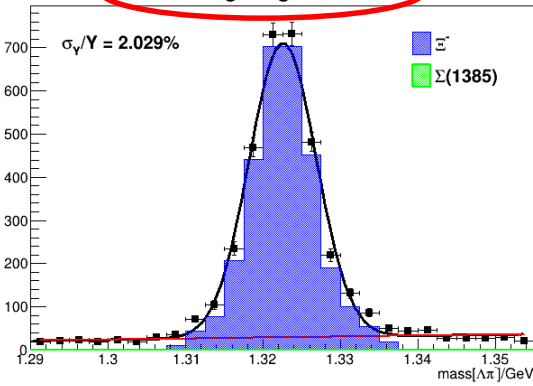


CL > 10<sup>-1</sup>

CL > 10<sup>-1</sup>,  $\Xi^-$  track-length significance > 1

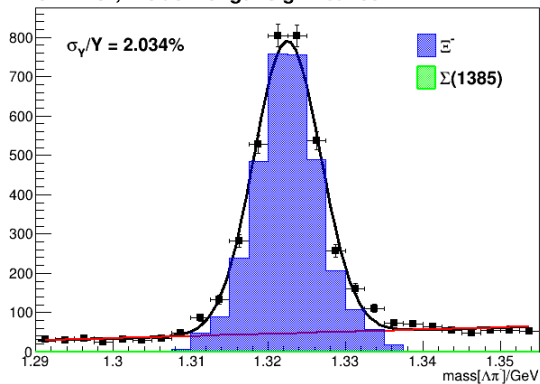


CL > 10<sup>-1</sup>,  $\Xi^-$  track-length significance > 2

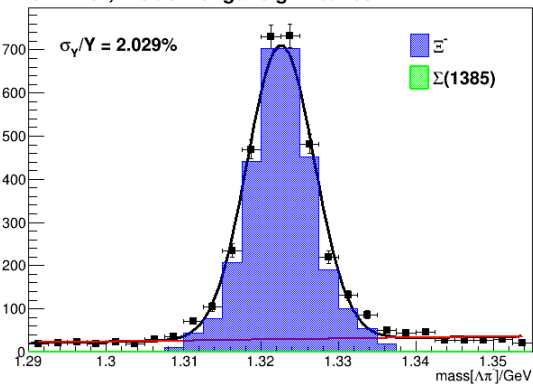


CL > 10<sup>-1</sup>

CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 1

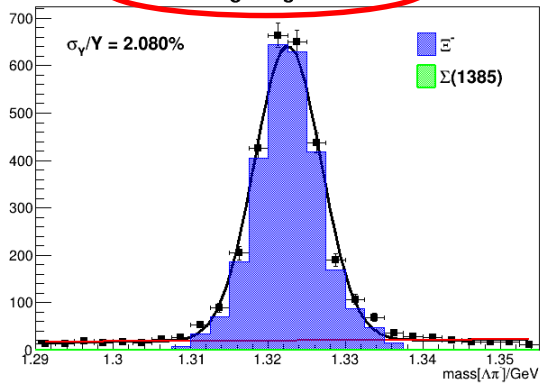


CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 2



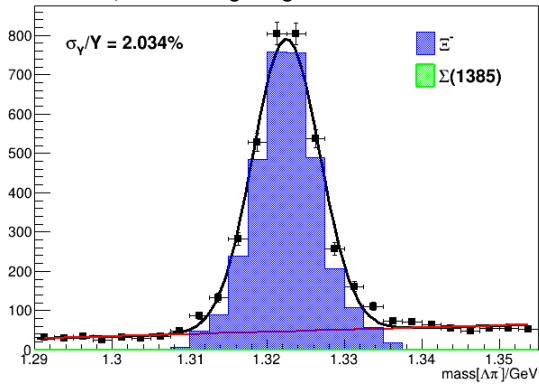
CL > 10<sup>-1</sup>

CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 3

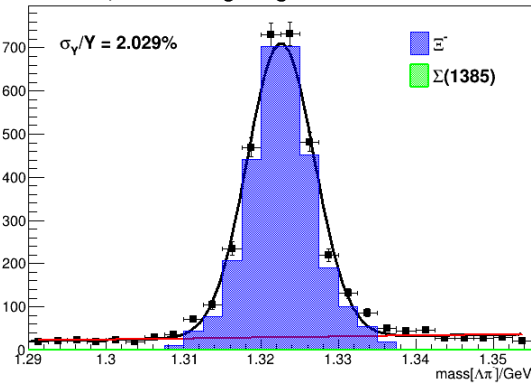




$CL > 10^{-1}$ ,  $\Xi$  track-length significance > 1

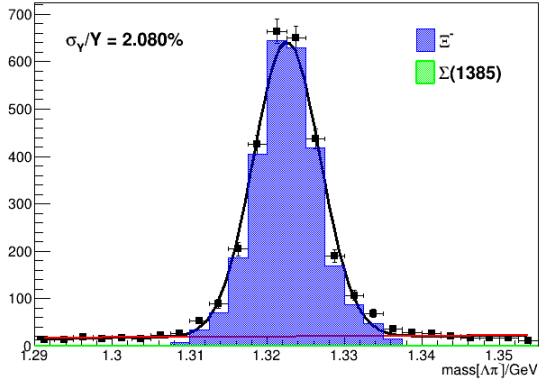


$CL > 10^{-1}$ ,  $\Xi$  track-length significance > 2

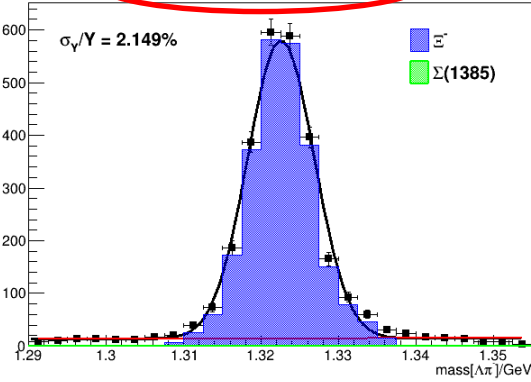


$CL > 10^{-1}$

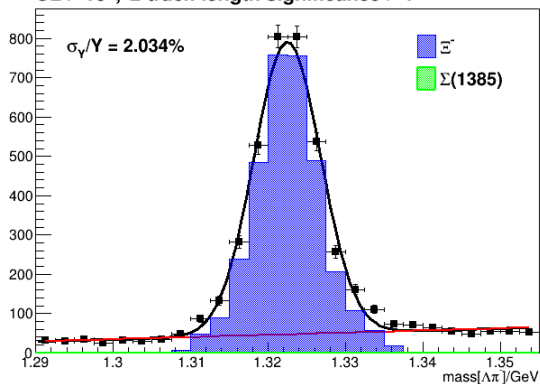
$CL > 10^{-1}$ ,  $\Xi$  track-length significance > 3



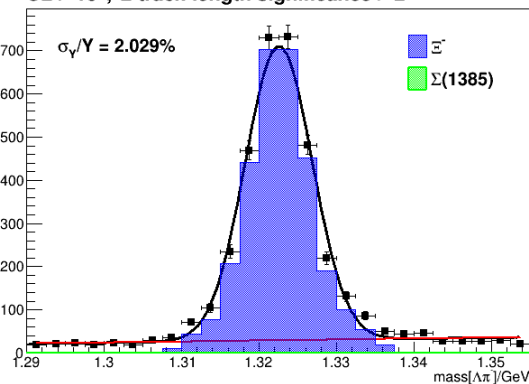
$CL > 10^{-1}$ ,  $\Xi$  track-length significance > 4



CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 1

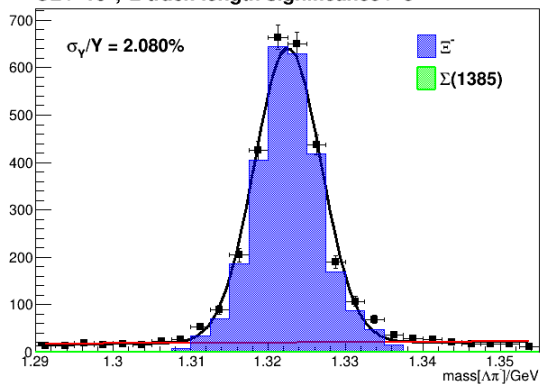


CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 2

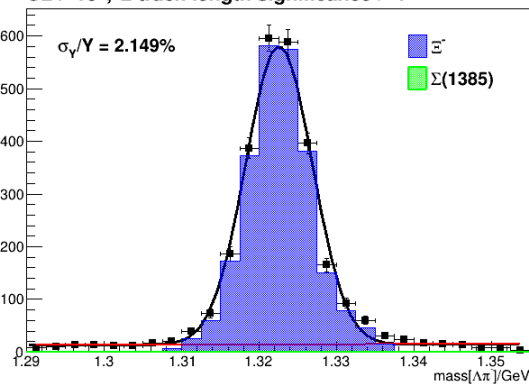


CL > 10<sup>-1</sup>

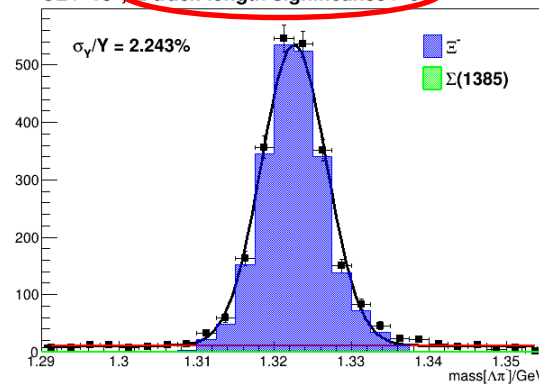
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 3



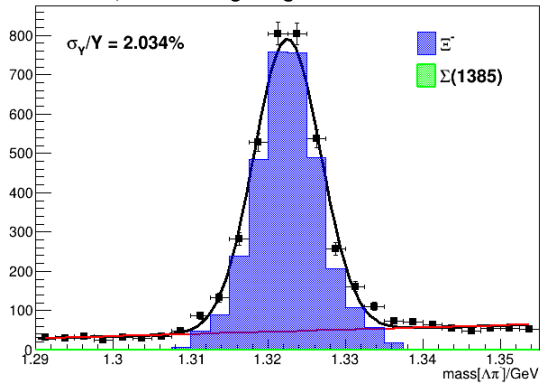
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 4



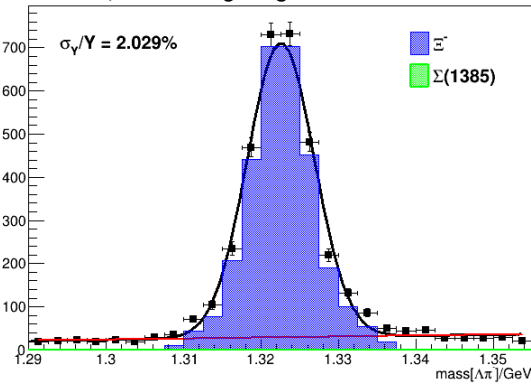
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 5



CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 1

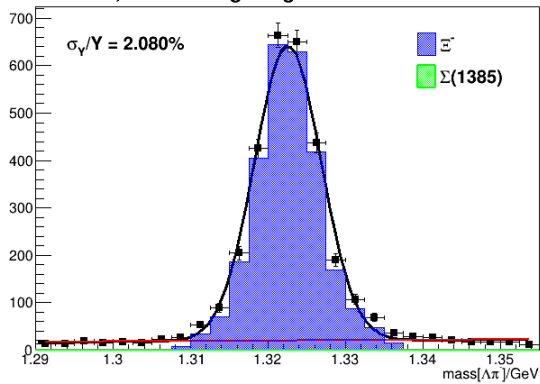


CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 2

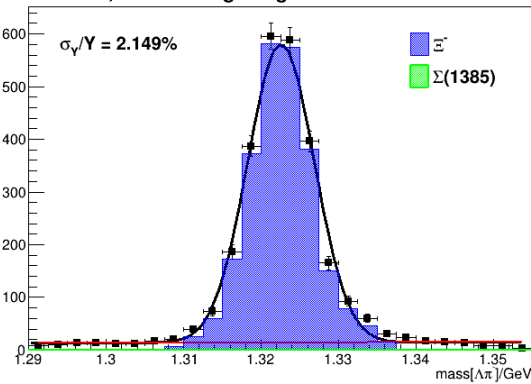


CL > 10<sup>-1</sup>

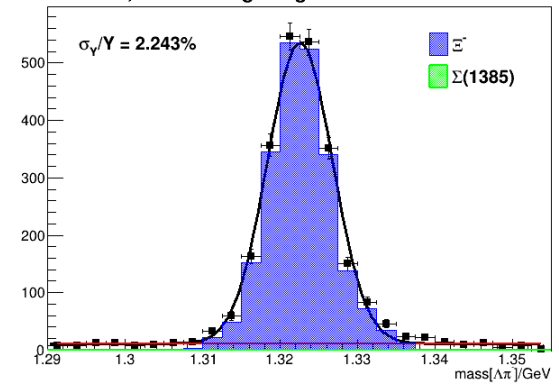
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 3



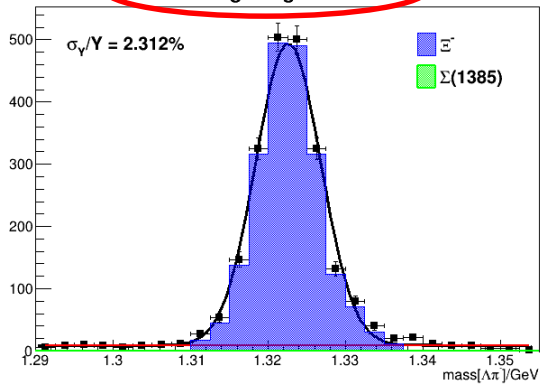
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 4



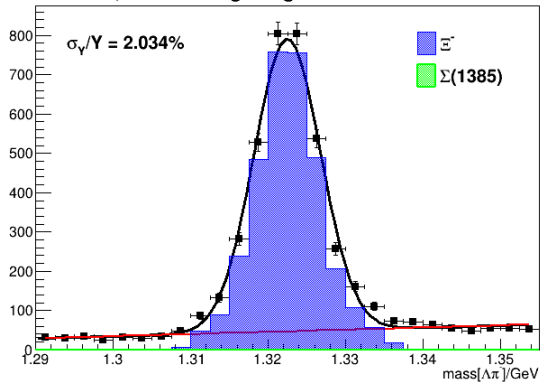
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 5



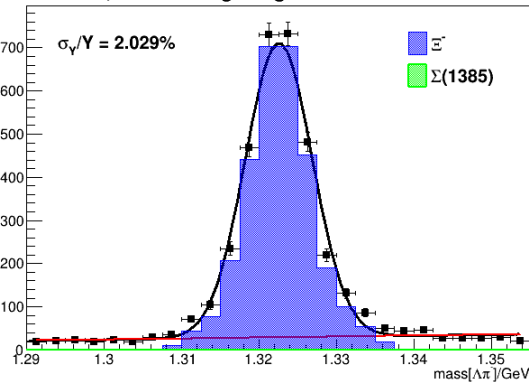
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 6



CL > 10<sup>-1</sup>, Ξ track-length significance > 1

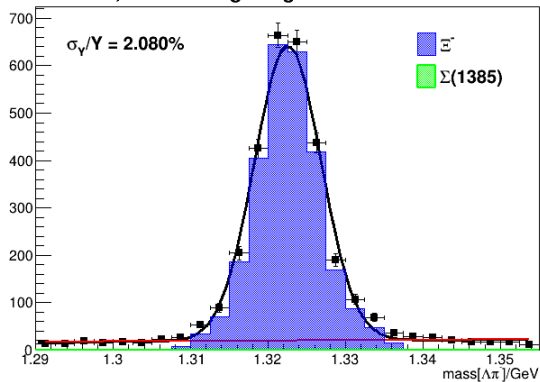


CL > 10<sup>-1</sup>, Ξ track-length significance > 2

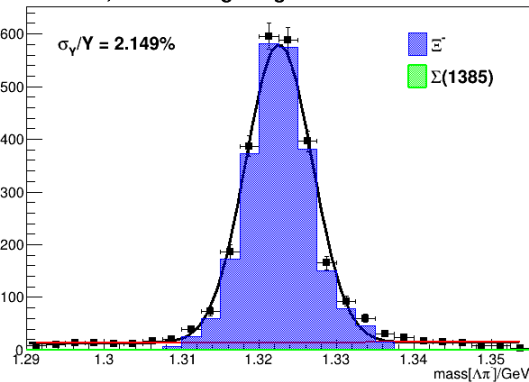


CL > 10<sup>-1</sup>

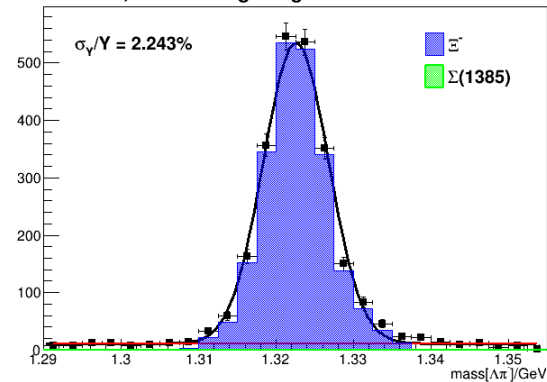
CL > 10<sup>-1</sup>, Ξ track-length significance > 3



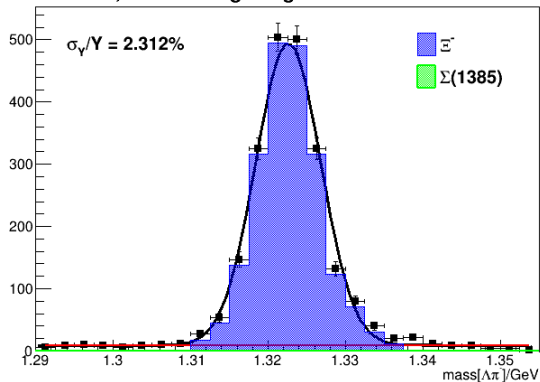
CL > 10<sup>-1</sup>, Ξ track-length significance > 4



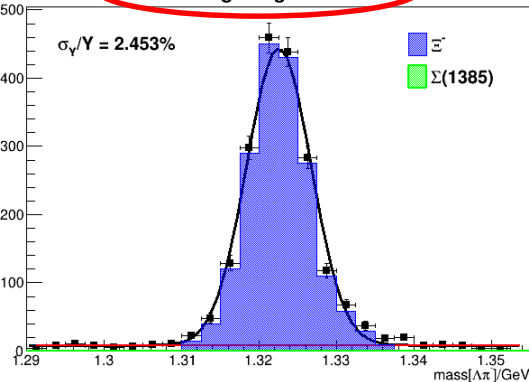
CL > 10<sup>-1</sup>, Ξ track-length significance > 5



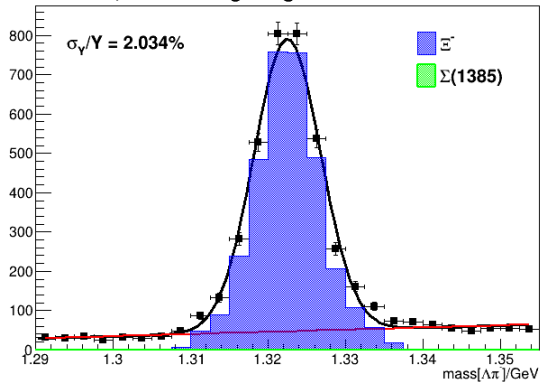
CL > 10<sup>-1</sup>, Ξ track-length significance > 6



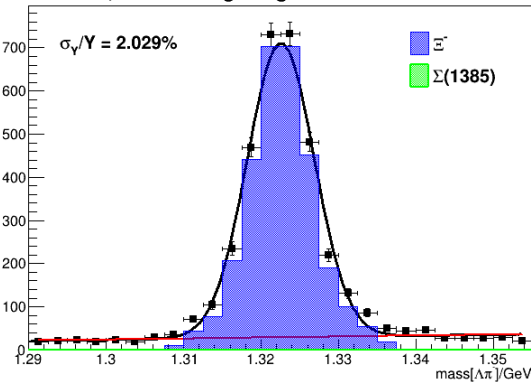
CL > 10<sup>-1</sup>, Ξ track-length significance > 7



CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 1

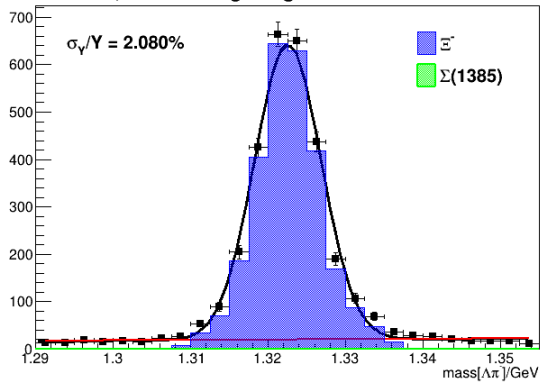


CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 2

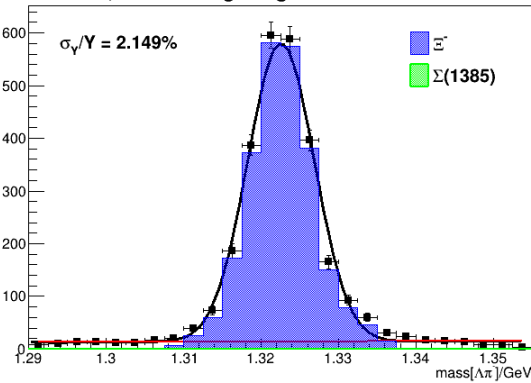


CL > 10<sup>-1</sup>

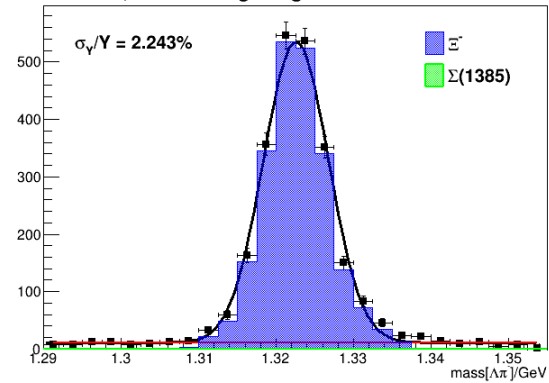
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 3



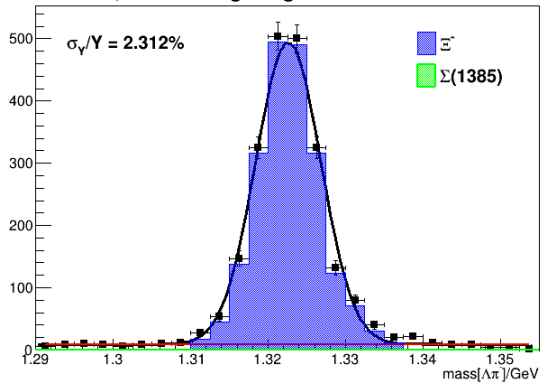
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 4



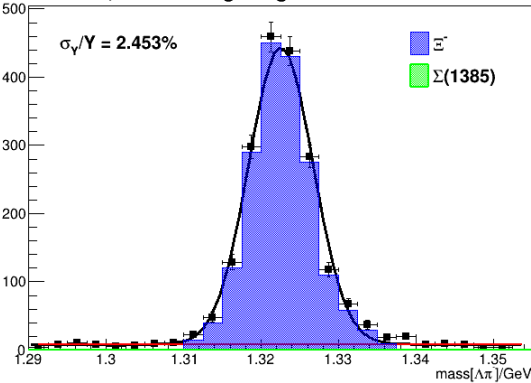
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 5



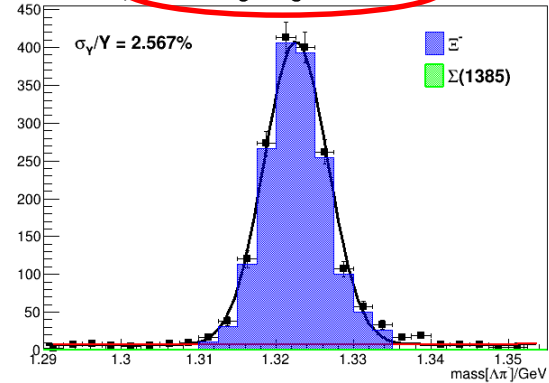
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 6



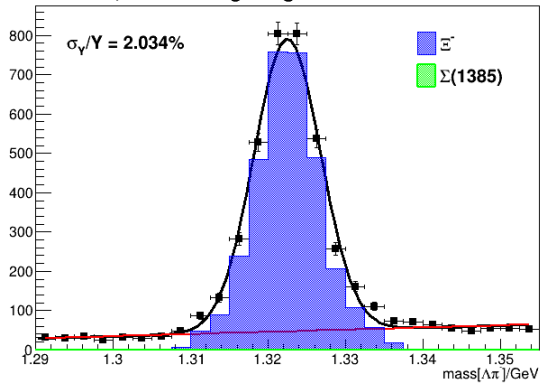
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 7



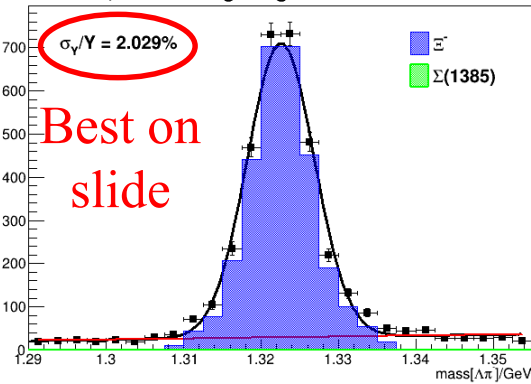
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 8



CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 1

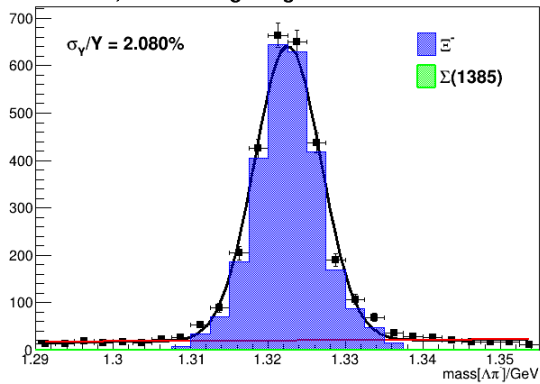


CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 2

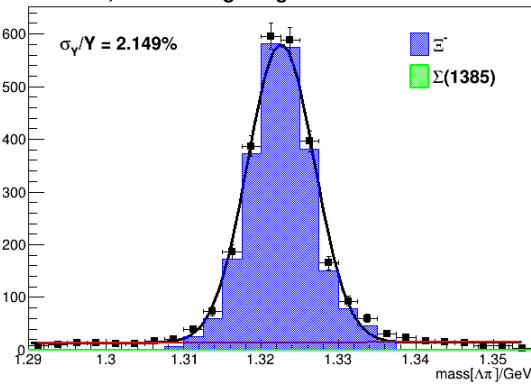


CL > 10<sup>-1</sup>

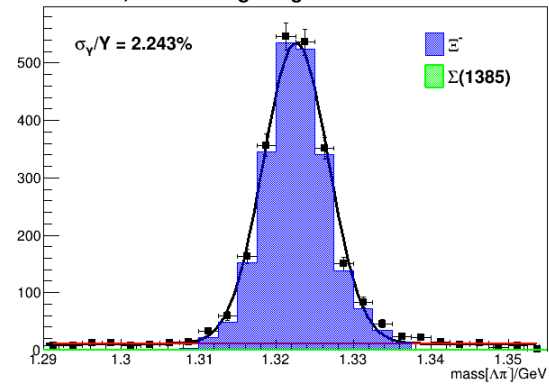
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 3



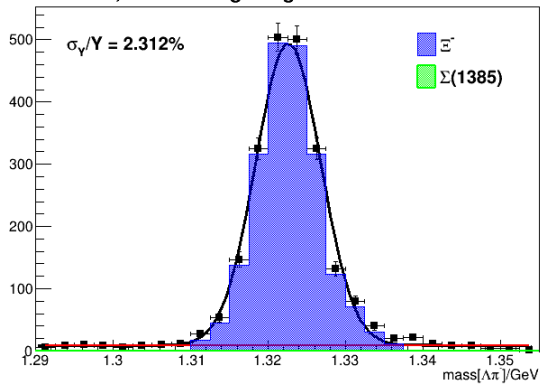
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 4



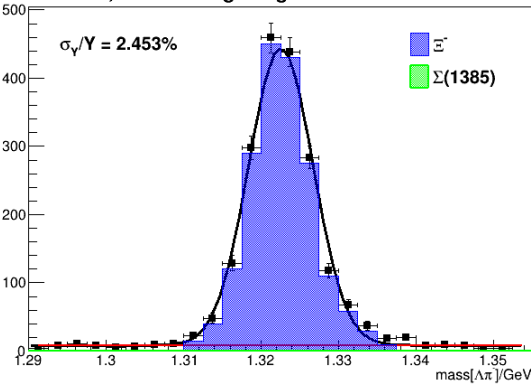
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 5



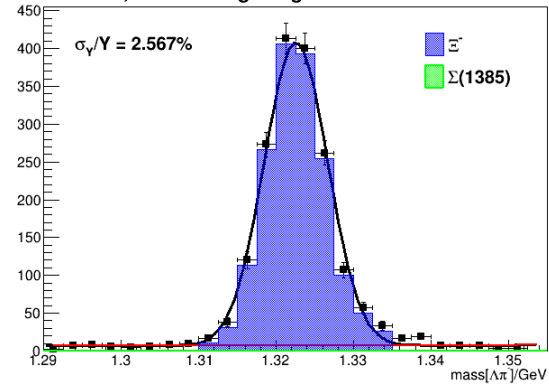
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 6



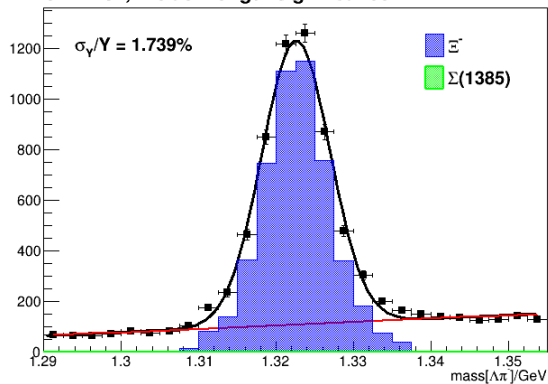
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 7



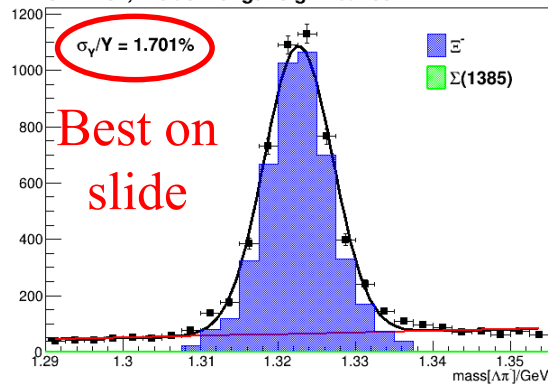
CL > 10<sup>-1</sup>,  $\Xi$  track-length significance > 8



CL > 10<sup>-2</sup>,  $\Xi$  track-length significance > 1

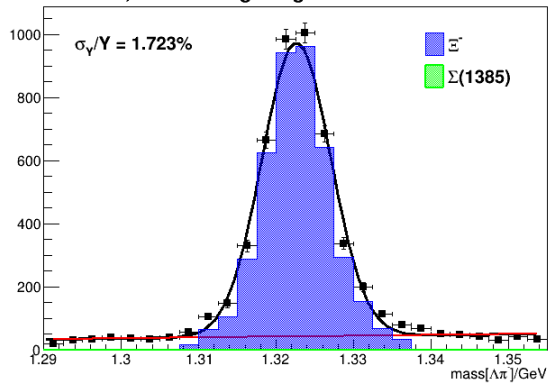


CL > 10<sup>-2</sup>,  $\Xi$  track-length significance > 2

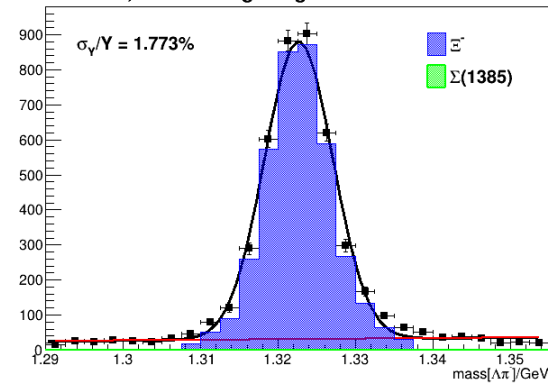


CL > 10<sup>-2</sup>

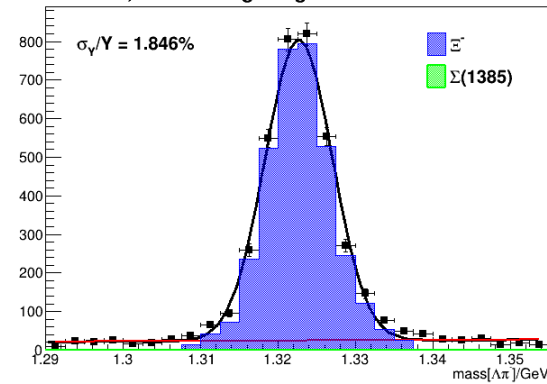
CL > 10<sup>-2</sup>,  $\Xi$  track-length significance > 3



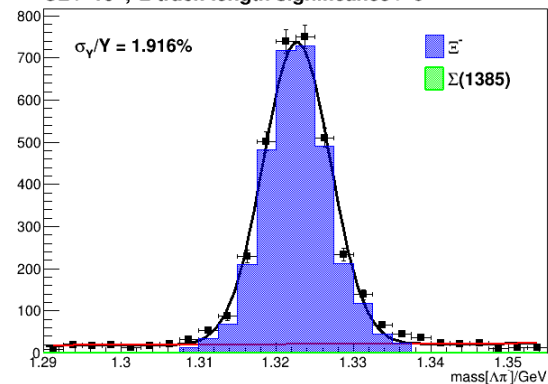
CL > 10<sup>-2</sup>,  $\Xi$  track-length significance > 4



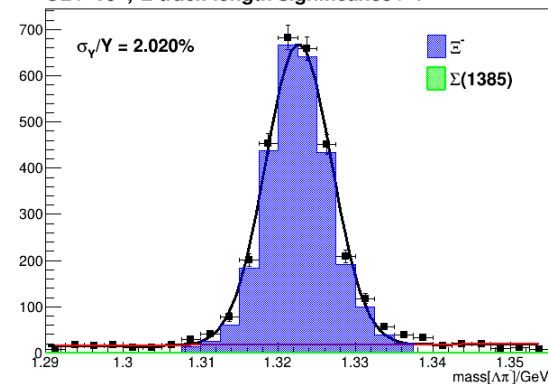
CL > 10<sup>-2</sup>,  $\Xi$  track-length significance > 5



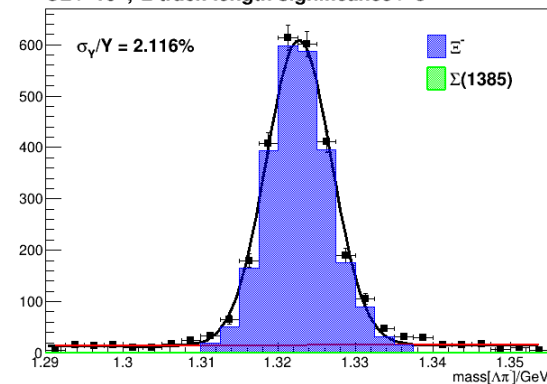
CL > 10<sup>-2</sup>,  $\Xi$  track-length significance > 6



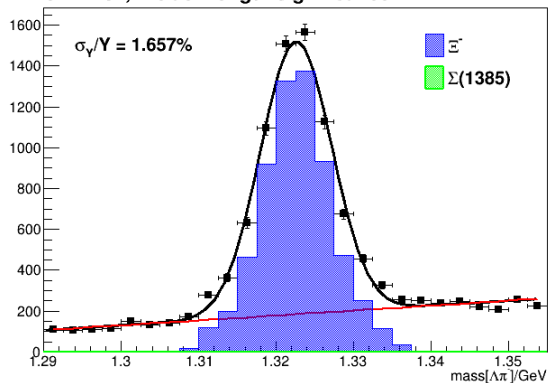
CL > 10<sup>-2</sup>,  $\Xi$  track-length significance > 7



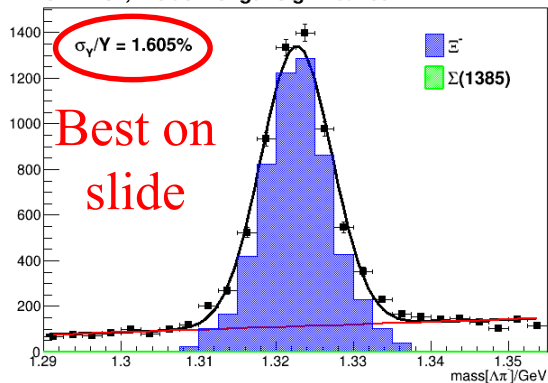
CL > 10<sup>-2</sup>,  $\Xi$  track-length significance > 8



CL > 10<sup>-3</sup>,  $\Xi$  track-length significance > 1

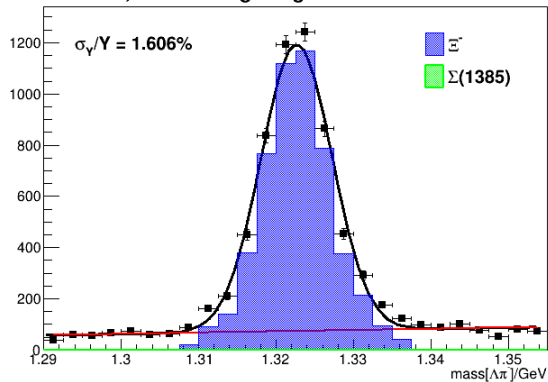


CL > 10<sup>-3</sup>,  $\Xi$  track-length significance > 2

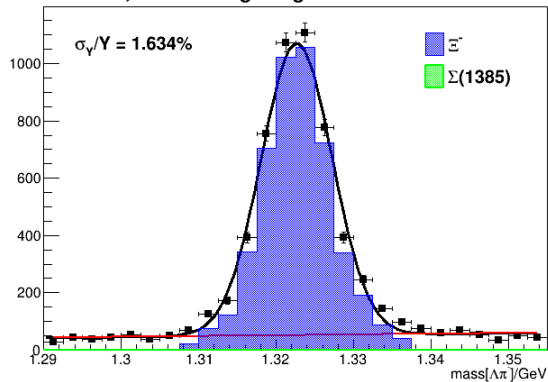


CL > 10<sup>-3</sup>

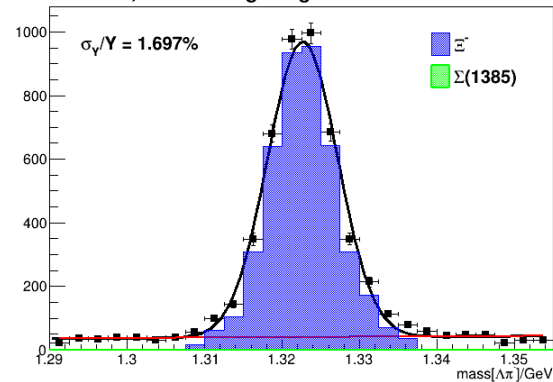
CL > 10<sup>-3</sup>,  $\Xi$  track-length significance > 3



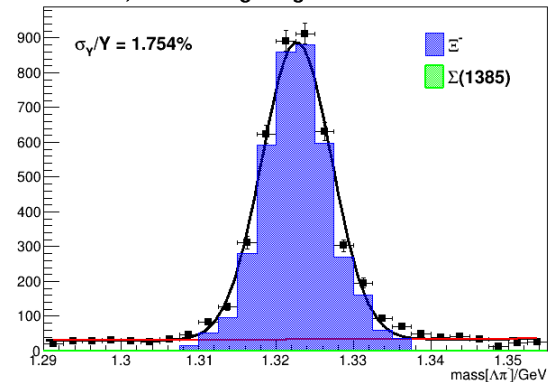
CL > 10<sup>-3</sup>,  $\Xi$  track-length significance > 4



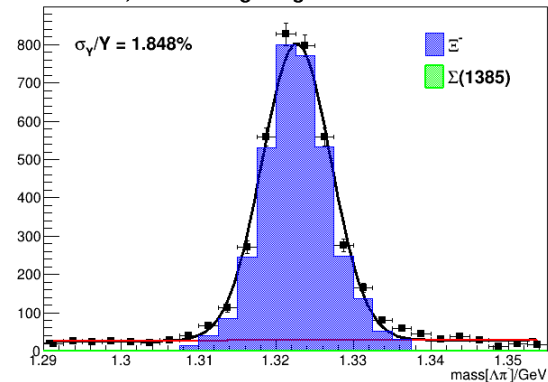
CL > 10<sup>-3</sup>,  $\Xi$  track-length significance > 5



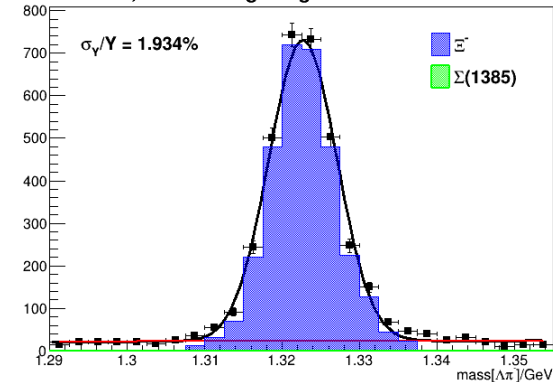
CL > 10<sup>-3</sup>,  $\Xi$  track-length significance > 6



CL > 10<sup>-3</sup>,  $\Xi$  track-length significance > 7

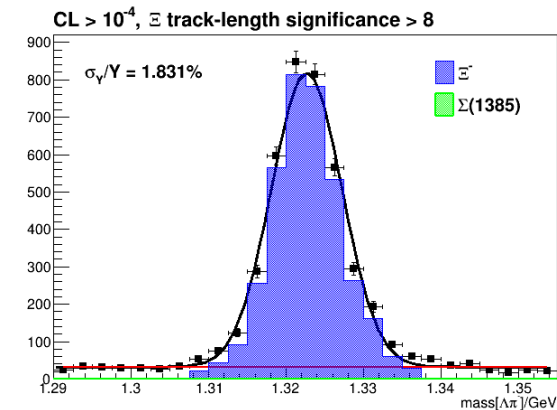
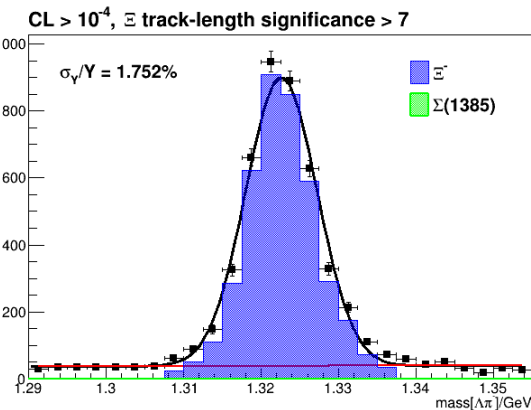
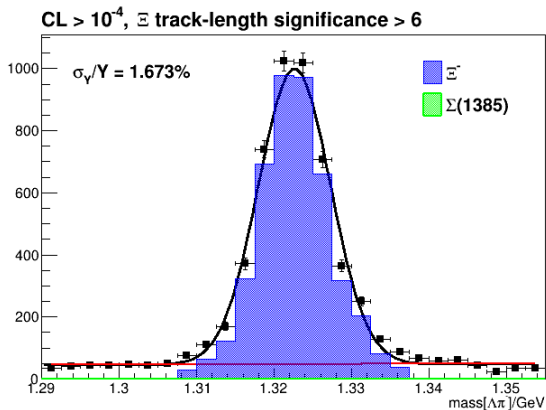
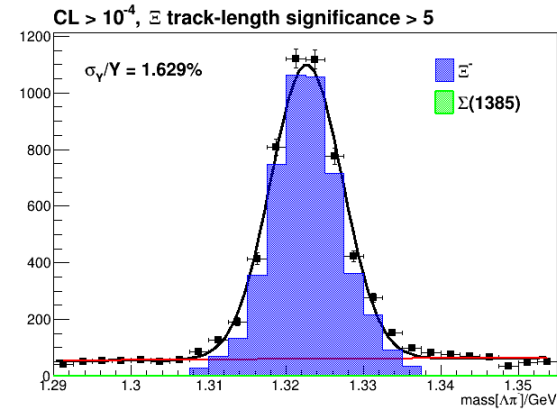
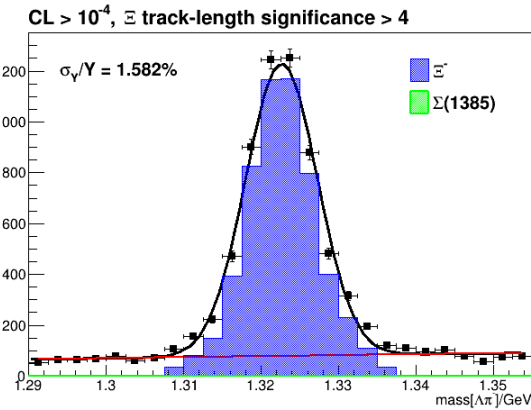
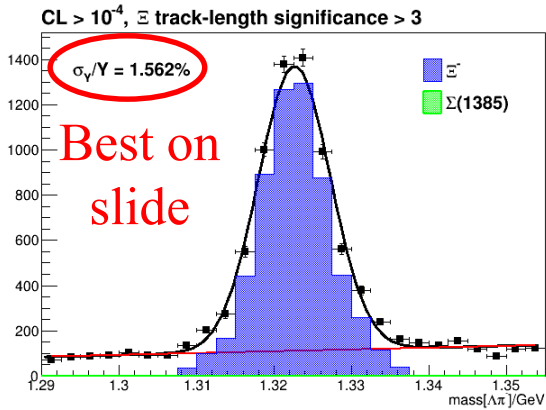
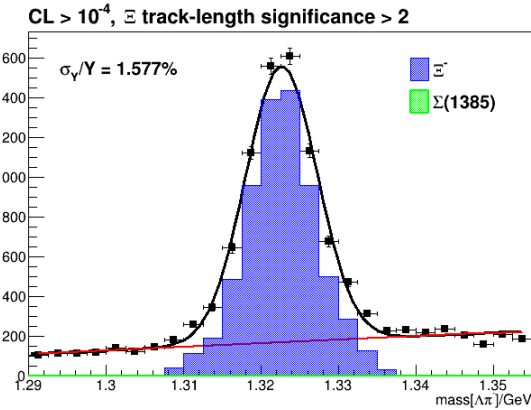
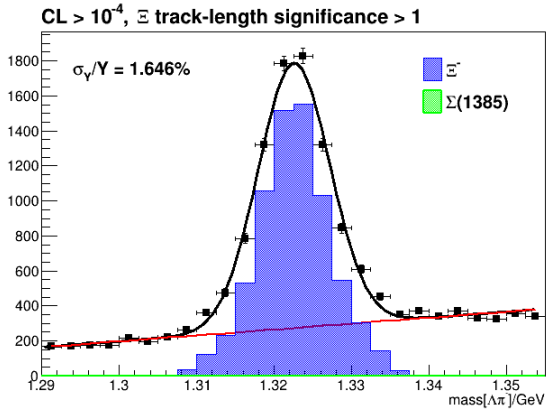


CL > 10<sup>-3</sup>,  $\Xi$  track-length significance > 8

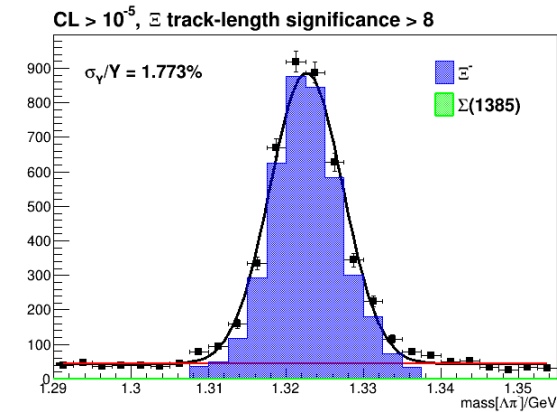
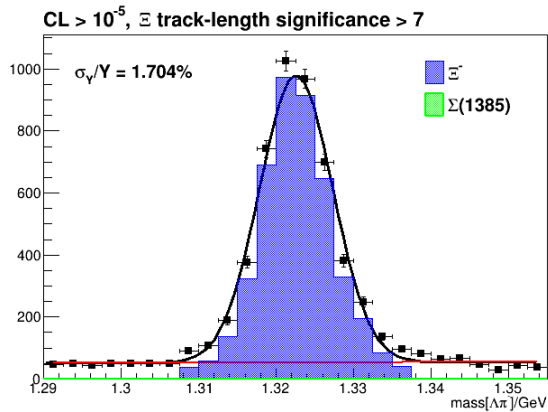
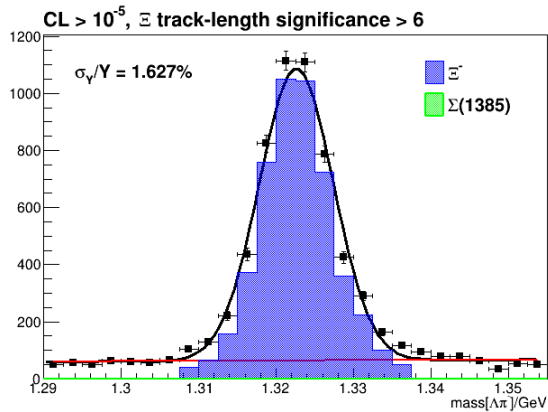
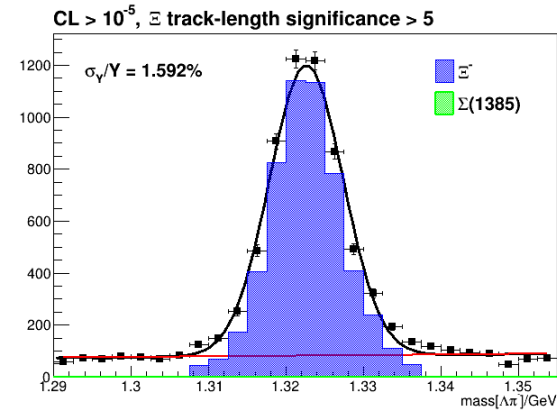
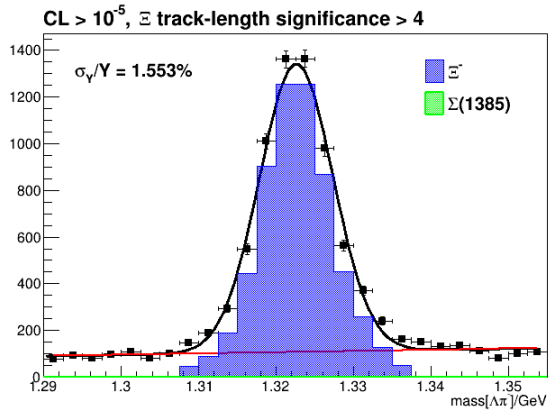
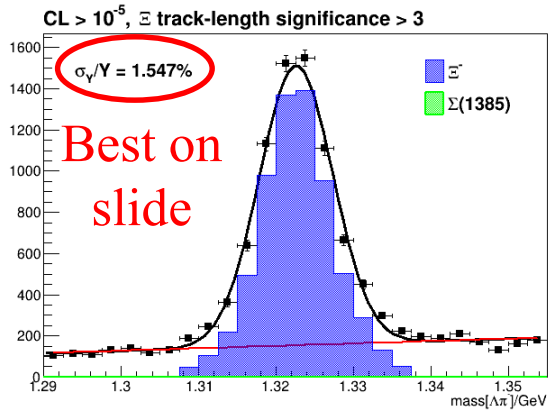
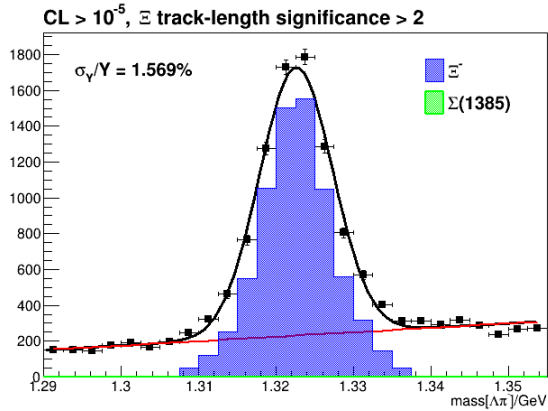
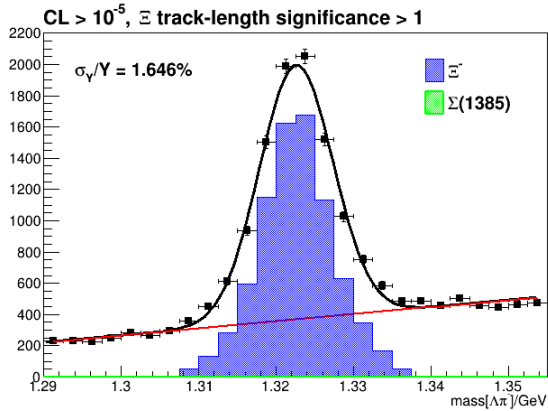




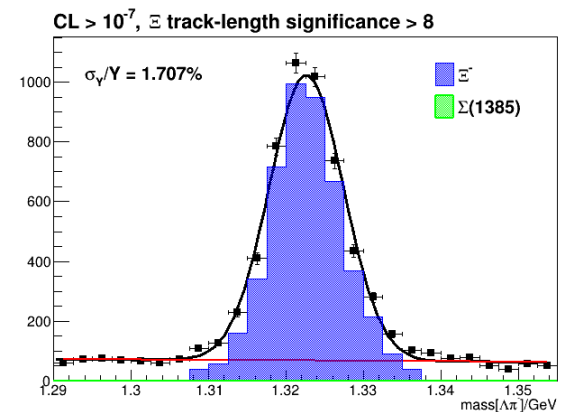
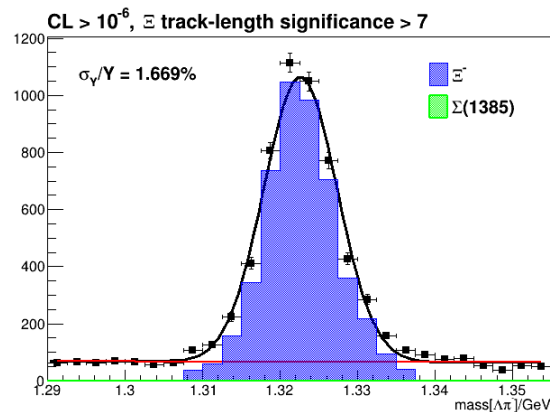
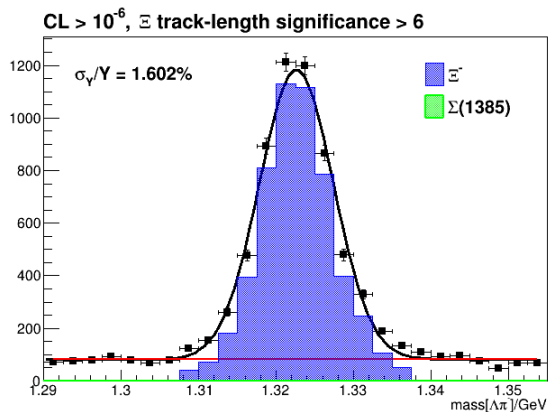
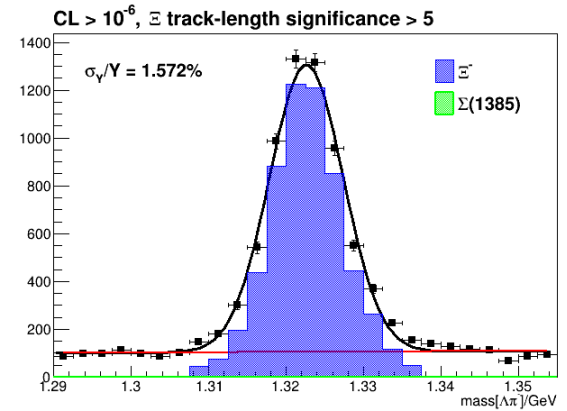
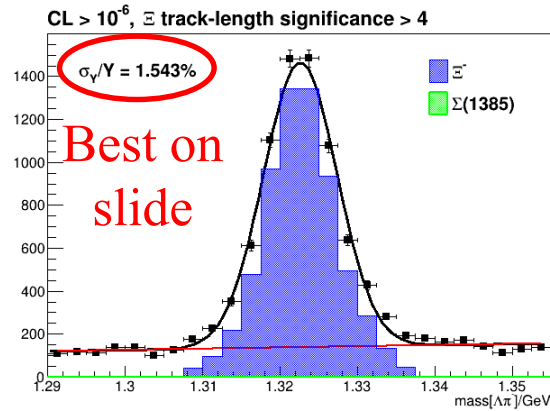
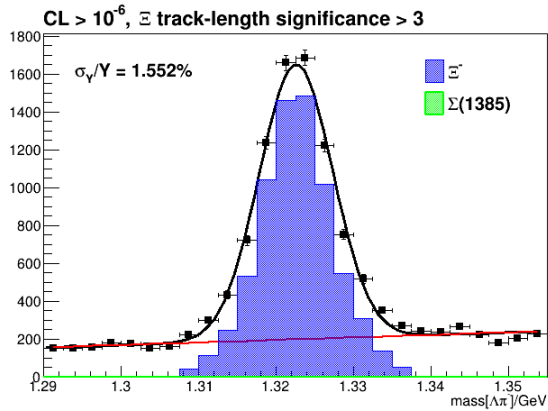
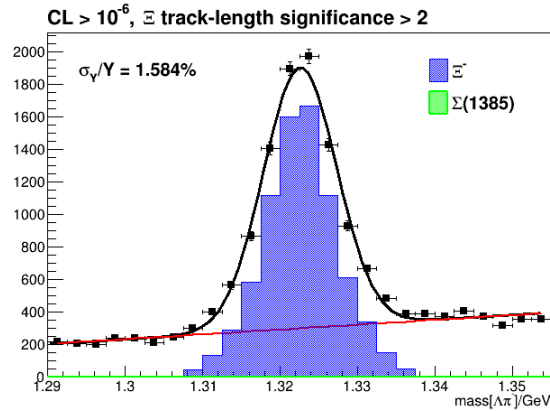
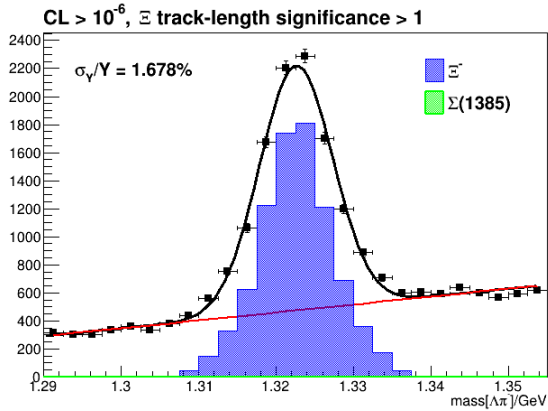
CL > 10<sup>-4</sup>



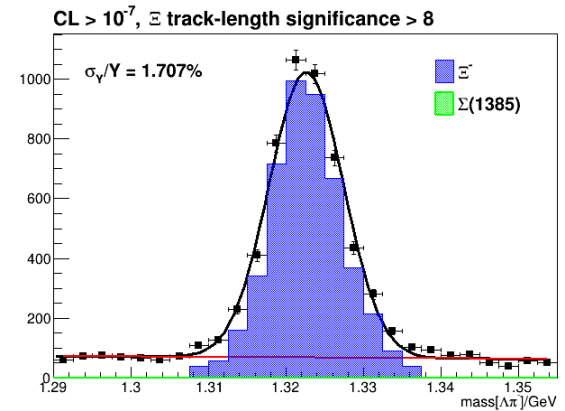
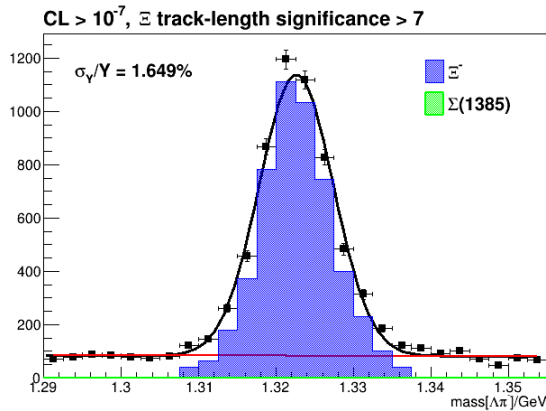
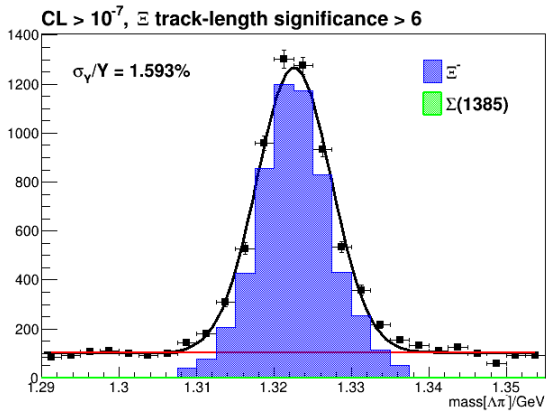
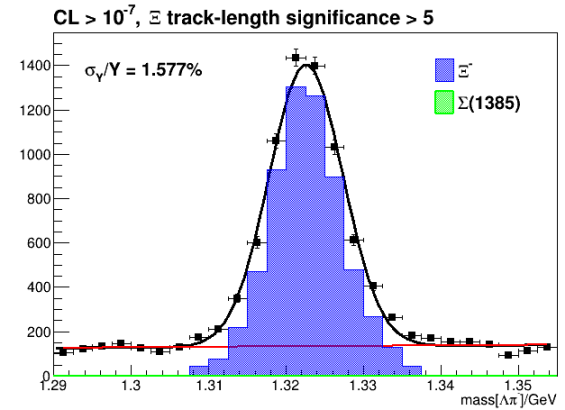
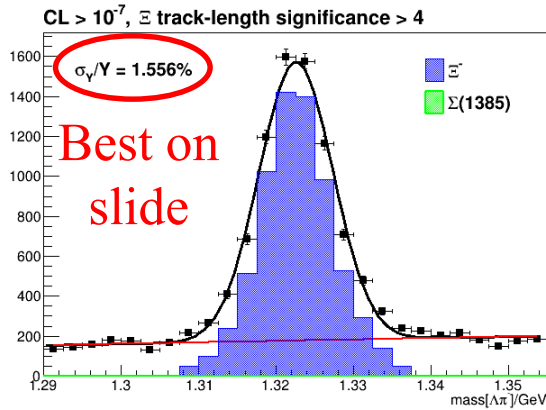
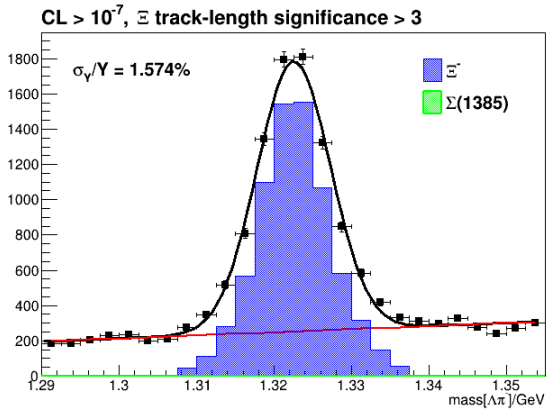
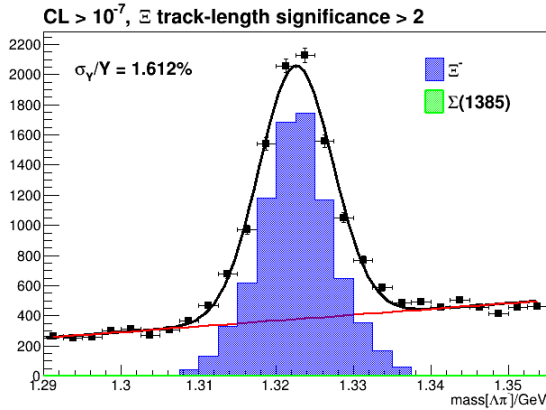
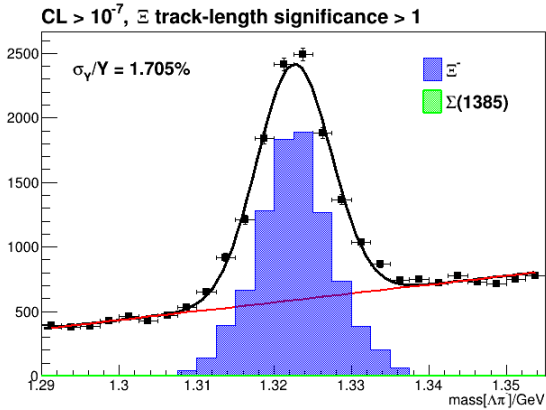
CL > 10<sup>-5</sup>



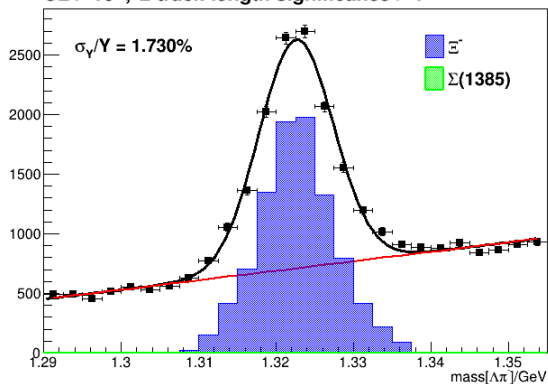
$CL > 10^{-6}$



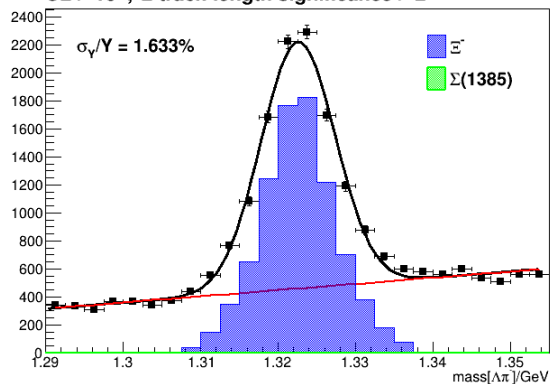
$CL > 10^{-7}$



CL > 10<sup>-8</sup>,  $\Xi$  track-length significance > 1

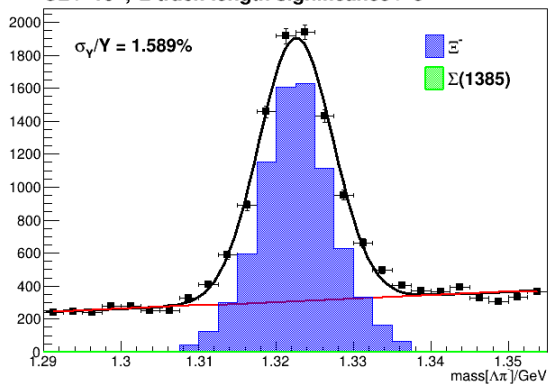


CL > 10<sup>-8</sup>,  $\Xi$  track-length significance > 2

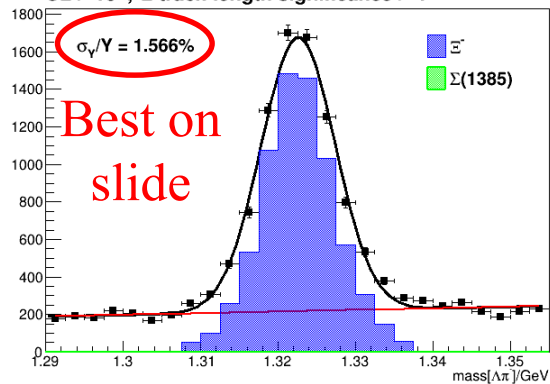


CL > 10<sup>-8</sup>

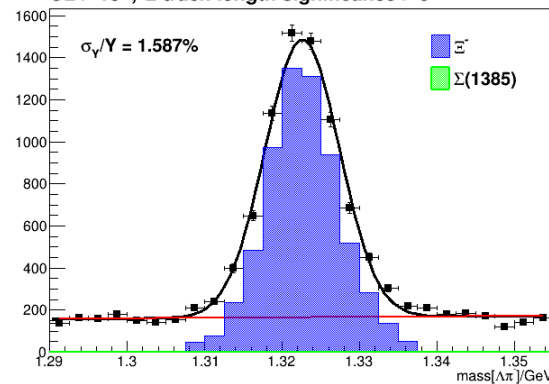
CL > 10<sup>-8</sup>,  $\Xi$  track-length significance > 3



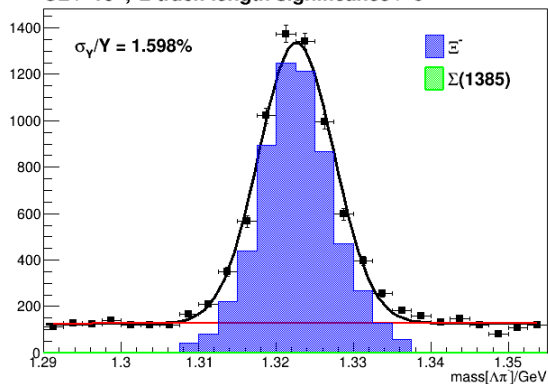
CL > 10<sup>-8</sup>,  $\Xi$  track-length significance > 4



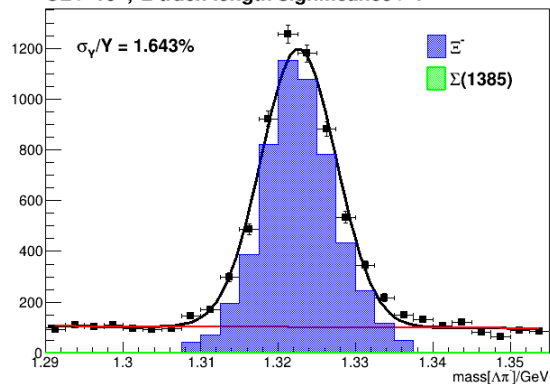
CL > 10<sup>-8</sup>,  $\Xi$  track-length significance > 5



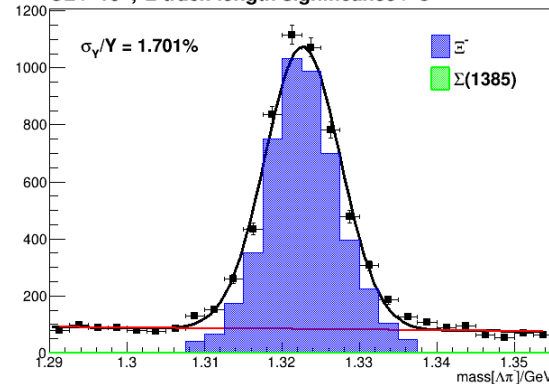
CL > 10<sup>-8</sup>,  $\Xi$  track-length significance > 6



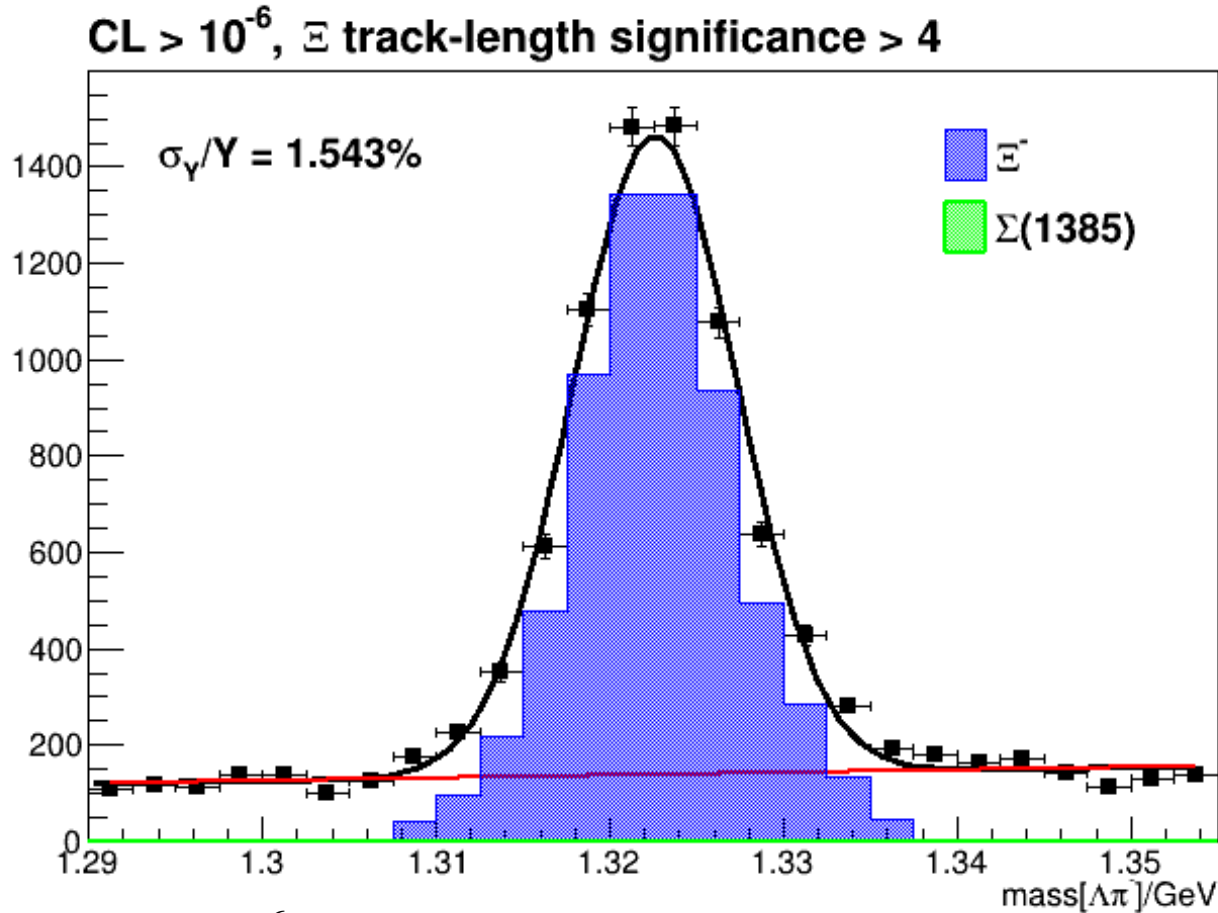
CL > 10<sup>-8</sup>,  $\Xi$  track-length significance > 7



CL > 10<sup>-8</sup>,  $\Xi$  track-length significance > 8



# Overall best (lowest value of $\sigma_Y/Y$ )



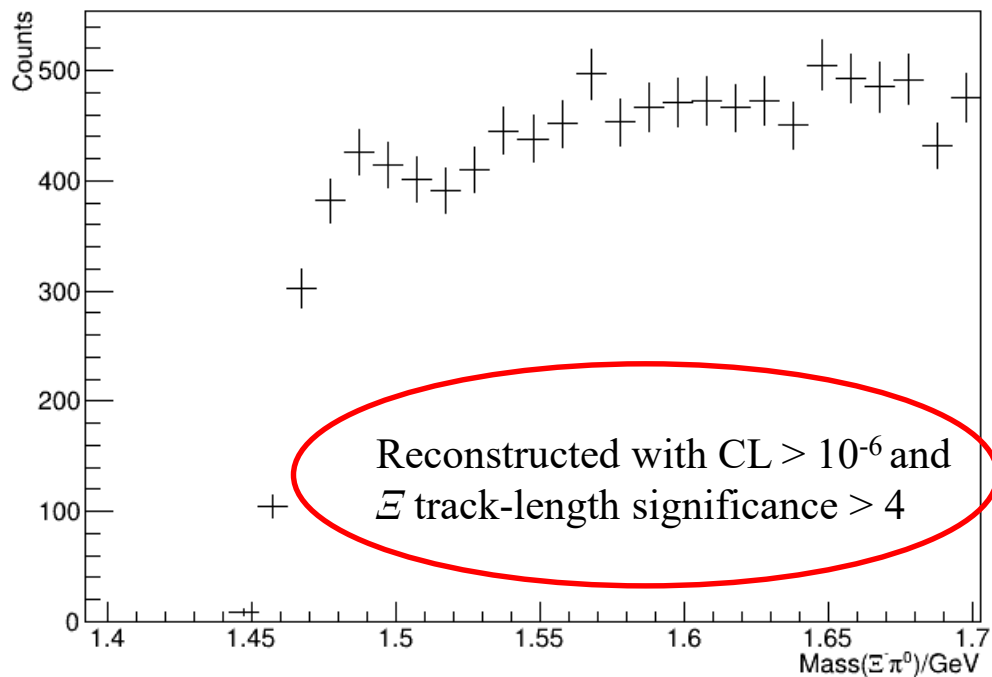
- CL >  $10^{-6}$
- $\Xi$  track-length significance > 4

# Monte Carlo

- Threw 3.4 million events (so far)
- Generated flat in mass [ $E^-\pi^0$ ] from 1.46 GeV to 1.75 GeV

# Monte Carlo

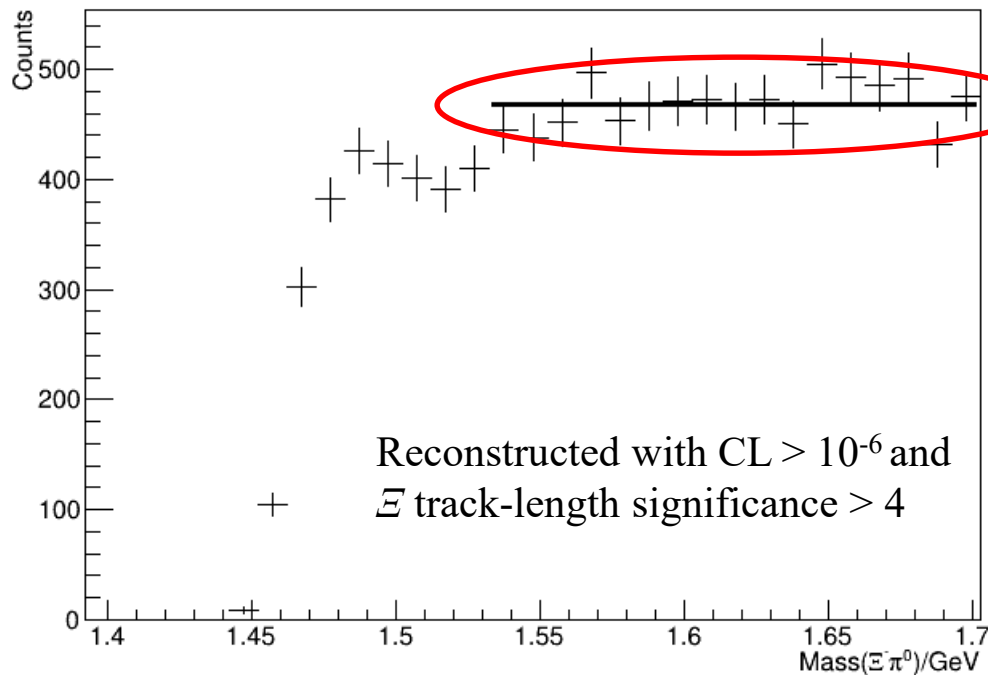
- Threw 3.4 million events (so far)
- Generated flat in mass [ $\Xi^-\pi^0$ ] from 1.46 GeV to 1.75 GeV





# Monte Carlo

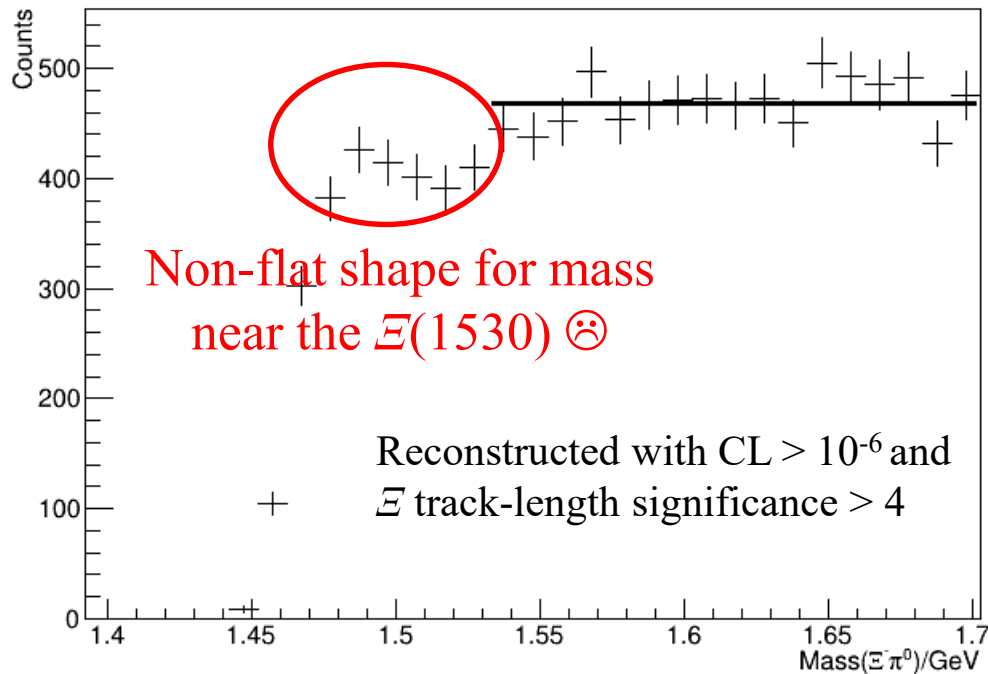
- Threw 3.4 million events (so far)
- Generated flat in mass [ $\Xi^- \pi^0$ ] from 1.46 GeV to 1.75 GeV



Fairly flat for  
mass  $> 1.54$  GeV

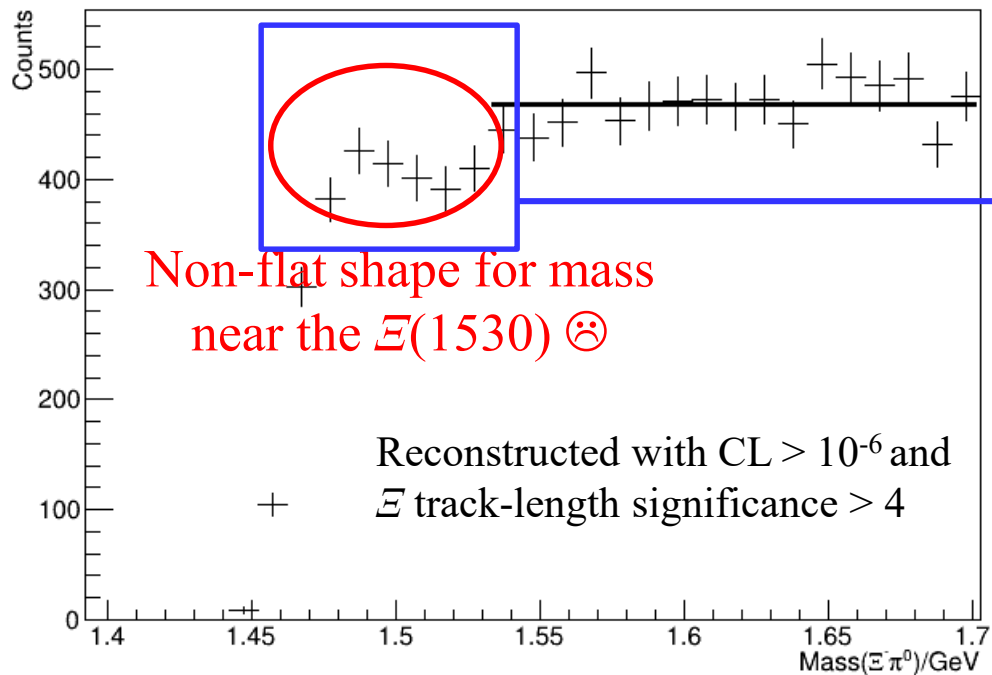
# Monte Carlo

- Threw 3.4 million events (so far)
- Generated flat in mass [ $\Xi^- \pi^0$ ] from 1.46 GeV to 1.75 GeV



# Monte Carlo

- Threw 3.4 million events (so far)
- Generated flat in mass [ $\Xi^-\pi^0$ ] from 1.46 GeV to 1.75 GeV



Non-flat shape for mass  
near the  $\Xi(1530)$  ☹

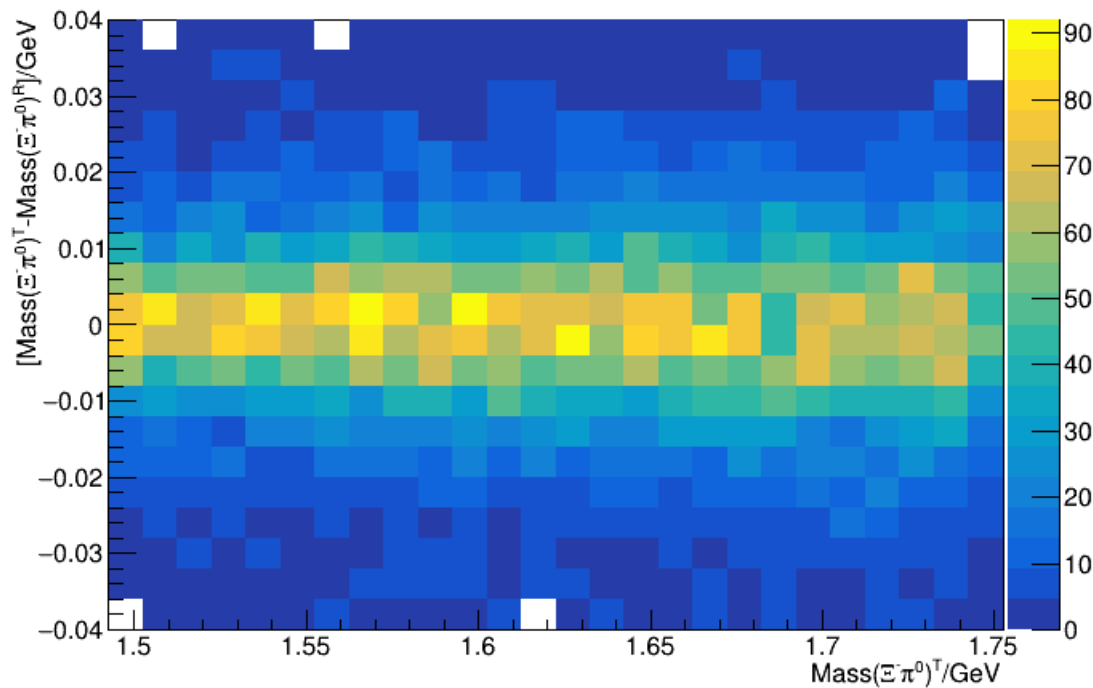
Ignoring for now: Will  
deal with  $\Xi(1530)$  shape  
problem at a later date

# Monte Carlo: Resolution of mass [ $E^- \pi^0$ ]

- [Mass True – Mass Reconstructed] versus Mass True

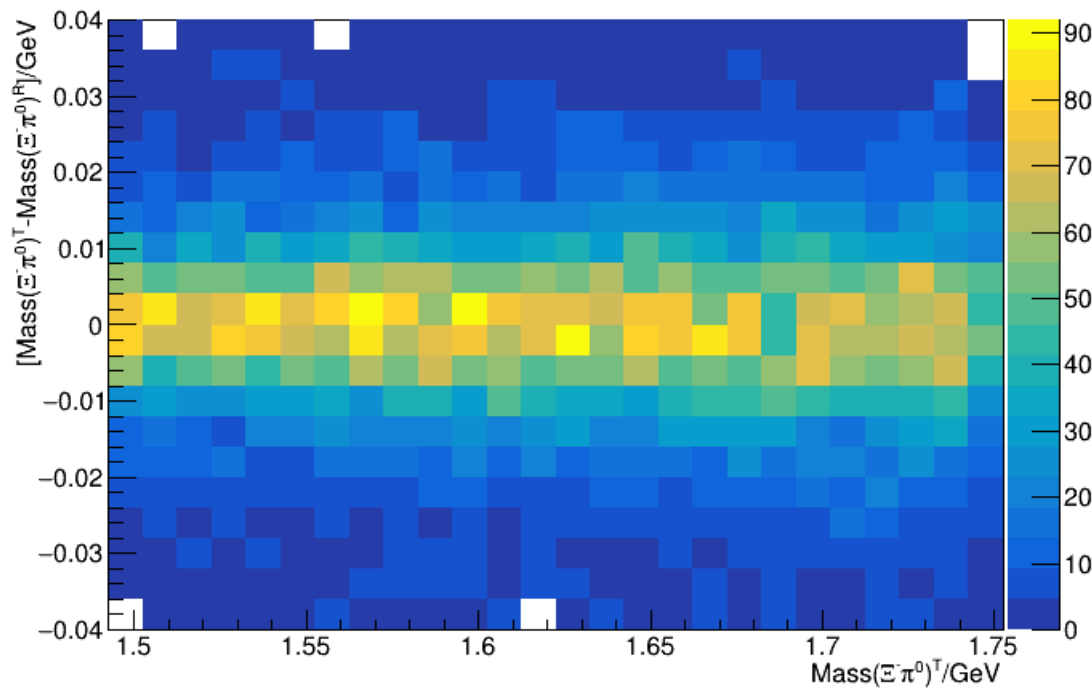
# Monte Carlo: Resolution of mass [ $E^-\pi^0$ ]

- [Mass True – Mass Reconstructed] versus Mass True

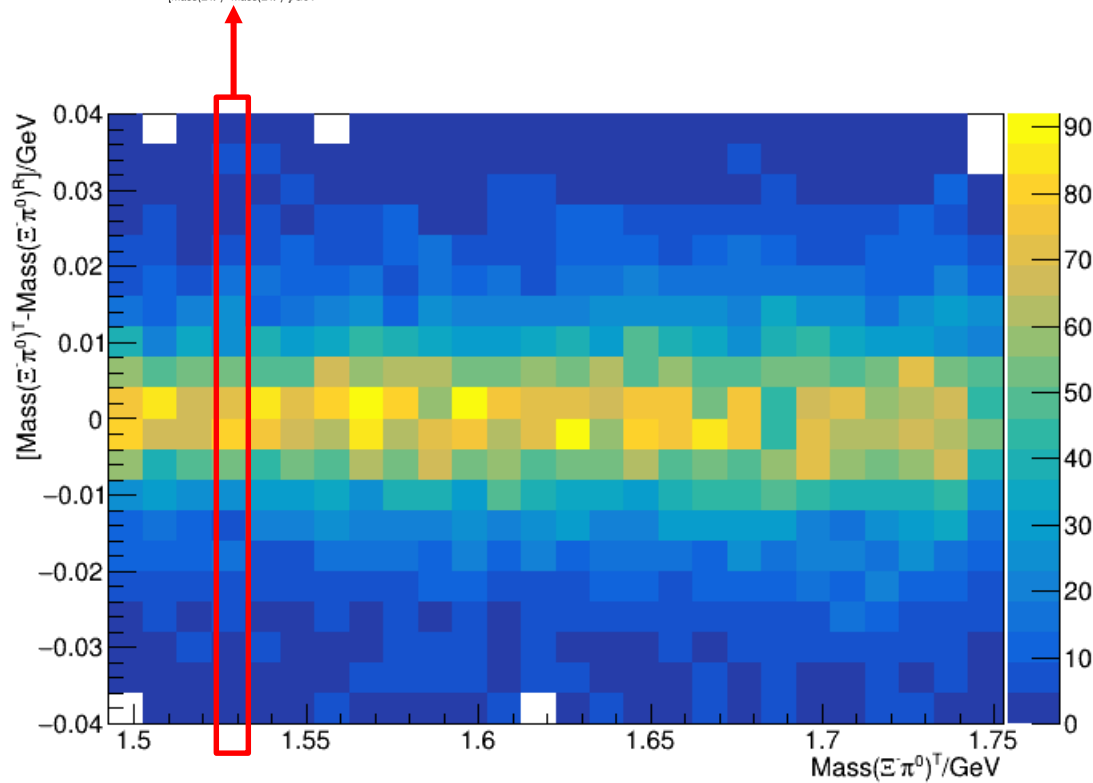
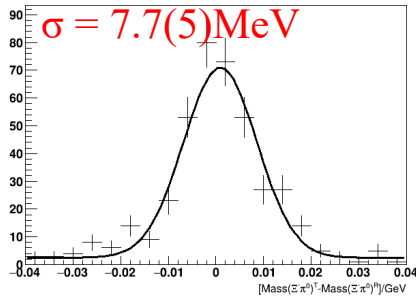


# Monte Carlo: Resolution of mass [ $\Xi^- \pi^0$ ]

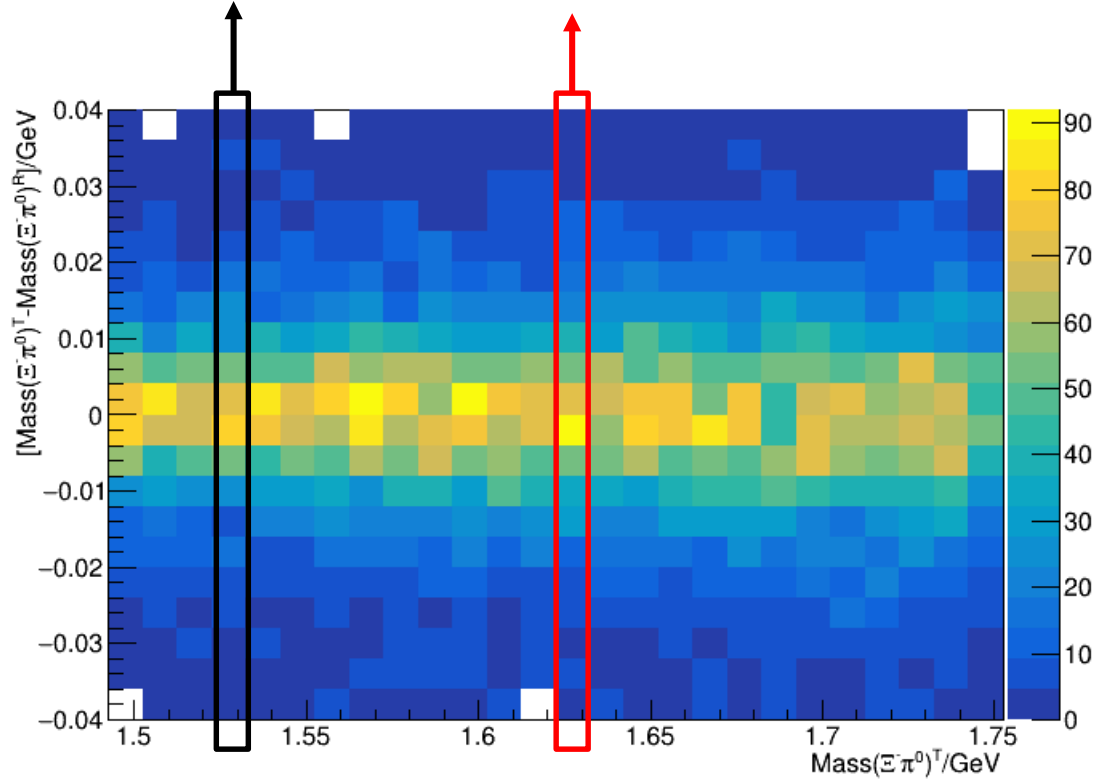
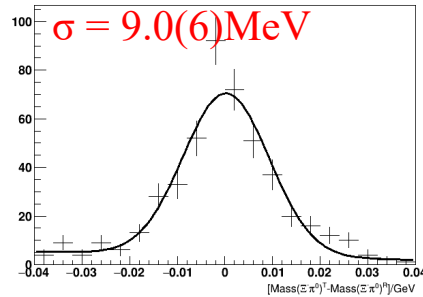
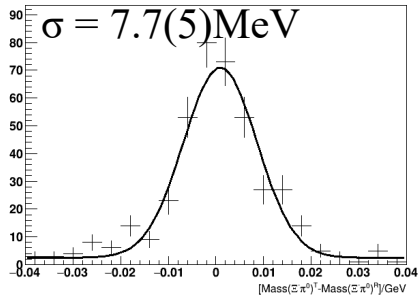
- [Mass True – Mass Reconstructed] versus Mass True
- Will zoom in on masses near the  $\Xi(1530)$ ,  $\Xi(1620)$  and  $\Xi(1690)$



# Monte Carlo: Resolution of mass [ $E^- \pi^0$ ]

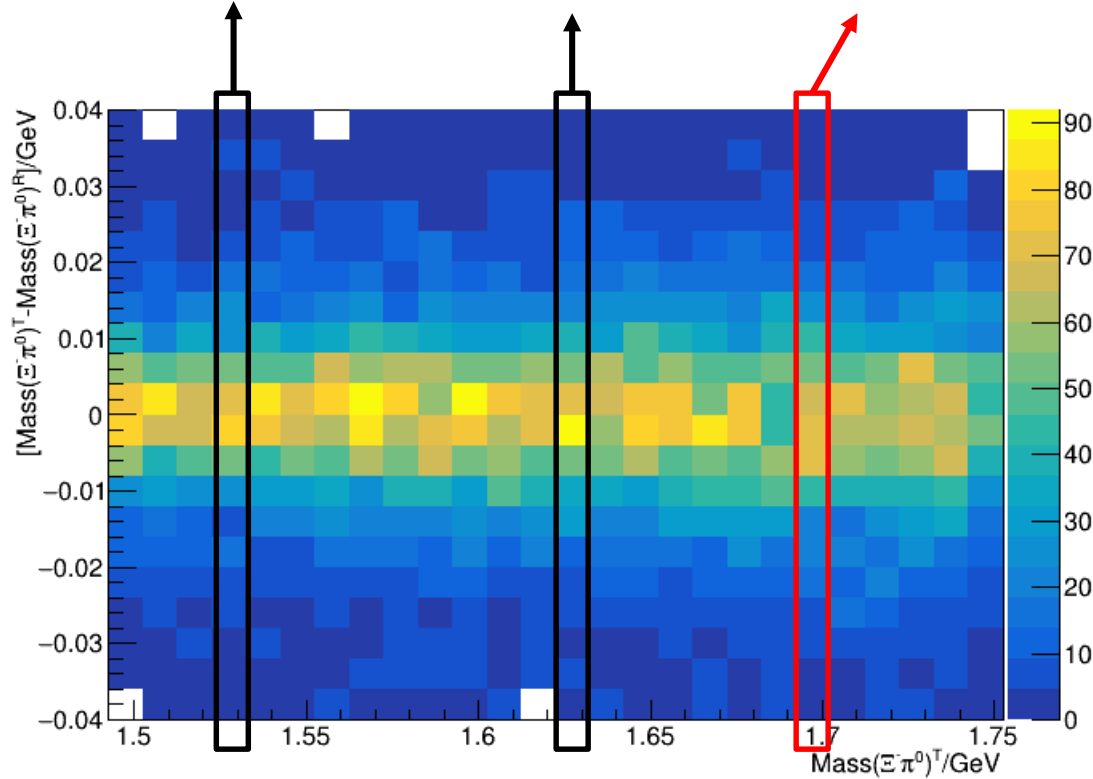
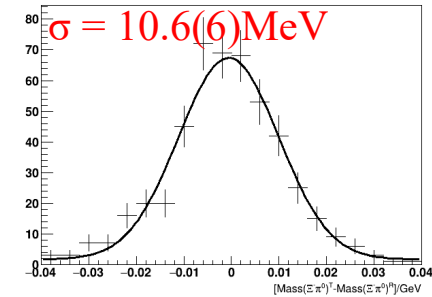
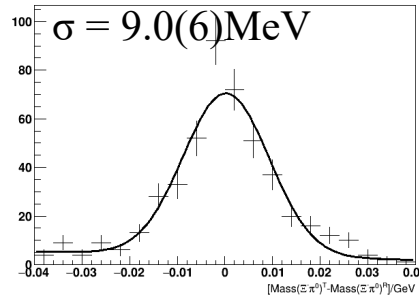
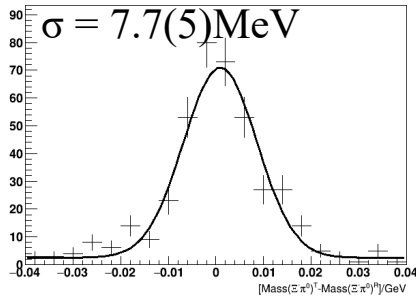


# Monte Carlo: Resolution of mass [ $E^-\pi^0$ ]





# Monte Carlo: Resolution of mass [ $E^-\pi^0$ ]



# Fits to $E(1530)$ , $E(1620)$ and $E(1690)$

The fit:

- Background: 2<sup>nd</sup> order polynomial multiplied by sigmoid

# Fits to $E(1530)$ , $E(1620)$ and $E(1690)$

The fit:

- Background: 2<sup>nd</sup> order polynomial multiplied by sigmoid
- Three  $E^*$ , each represented by a Voigt function with appropriate smearing parameter  $\sigma$  (as determined in prior slide)

# Fits to $\mathcal{E}(1530)$ , $\mathcal{E}(1620)$ and $\mathcal{E}(1690)$

The fit:

- Background: 2<sup>nd</sup> order polynomial multiplied by sigmoid
- Three  $\mathcal{E}^*$ , each represented by a Voigt function with appropriate smearing parameter  $\sigma$  (as determined in prior slide)

Note on what will be shown:

- The  $\mathcal{E}(1530)$  that will be shown have no serious issues

# Fits to $\mathcal{E}(1530)$ , $\mathcal{E}(1620)$ and $\mathcal{E}(1690)$

The fit:

- Background: 2<sup>nd</sup> order polynomial multiplied by sigmoid
- Three  $\mathcal{E}^*$ , each represented by a Voigt function with appropriate smearing parameter  $\sigma$  (as determined in prior slide)

Note on what will be shown:

- The  $\mathcal{E}(1530)$  that will be shown have no serious issues
- The  $\mathcal{E}(1620)$  that will be shown might be real (but might not ☹)

# Fits to $E(1530)$ , $E(1620)$ and $E(1690)$

The fit:

- Background: 2<sup>nd</sup> order polynomial multiplied by sigmoid
- Three  $E^*$ , each represented by a Voigt function with appropriate smearing parameter  $\sigma$  (as determined in prior slide)

Note on what will be shown:

- The  $E(1530)$  that will be shown have no serious issues
- The  $E(1620)$  that will be shown might be real (but might not ☹)
- The  $E(1690)$  that will be shown all have zero width and are probably a statistical fluctuation. The line shapes (**cyan**) will be entirely due to the resolution of the reconstructed mass( $E^-\pi^0$ )

# Fits to $E(1530)$ , $E(1620)$ and $E(1690)$

Cuts on GlueX data:

# Fits to $\Xi(1530)$ , $\Xi(1620)$ and $\Xi(1690)$

Cuts on GlueX data:

- Using best  $\sigma_Y/Y$ :
  - $CL > 10^{-6}$
  - $\Xi$  track-length significance  $> 4$



# Fits to $E(1530)$ , $E(1620)$ and $E(1690)$

Cuts on GlueX data:

- Using best  $\sigma_{Y'}/Y$ :
  - $CL > 10^{-6}$
  - $E$  track-length significance  $> 4$
- $E^-$  cut:
  - Kept event when  
 $1.30 < \text{mass}[\Lambda\pi]/\text{GeV} < 1.35$

# Fits to $\Xi(1530)$ , $\Xi(1620)$ and $\Xi(1690)$

Cuts on GlueX data:

- Using best  $\sigma_Y/Y$ :
  - $CL > 10^{-6}$
  - $\Xi$  track-length significance  $> 4$
- $\Xi^-$  cut:
  - Kept event when  
 $1.30 < \text{mass}[\Lambda\pi]/\text{GeV} < 1.35$
- $K^*$  cut:
  - Remove event when  
 $0.85 < \text{mass}[K^+\pi^0]/\text{GeV} < 0.95$

# Fits to $E(1530)$ , $E(1620)$ and $E(1690)$

Cuts on GlueX data:

- Using best  $\sigma_Y/Y$ :
  - $CL > 10^{-6}$
  - $E$  track-length significance  $> 4$
- $E^-$  cut:
  - Kept event when  
 $1.30 < \text{mass}[\Lambda\pi]/\text{GeV} < 1.35$
- $K^*$  cut:
  - Remove event when  
 $0.85 < \text{mass}[K^+\pi^0]/\text{GeV} < 0.95$

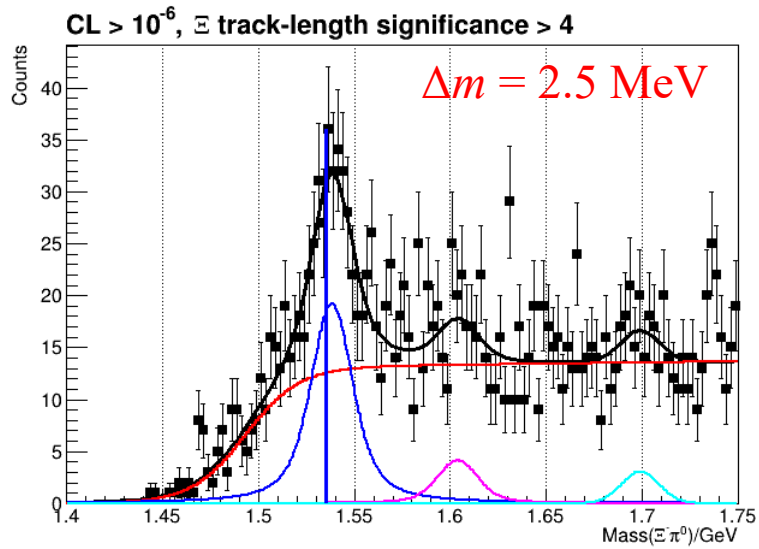
Other:

- Explored various mass binning

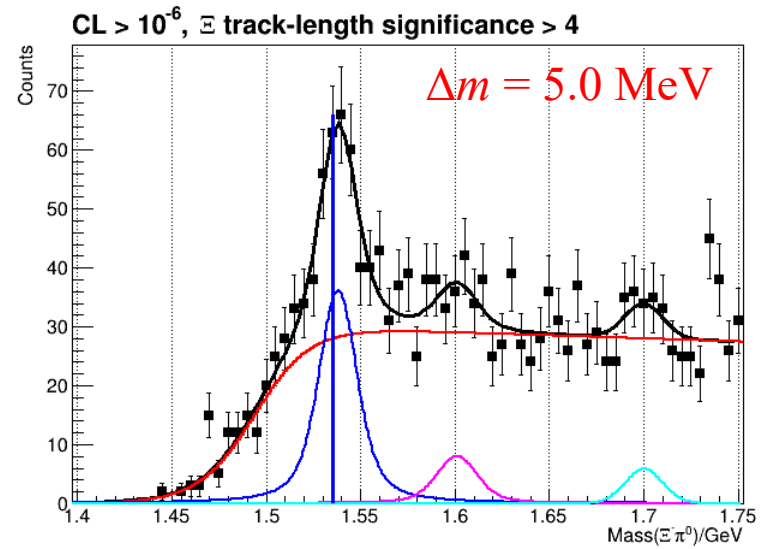
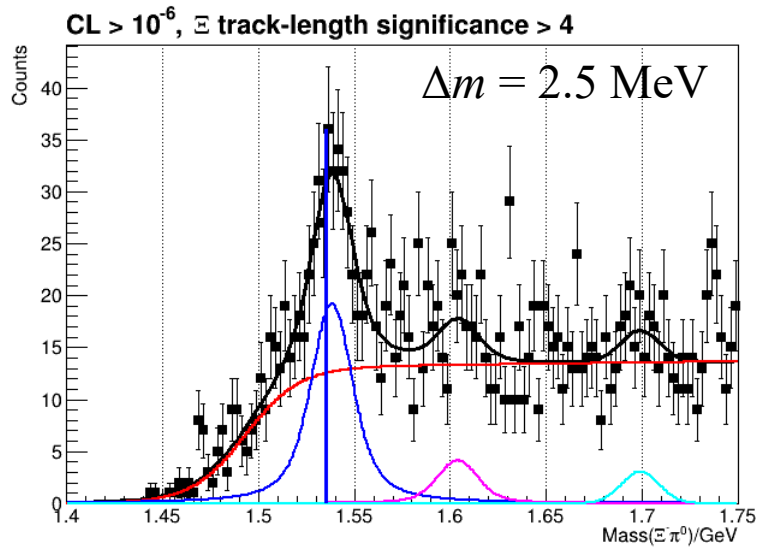


# Mass binning

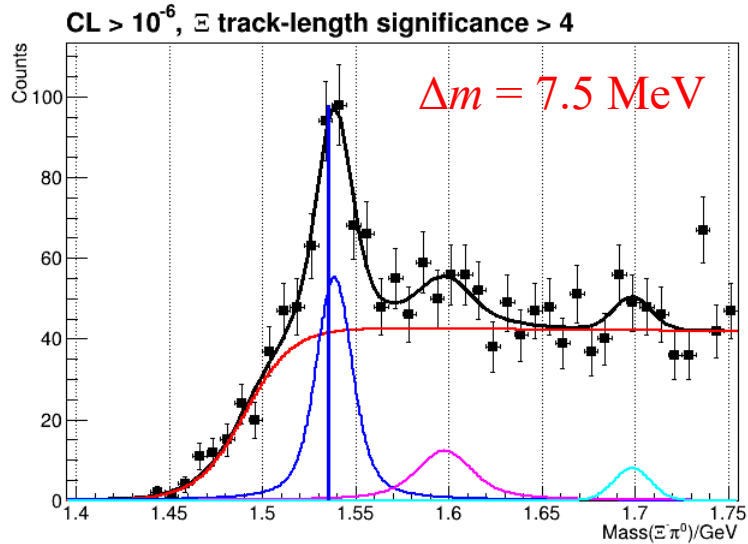
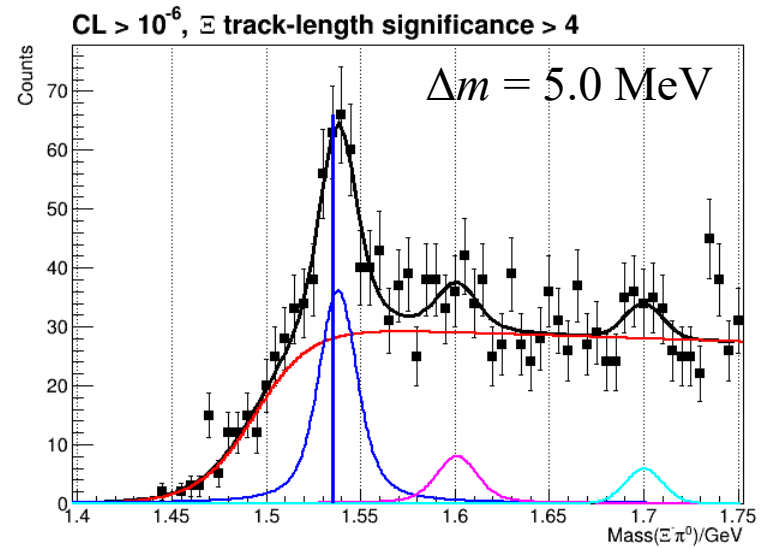
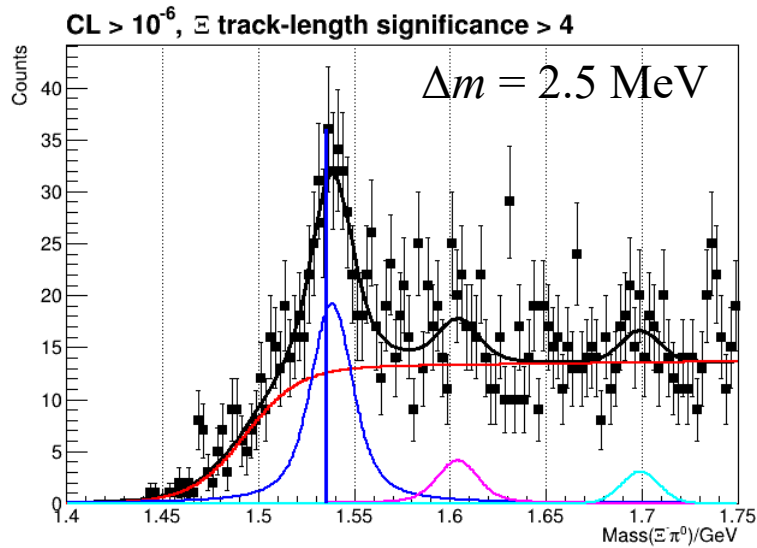
# Mass binning



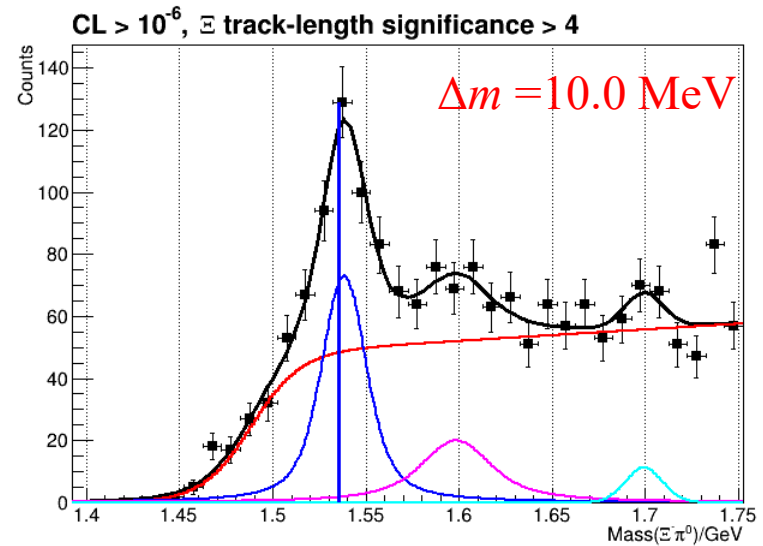
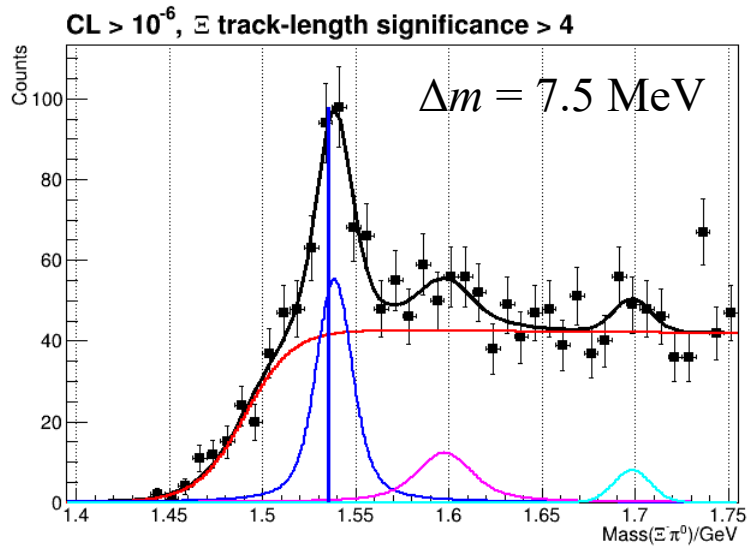
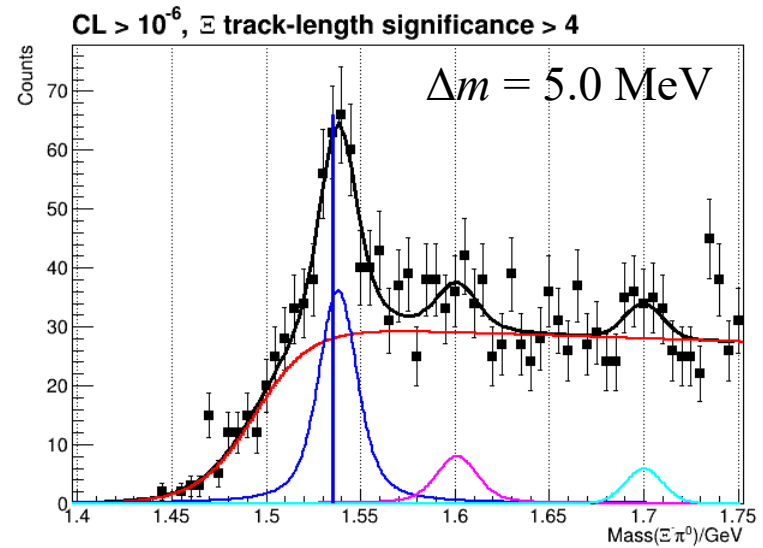
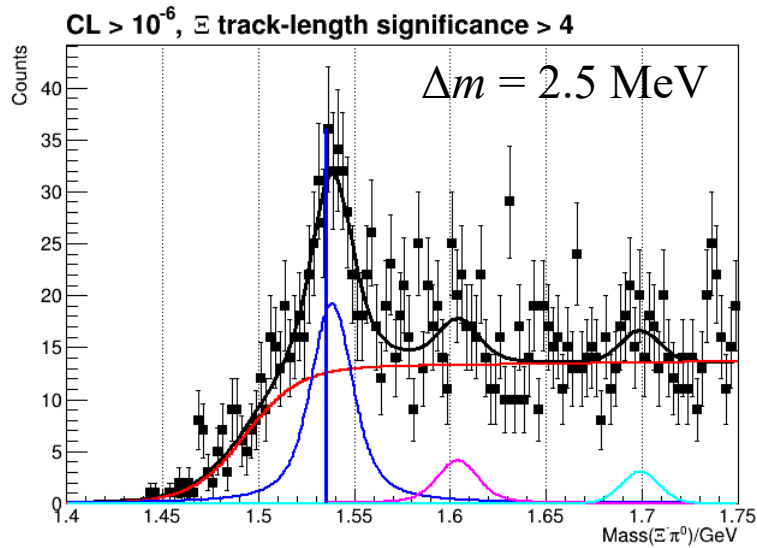
# Mass binning



# Mass binning



# Mass binning

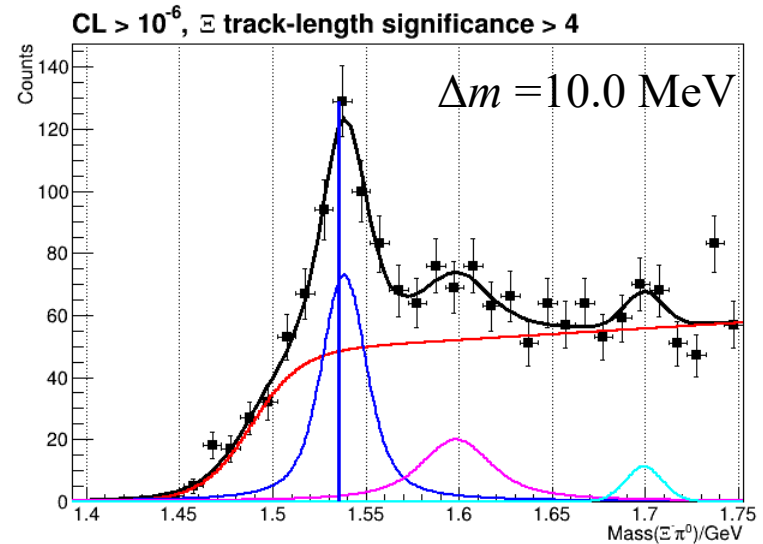




# Fit results

$E(1530)$ :

- Center = 1538(2) MeV [PDG: 1535.2 +/- 0.8 MeV]
- Width = 16(10) MeV [PDG:  $9.9^{+1.7}_{-1.9}$  MeV]



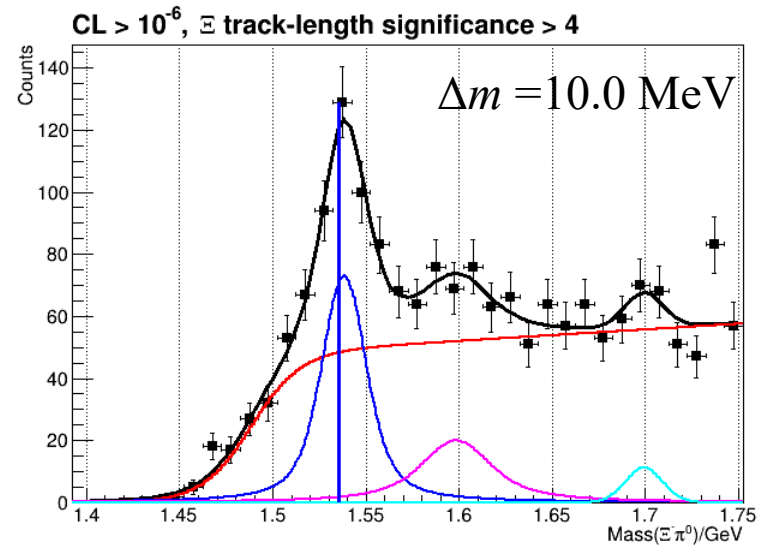
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$E(1530)$ :

- Center = 1538(2) MeV [PDG: 1535.2 +/- 0.8 MeV]
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$E(1620)$ :

- Center = 1598(8) MeV
- Width = 34(37) MeV



# Fit results

$\Xi(1530)$ :

- Center = 1538(2) MeV [PDG: 1535.2 +/- 0.8 MeV]
- Width = 16(10) MeV [PDG:  $9.9_{-1.9}^{+1.7}$  MeV]

$\Xi(1620)$ :

- Center = 1598(8) MeV
- Width = 34(37) MeV

$\Xi(1620)$

$I(J^P) = \frac{1}{2}(??)$  Status: \*\*  
*J, P* need confirmation.

OMITTED FROM SUMMARY TABLE

The clearest evidence is a peak in  $\Xi^- \pi^+$  seen by SUMIHAMA 19.  
 Older low-statistics experiments (e.g., BORENSTEIN 72 and HAS-SALL 81) have looked for the state but have not seen any effect.

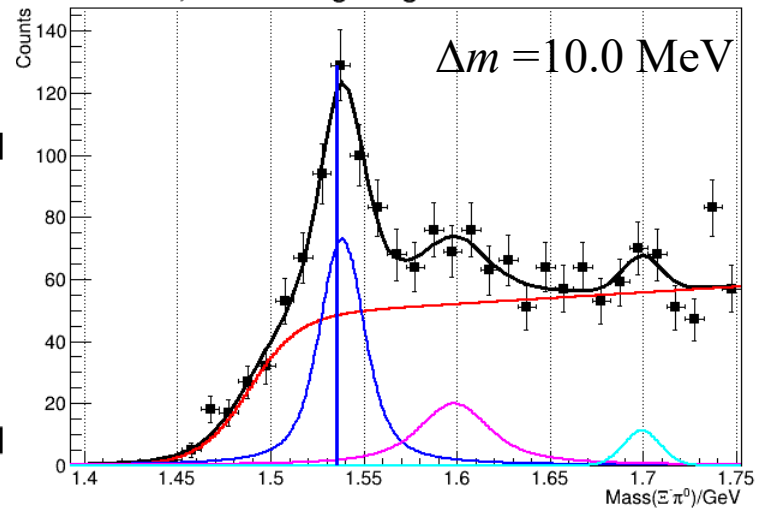
## $\Xi(1620)$ MASS

VALUE (MeV)	EVTS	DOCUMENT ID	TECN	COMMENT
<b>1620 OUR ESTIMATE</b>				
$1610.4 \pm 6.0_{-4.2}^{+6.1}$		SUMIHAMA	19	BELL $\Xi_c^+ \rightarrow \Xi(1620)\pi^+$
$1624 \pm 3$	31	BRIEFEL	77	HBC $K^- p$ 2.87 GeV/c
$1633 \pm 12$	34	DEBELLEFON	75B	HBC $K^- p \rightarrow \Xi^- \bar{K} \pi$
$1606 \pm 6$	29	ROSS	72	HBC $K^- p$ 3.1-3.7 GeV/c

## $\Xi(1620)$ WIDTH

VALUE (MeV)	EVTS	DOCUMENT ID	TECN	COMMENT
<b><math>32 \pm 8</math> OUR AVERAGE</b>				Error includes scale factor of 2.2. See the ideogram below.
$59.9 \pm 4.8_{-7.1}^{+2.8}$		SUMIHAMA	19	BELL $\Xi_c^+ \rightarrow \Xi(1620)\pi^+$
$22.5 \pm 7.5$	31	<sup>1</sup> BRIEFEL	77	HBC $K^- p$ 2.87 GeV/c
$40 \pm 15$	34	DEBELLEFON	75B	HBC $K^- p \rightarrow \Xi^- \bar{K} \pi$
$21 \pm 7$	29	ROSS	72	HBC $K^- p \rightarrow \Xi^- \pi^+ K^*0(892)$

CL > 10<sup>-6</sup>,  $\Xi$  track-length significance > 4



# Fit results

$\Xi(1530)$ :

- Center = 1538(2) MeV [PDG: 1535.2 +/- 0.8 MeV]
- Width = 16(10) MeV [PDG:  $9.9_{-1.9}^{+1.7}$  MeV]

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- Center = 1598(8) MeV
- Width = 34(37) MeV

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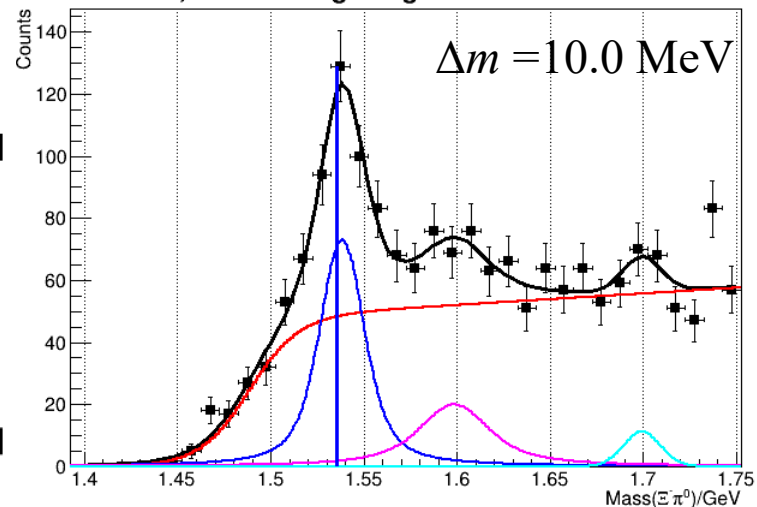
## $\Xi(1620)$ MASS

VALUE (MeV)	EVTS	DOCUMENT ID	TECN	COMMENT
$\approx 1620$ <b>OUR ESTIMATE</b>				
$1610.4 \pm 6.0_{-4.2}^{+6.1}$		SUMIHAMA 19	BELL	$\Xi_c^+ \rightarrow \Xi(1620)\pi^+$
$1624 \pm 3$	31	BRIEFEL 77	HBC	$K^- p$ 2.87 GeV/c
$1633 \pm 12$	34	DEBELLEFON 75B	HBC	$K^- p \rightarrow \Xi^- \bar{K} \pi$
$1606 \pm 6$	29	ROSS 72	HBC	$K^- p$ 3.1-3.7 GeV/c

## $\Xi(1620)$ WIDTH

VALUE (MeV)	EVTS	DOCUMENT ID	TECN	COMMENT
$32 \pm 8$ <b>OUR AVERAGE</b>				Error includes scale factor of 2.2. See the ideogram below.
$59.9 \pm 4.8_{-7.1}^{+2.8}$		SUMIHAMA 19	BELL	$\Xi_c^+ \rightarrow \Xi(1620)\pi^+$
$22.5 \pm 7.5$	31	BRIEFEL 77	HBC	$K^- p$ 2.87 GeV/c
$40 \pm 15$	34	DEBELLEFON 75B	HBC	$K^- p \rightarrow \Xi^- \bar{K} \pi$
$21 \pm 7$	29	ROSS 72	HBC	$K^- p \rightarrow \Xi^- \pi^+ K^*0(892)$

CL > 10<sup>-6</sup>,  $\Xi$  track-length significance > 4



# Fit results

$\Xi(1530)$ :

- Center = 1538(2) MeV [PDG: 1535.2 +/- 0.8 MeV]
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$\Xi(1620)$ :

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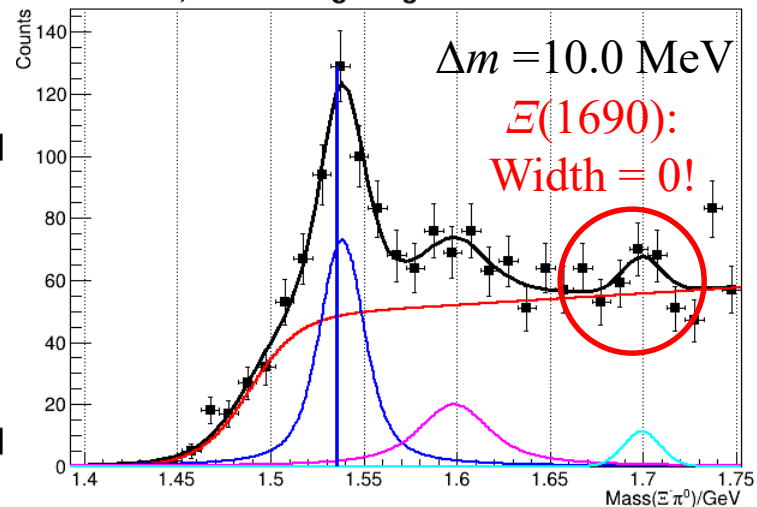
## $\Xi(1620)$ MASS

VALUE (MeV)	EVTS	DOCUMENT ID	TECN	COMMENT
$\approx 1620$ <b>OUR ESTIMATE</b>				
$1610.4 \pm 6.0_{-4.2}^{+6.1}$		SUMIHAMA 19	BELL	$\Xi_c^+ \rightarrow \Xi(1620)\pi^+$
$1624 \pm 3$	31	BRIEFEL 77	HBC	$K^- p$ 2.87 GeV/c
$1633 \pm 12$	34	DEBELLEFON 75B	HBC	$K^- p \rightarrow \Xi^- \bar{K} \pi$
$1606 \pm 6$	29	ROSS 72	HBC	$K^- p$ 3.1-3.7 GeV/c

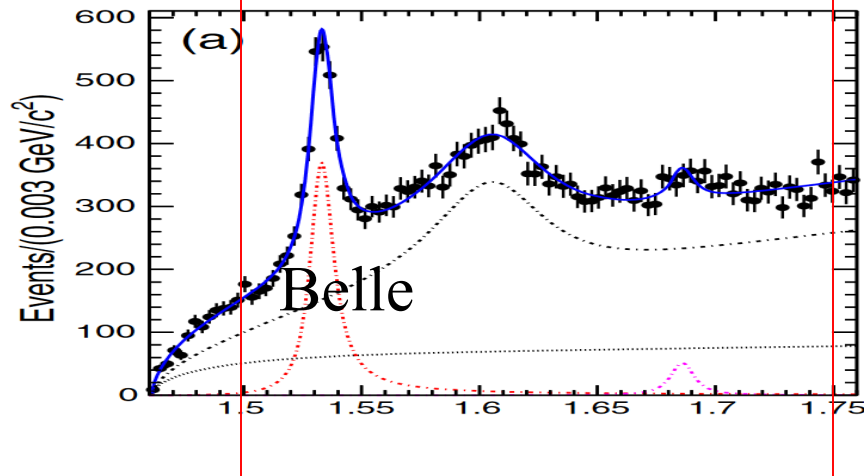
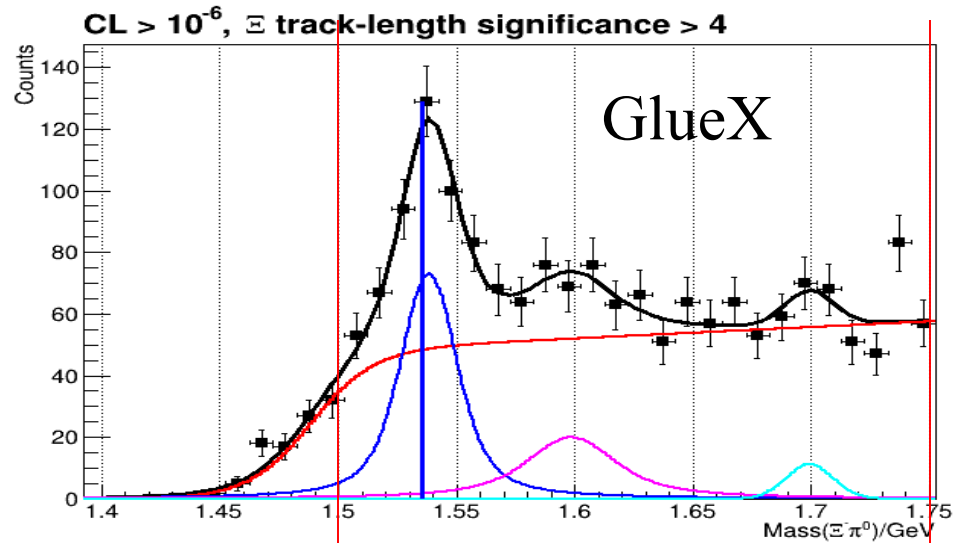
## $\Xi(1620)$ WIDTH

VALUE (MeV)	EVTS	DOCUMENT ID	TECN	COMMENT
$32 \pm 8_{-9}$ <b>OUR AVERAGE</b>				Error includes scale factor of 2.2. See the ideogram below.
$59.9 \pm 4.8_{-7.1}^{+2.8}$		SUMIHAMA 19	BELL	$\Xi_c^+ \rightarrow \Xi(1620)\pi^+$
$22.5 \pm 7.5$	31	<sup>1</sup> BRIEFEL 77	HBC	$K^- p$ 2.87 GeV/c
$40 \pm 15$	34	DEBELLEFON 75B	HBC	$K^- p \rightarrow \Xi^- \bar{K} \pi$
$21 \pm 7$	29	ROSS 72	HBC	$K^- p \rightarrow \Xi^- \pi^+ K^*0(892)$

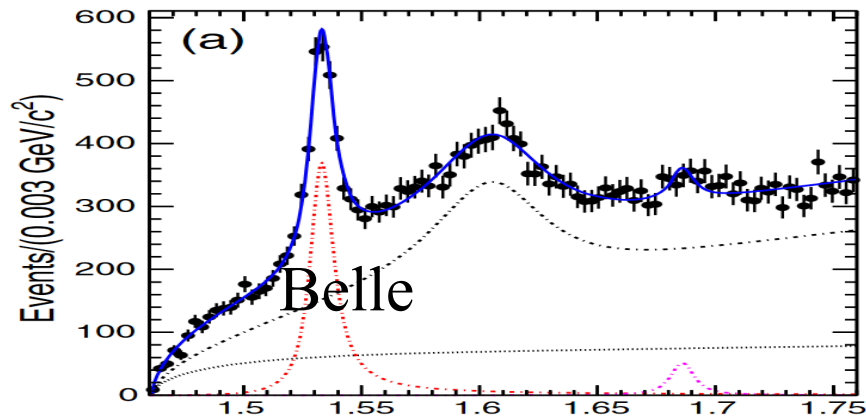
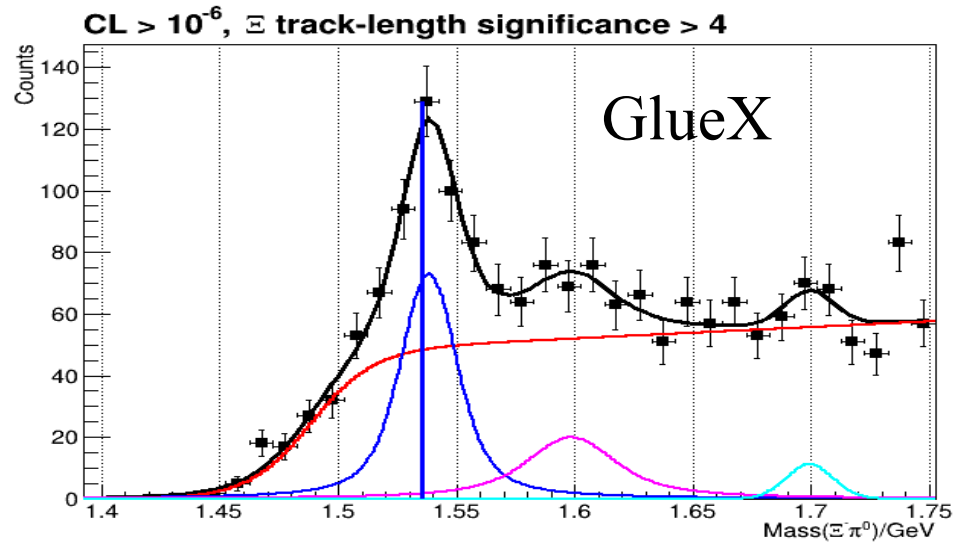
CL > 10<sup>-6</sup>,  $\Xi$  track-length significance > 4



# Comparison to Belle



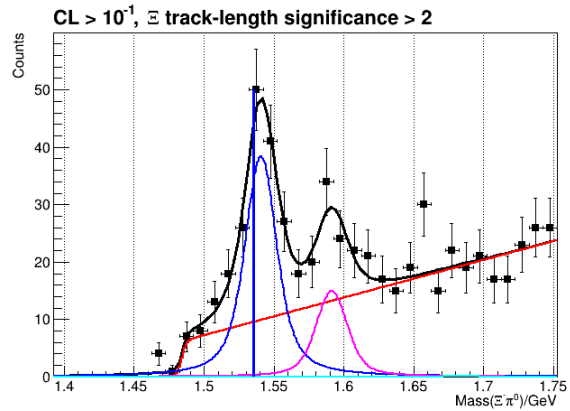
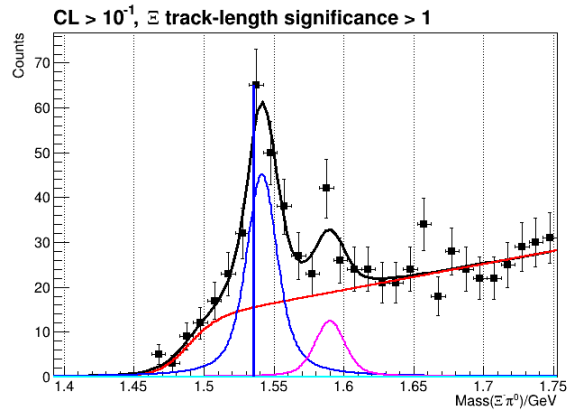
# Comparison to Belle



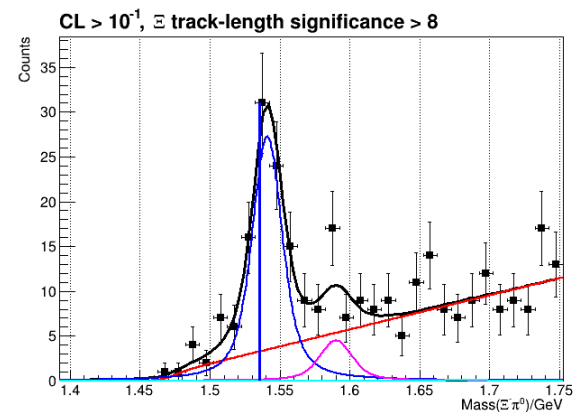
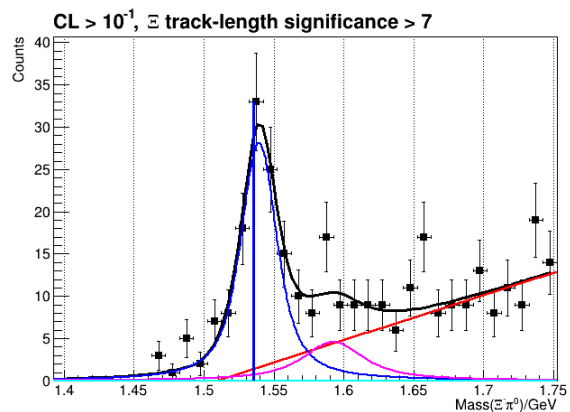
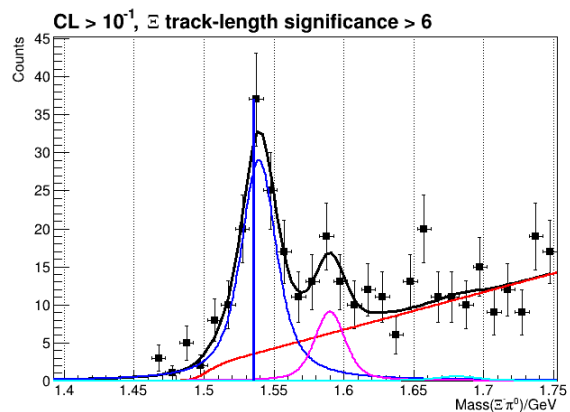
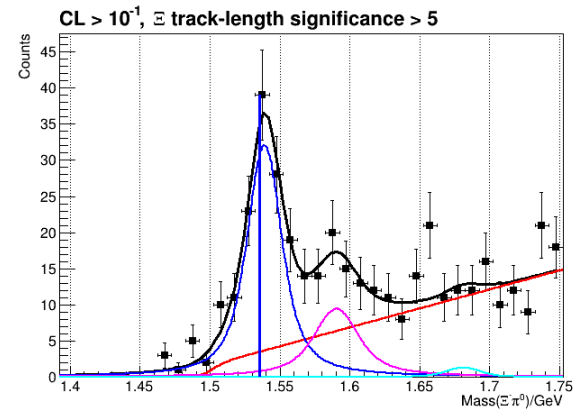
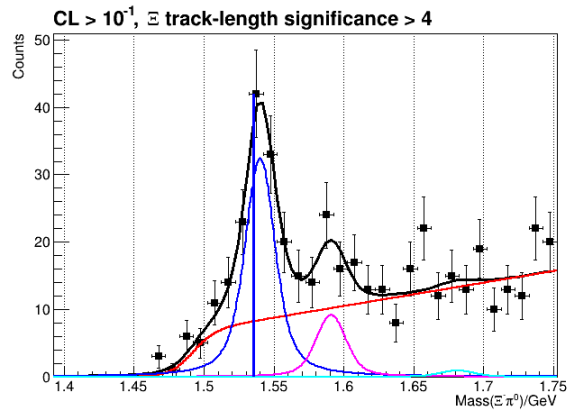
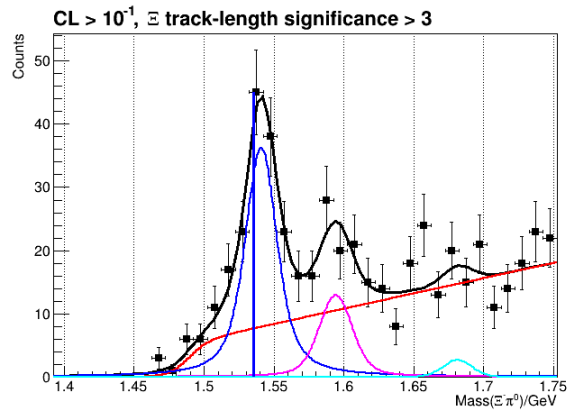
# The other fits

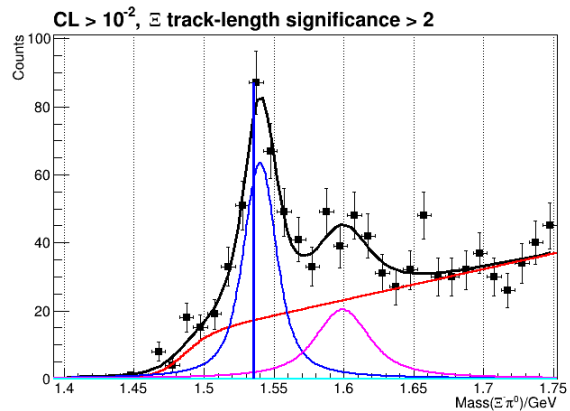
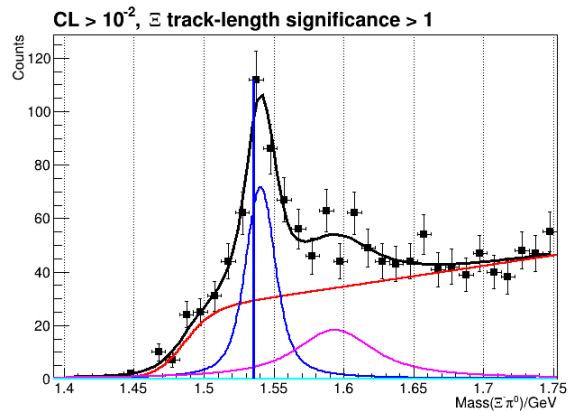
I have put all of the other fits (each CL and track-length significance) on the following slides



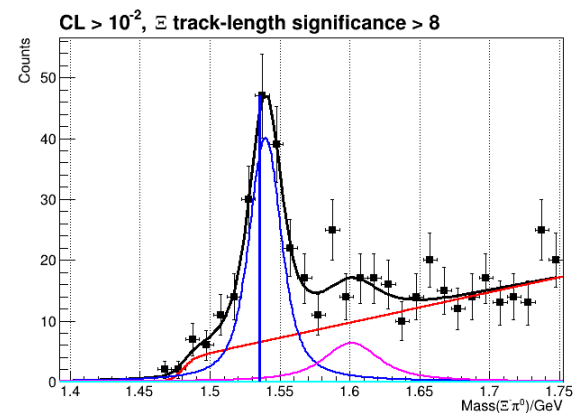
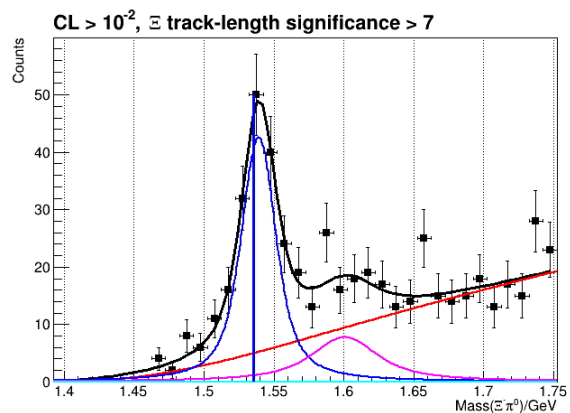
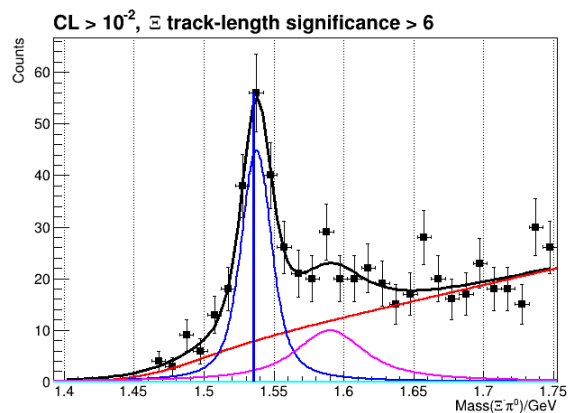
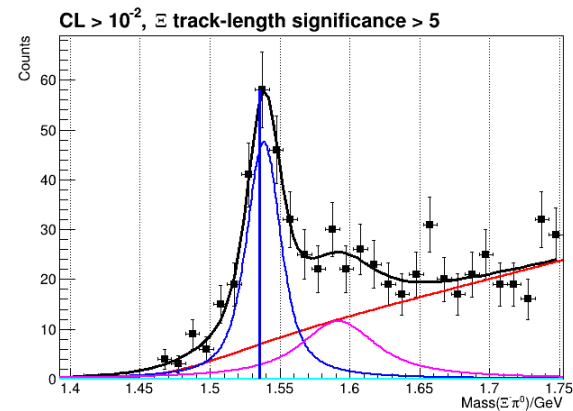
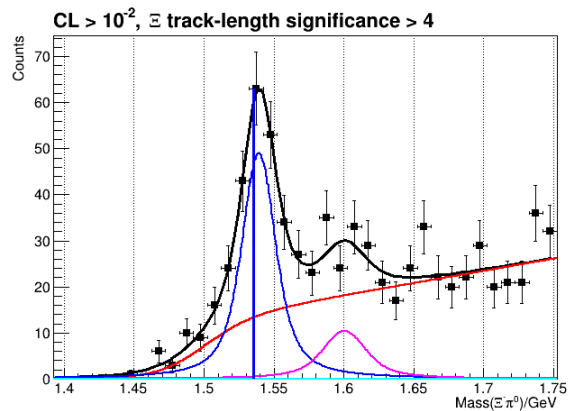
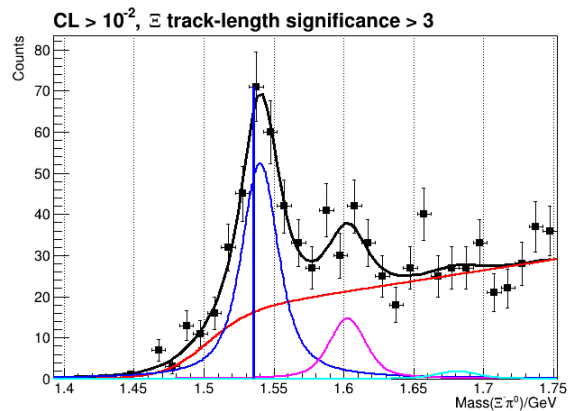


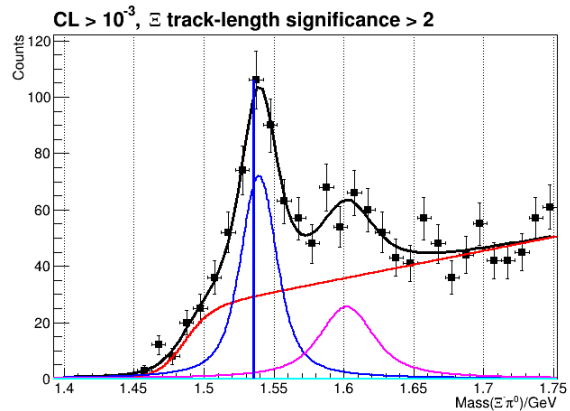
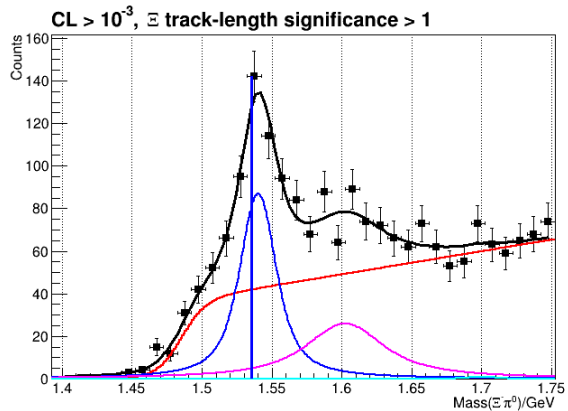
CL > 10<sup>-1</sup>



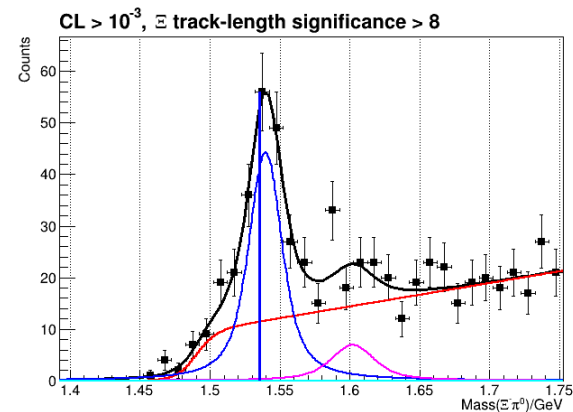
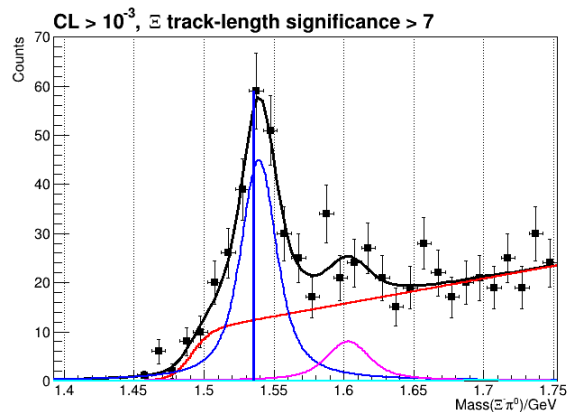
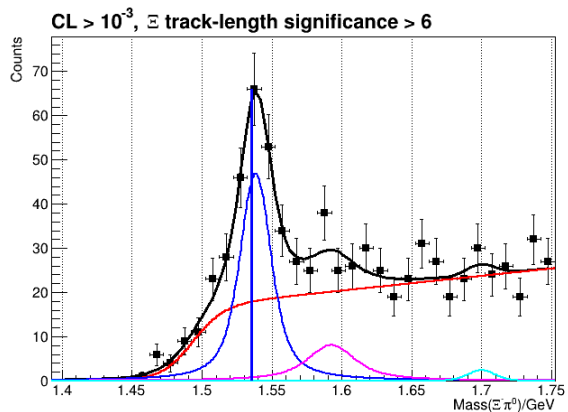
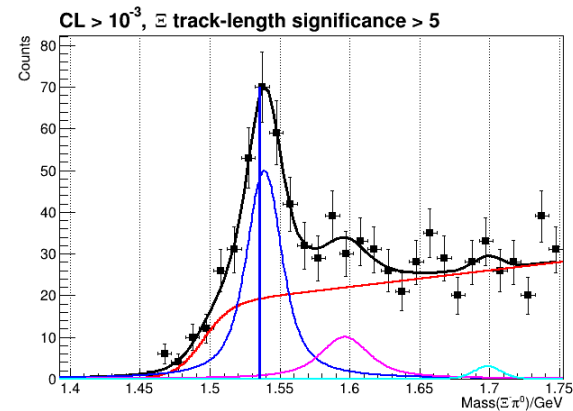
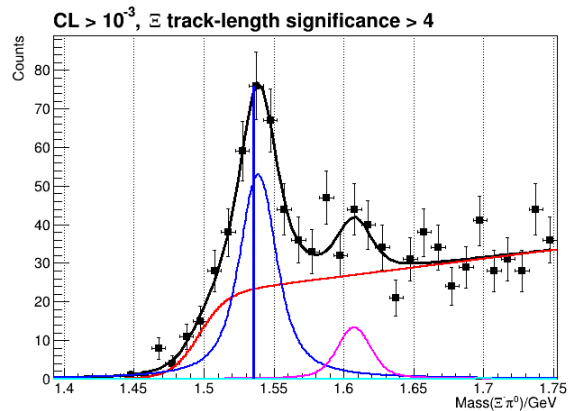
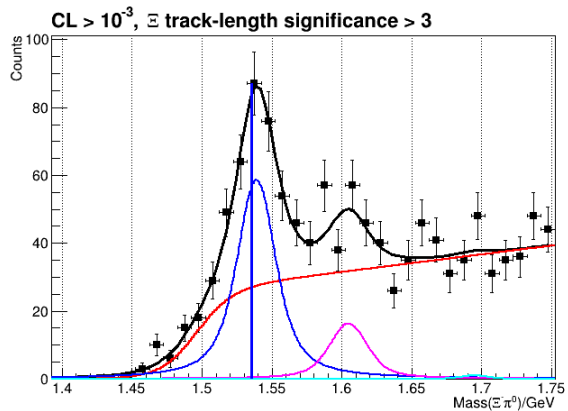


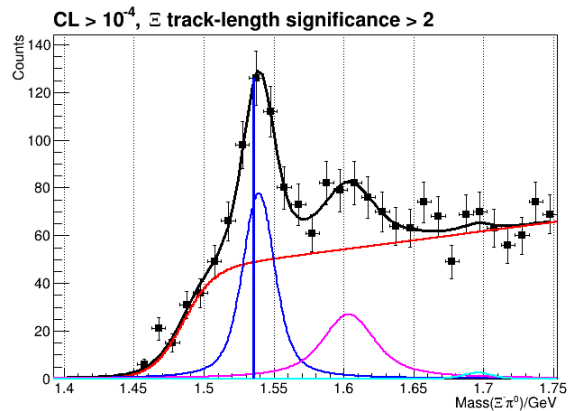
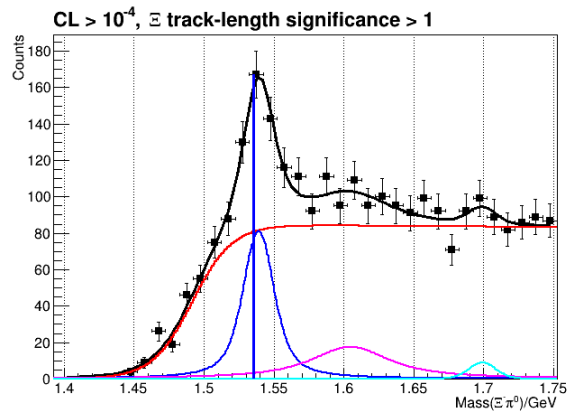
CL > 10<sup>-2</sup>



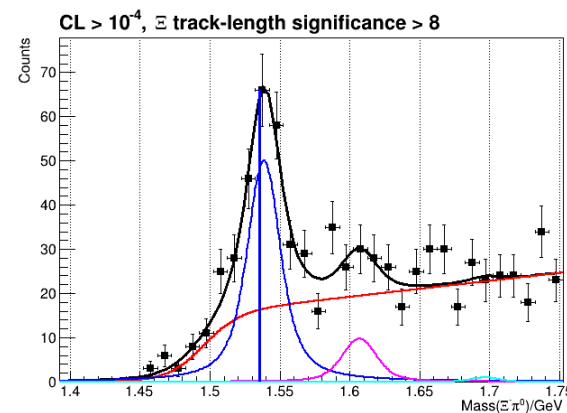
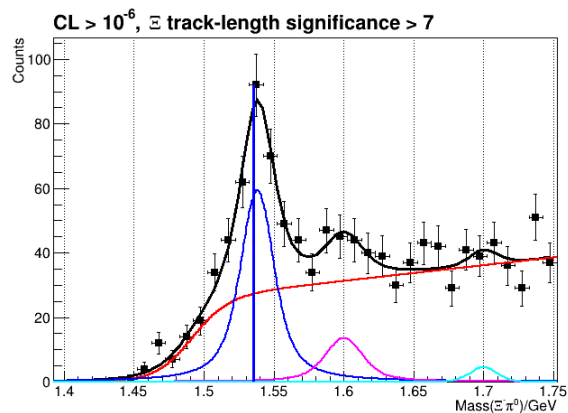
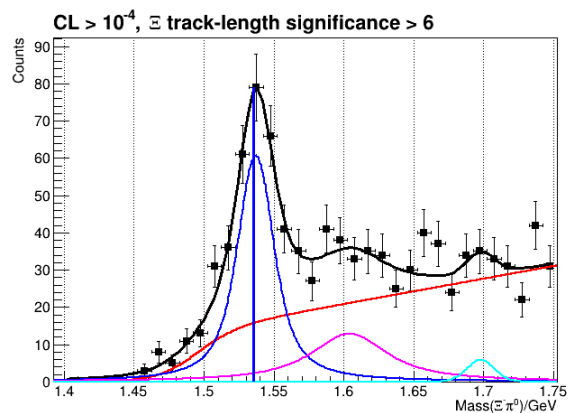
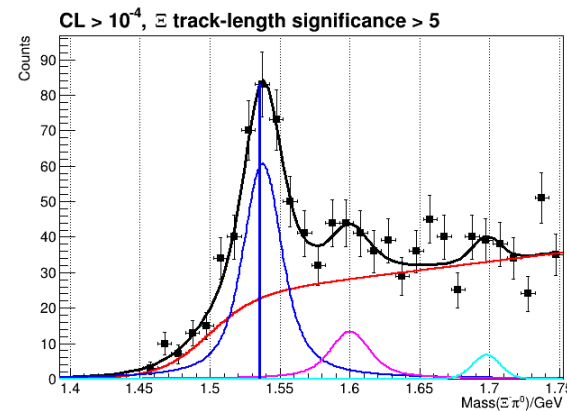
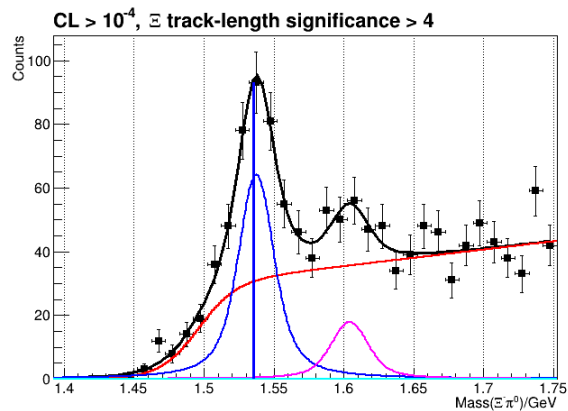
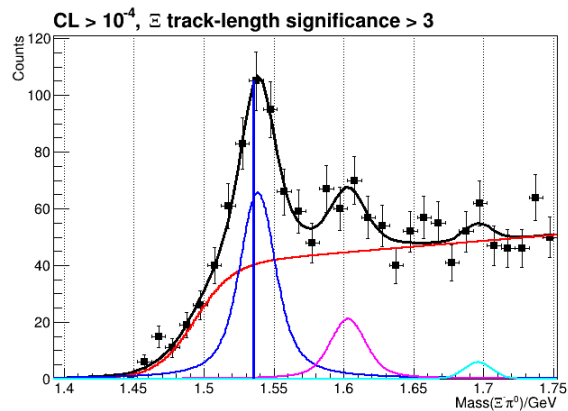


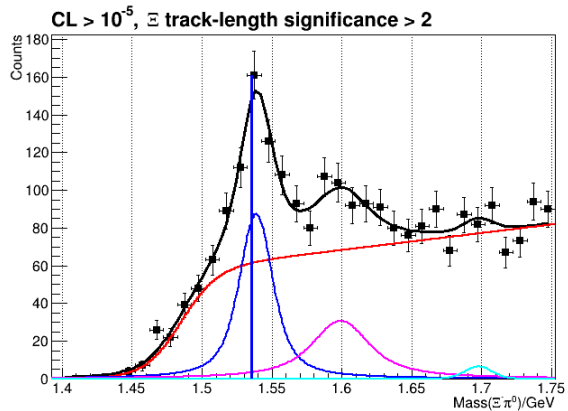
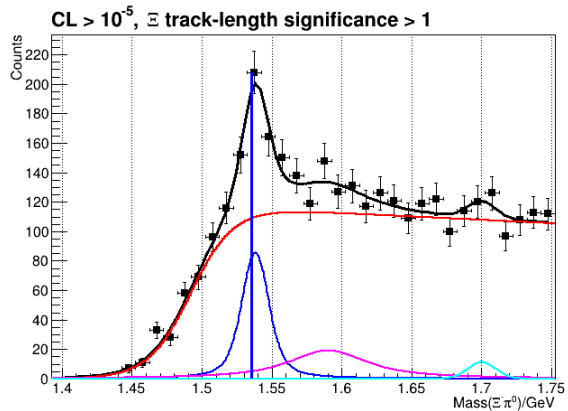
CL > 10<sup>-3</sup>



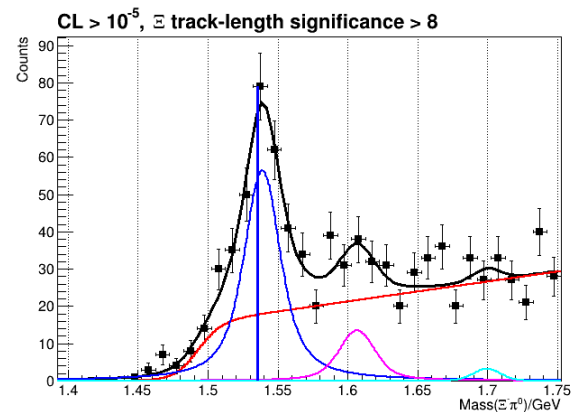
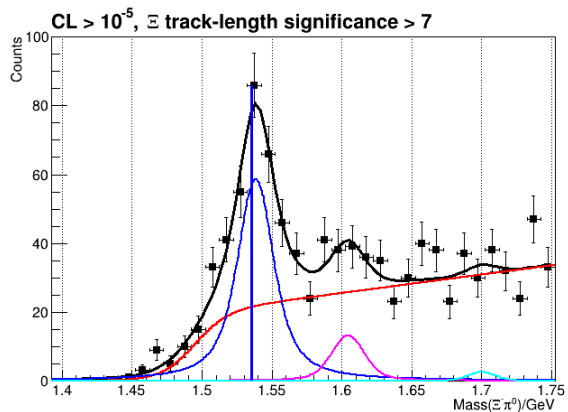
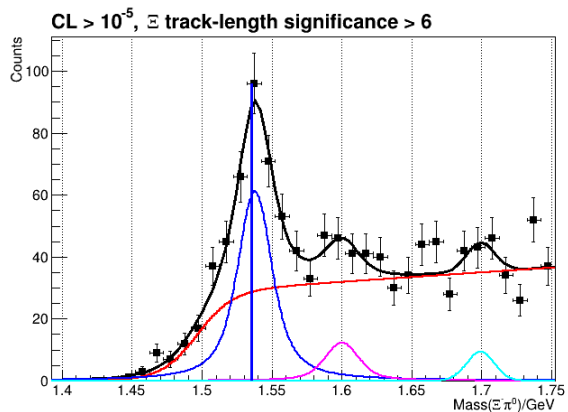
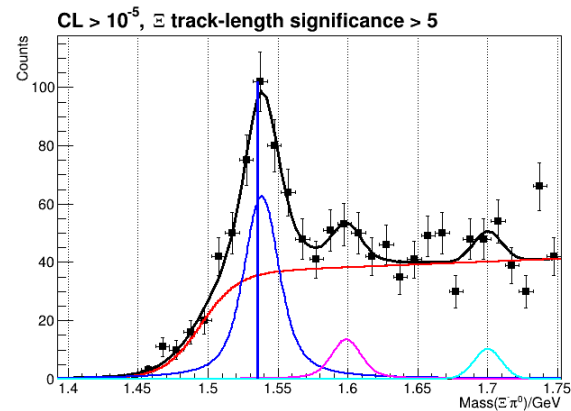
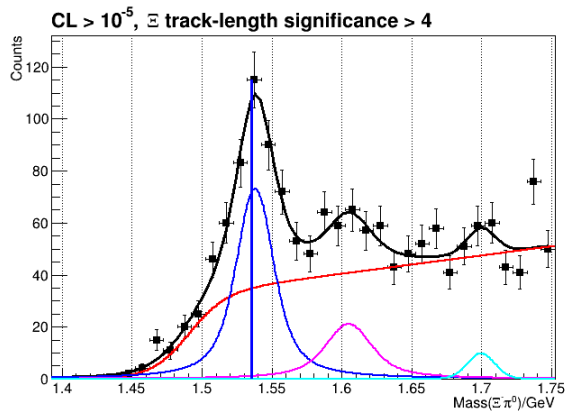
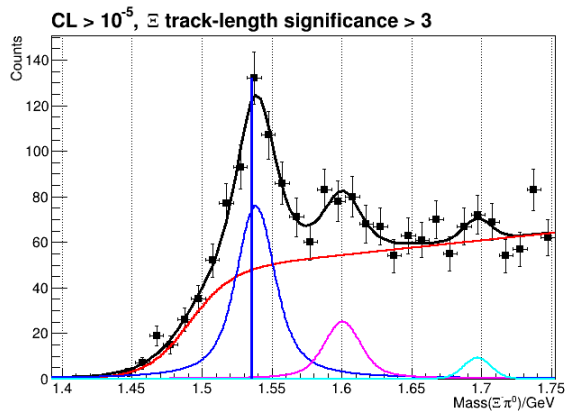


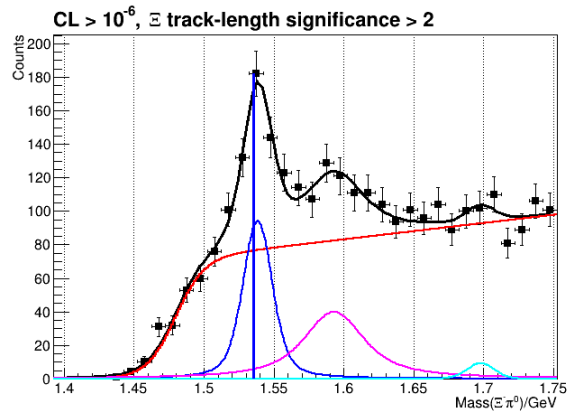
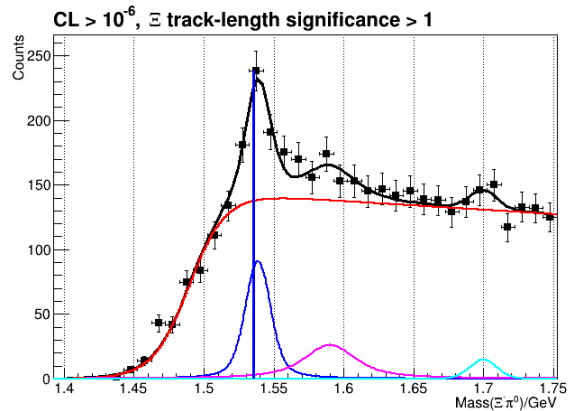
CL > 10<sup>-4</sup>



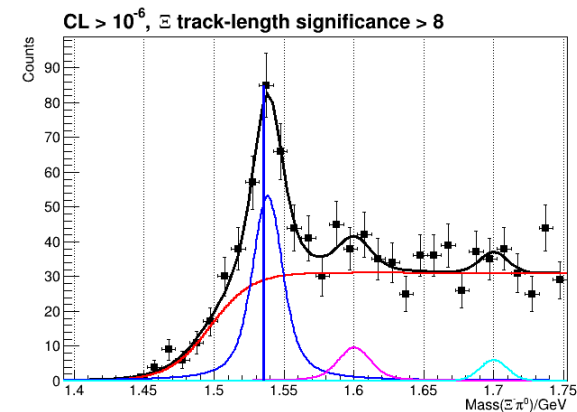
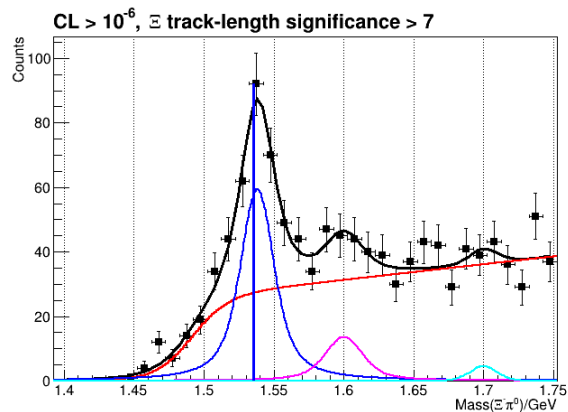
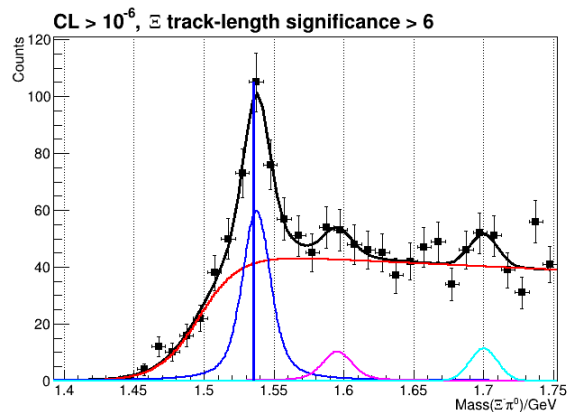
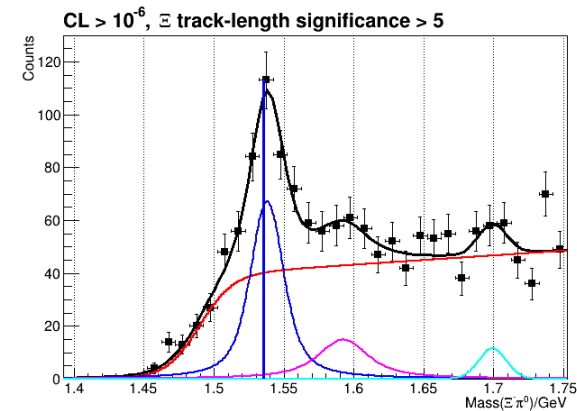
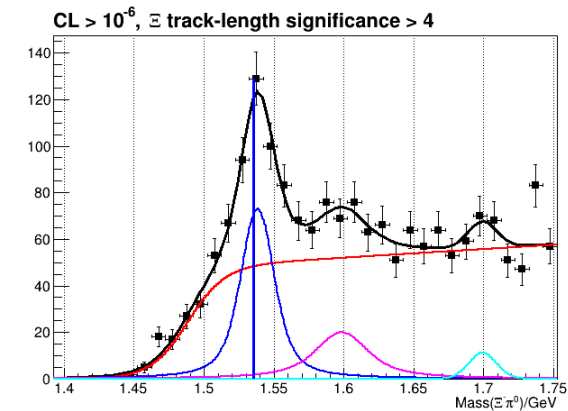
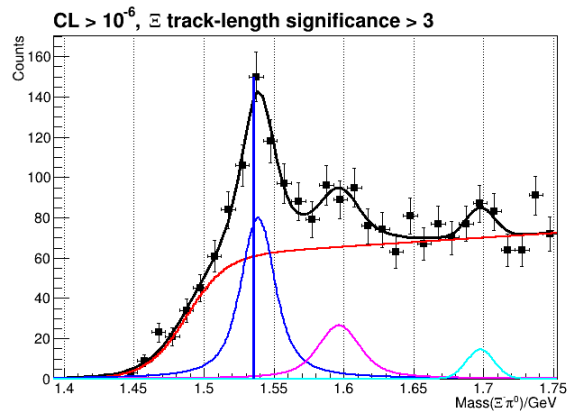


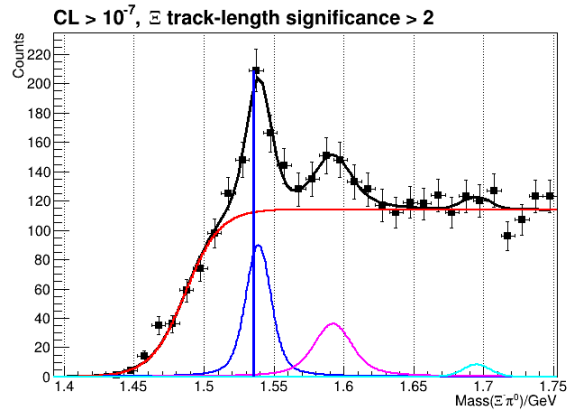
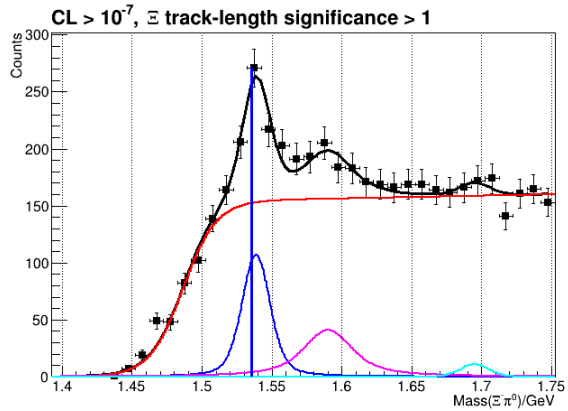
CL > 10<sup>-5</sup>



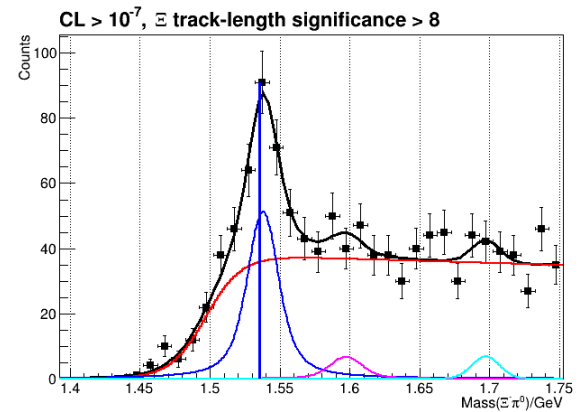
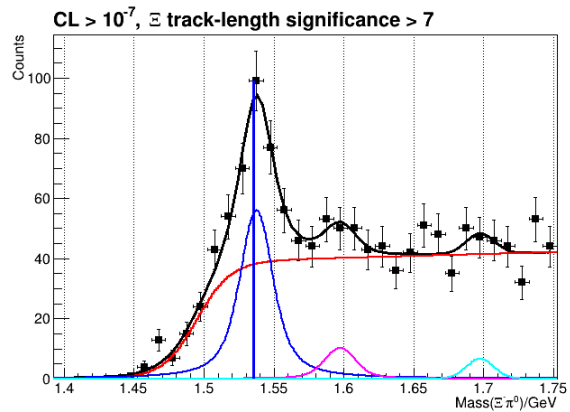
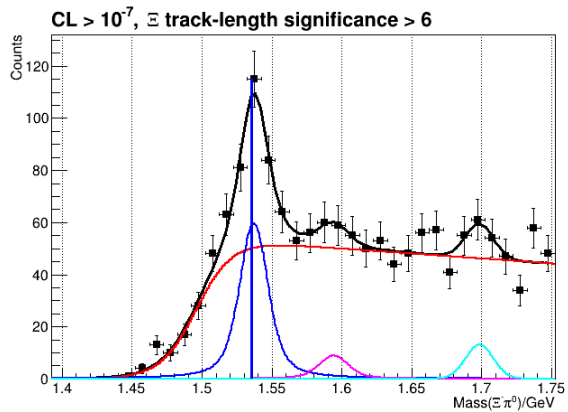
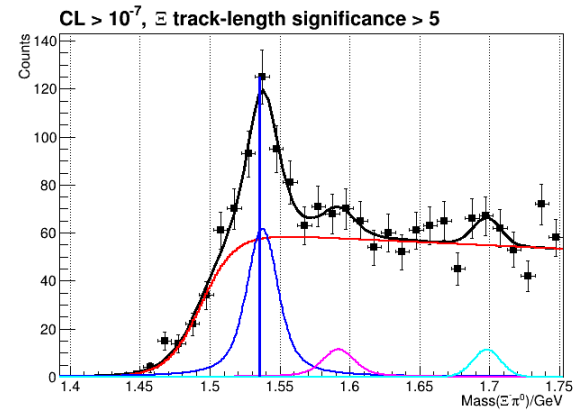
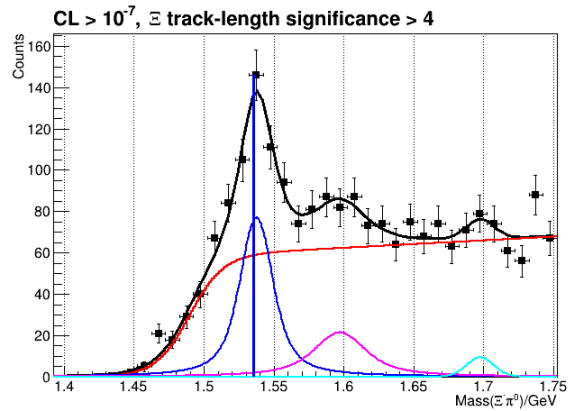
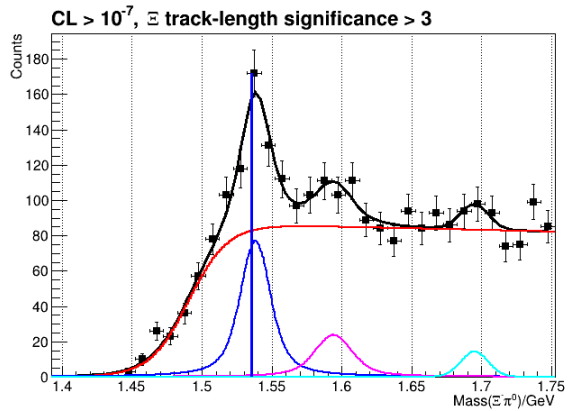


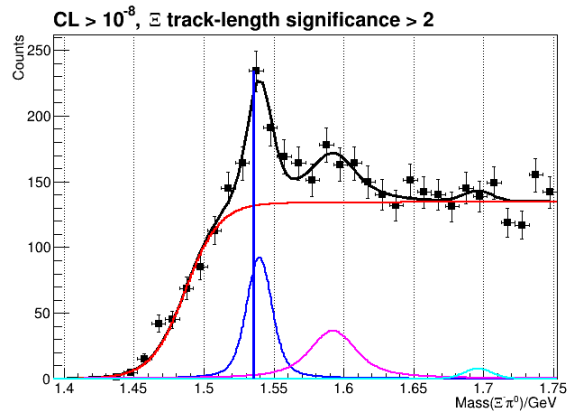
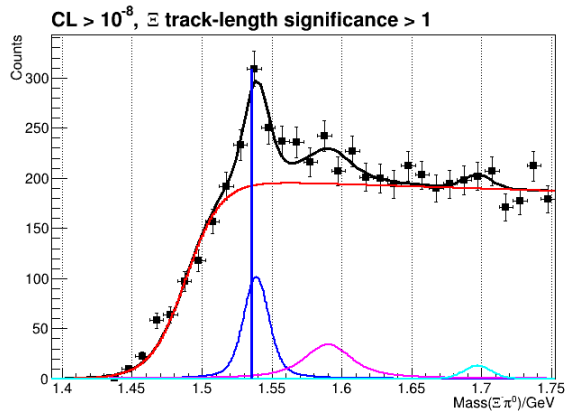
CL > 10<sup>-6</sup>



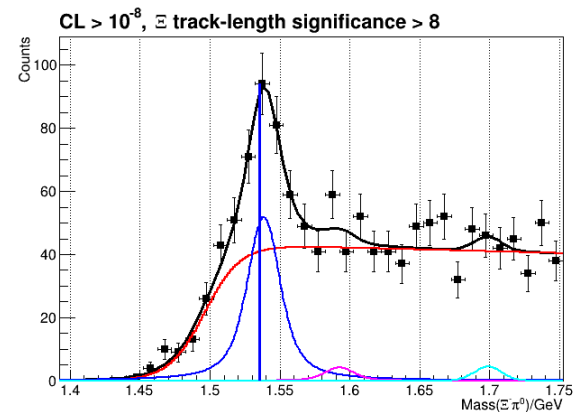
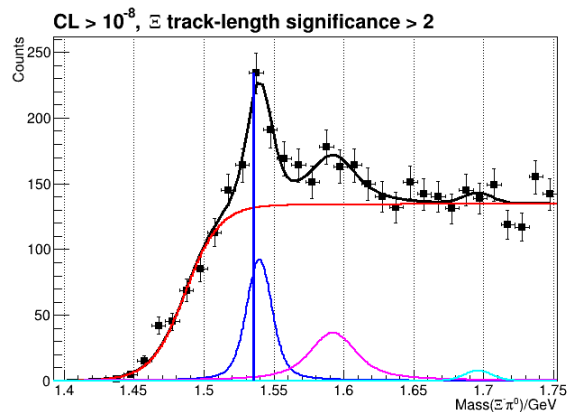
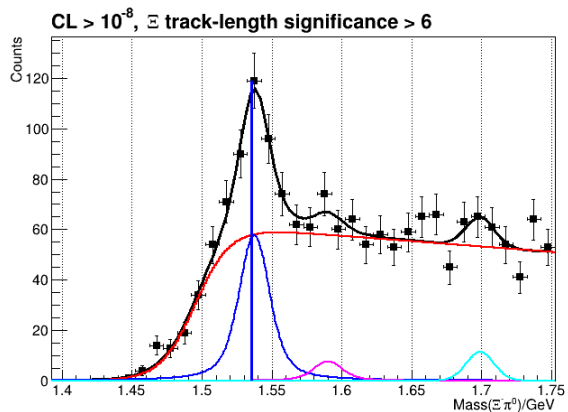
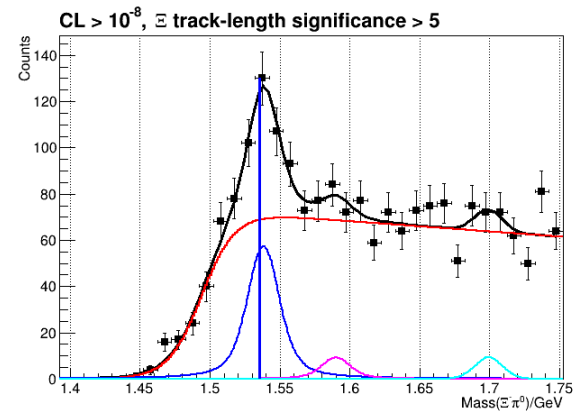
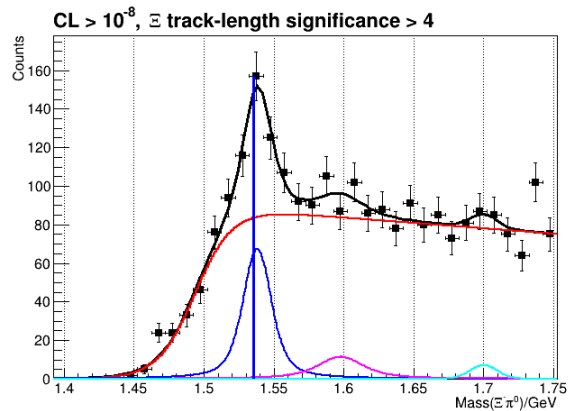
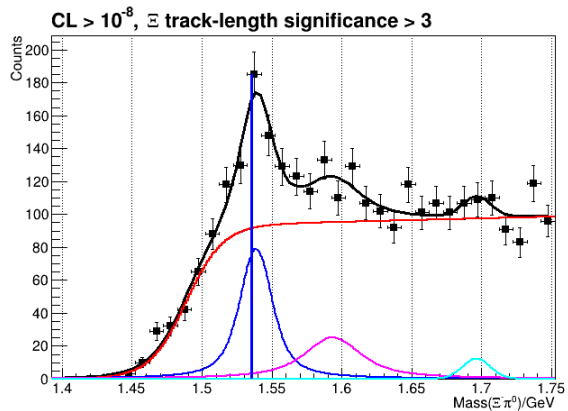


CL > 10<sup>-7</sup>





CL > 10<sup>-8</sup>





# Title